## The CALIFA survey across the Hubble sequence:

## Spatially resolved stellar population properties in galaxies

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### ABSTRACT

Various different physical processes contribute to the star formation and stellar mass assembly histories of galaxies. One important approach to understand the significance of these different processes on galaxy evolution is the study of the stellar population content of today's galaxies in a spatially resolved manner. The aim of this paper is to characterize in detail the radial structure of stellar population properties of galaxies in the nearby universe, based on a uniquely large galaxy sample considering the quality and coverage of the data. The sample under study was drawn from the CALIFA survey and contains 300 galaxies observed with integral field spectroscopy. These cover a wide range of Hubble types, from spheroids to spiral galaxies, while stellar masses range from  $M_{\star} \sim 10^9$  to  $7 \times 10^{11}$  $M_{\odot}$ . We apply the fossil record method based on spectral synthesis techniques to recover the following physical properties for each spatial resolution element in our target galaxies: the stellar mass surface density  $(\mu_{\star})$ , stellar extinction  $(A_V)$ , light-weighted and mass-weighted ages ( $\langle \log age \rangle_L$ ,  $\langle \log age \rangle_M$ ), and mass-weighted metallicity ( $\langle \log Z_* \rangle_M$ ). To study mean trends with overall galaxy properties, the individual radial profiles are stacked in seven bins of galaxy morphology (E, S0, Sa, Sb, Sbc, Sc and Sd). We confirm that more massive galaxies are more compact, older, more metal rich, and less reddened by dust. Additionally, we find that these trends are preserved spatially with the radial distance to the nucleus. Deviations from these relations appear correlated with Hubble type: earlier types are more compact, older, and more metal rich for a given M\*, which evidences that quenching is related to morphology, but not driven by mass. Negative gradients of  $\langle \log age \rangle_L$  are consistent with an inside-out growth of galaxies, with the largest  $\langle \log age \rangle_L$ gradients in Sb-Sbc galaxies. Further, the mean stellar ages of disks and bulges are correlated, with disks covering a wider range of ages, and late type spirals hosting younger disks. However, age gradients are only mildly negative or flat beyond  $R \sim 2$  HLR, indicating that star formation is more uniformly distributed or that stellar migration is important at these distances. The gradients in stellar mass surface density depend mostly on stellar mass, in the sense that more massive galaxies are more centrally concentrated. Whatever sets the concentration indices of galaxies obviously depends less on quenching / morphology than on the depth of the potential well. There is a secondary correlation in the sense that at the same  $M_{\star}$  early type galaxies have steeper gradients. The  $\mu_{\star}$  gradients outside 1 HLR show no dependence on Hubble type. We find mildly negative  $\langle \log Z_{\star} \rangle_M$  gradients, shallower than predicted from models of galaxy evolution in isolation. In general, metallicity gradients depend on stellar mass, and less on morphology, hinting that metallicity is affected by the depth of both - potential well and morphology/quenching. Thus, the largest  $\langle \log Z_{\star} \rangle_M$  gradients occur in Milky Way-like Sb–Sbc galaxies, and are similar to those measured above the Galactic disk. Sc spirals show flatter  $\langle \log Z_{\star} \rangle_M$  gradients, possibly indicating a larger contribution from secular evolution in disks. The galaxies from the sample have decreasing-outwards stellar extinction; all spirals show similar radial profiles, independent from the stellar mass, but redder than E's and S0's. Overall we conclude that quenching processes act in manners that are independent of mass, while metallicity and galaxy structure are influenced by mass-dependent processes.

Key words. Techniques: Integral Field Spectroscopy; galaxies: evolution; galaxies: stellar content; galaxies: structure; galaxies: fundamental parameters; galaxies: bulges; galaxies: spiral

## 1. Introduction

Galaxies are a complex mix of stars, gas, dust, and dark matter, distributed in different components (bulge, disk, and halo) whose present day structure and dynamics are intimately linked to their assembly and evolution over the history of the Universe. Different observational and theoretical approaches can be followed to learn how galaxies form and evolve.

Theoretically, the formation of large-scale structures arise through the evolution of cold dark matter. In this picture, small-

scale density perturbations in the dark matter collapse and form the first generation of dark matter halos, that subsequently merge to form larger structures such as clusters and superclusters (Springel et al. 2005; De Lucia et al. 2006). This basic hierarchical picture is able to explain the global evolution of the star formation rate density of the universe, with galaxy peak formation epoch at redshift 2-3 (e.g. Madau & Dickinson 2014, and references therein). The stellar components formed at earlier epochs likely evolved into elliptical galaxies and bulges through mergers of the primordial star-forming disks (Elmegreen et al. 2007;

Bournaud et al. 2007). However, this framework fails to explain how the galaxy population emerges at  $z \sim 1$ , and how the present day Hubble sequence of galaxies was assembled.

The growth of galaxies is not related in a simple way to the build up of dark matter; the interplay of energy and matter exchange (between the process of gas accretion and cooling and star formation) is essential to grow the gaseous and stellar components in galaxies. Feedback mechanisms resulting from stellar winds, supernova explosions, and AGN are relevant to stop the gas collapse and cooling, quenching the star formation and hence galaxy growth (Silk & Rees 1998; Hopkins et al. 2011). Although these processes are difficult to implement in theoretical models, they are essential to explain the masses, structures, morphologies, stellar populations, and chemical compositions of galaxies, and the evolution of these properties with cosmic time.

Recently, a new set of cosmological hydrodynamic simulations have started to predict how the spatially resolved information of the properties of stellar populations in galaxies can constrain the complex interplay between gas infall, outflows, stellar migration, radial gas flows, and star formation efficiency, in driving the inside-out growth of galactic disks (Brook et al. 2012; Gibson et al. 2013; Few et al. 2012; Pilkington et al. 2012a; Minchev et al. 2014). Radiative cooling, star formation, feedback from supernovae, and chemical enrichment are also included in simulations to predict radial metallicity gradients as a function of merging history. Shallow metallicity gradients are expected if elliptical galaxies result from major mergers (e.g. Kobayashi 2004), but a minor merger picture for the formation of ellipticals can successfully explain the strong size evolution of massive galaxies (Oser et al. 2012). This late-time accretion of low mass and metal poor galaxies (dry mergers) into the already formed massive galaxy can produce a variation of the age and metallicity radial structure of the galaxy as it increases in size. Galactic stellar winds and metal cooling have also an important effect on these ex-situ star formation models, predicting different behaviour of the mass and metallicity assembly in massive early type galaxies, and in the radial gradient of present stellar populations properties of galaxies (Hirschmann et al. 2013, 2015).

In summary, these theoretical works show that observational data with spatial information of the mass and metallicity assembly and their cosmic evolution, and the present radial structure of stellar population properties (stellar mass surface density, age, metallicity) contain relevant information to constrain the formation history of galaxies, and the physics of feedback mechanisms involved.

Observationally, a first step is to study what kinds of galaxies are there in the Universe, and which are their physical properties. Attending to their form and structure, galaxies can be grouped into a few categories. Results show that most of the massive nearby galaxies are ellipticals, S0's, or spirals (Blanton & Moustakas 2009) following the Hubble tuning fork diagram. In this scheme, S0's are a transition between spirals and ellipticals (Cappellari et al. 2013), and the bulge/disk ratio increases from late to early type spirals. At the same time, galaxy properties such as color, mass, surface brightness, luminosity, and gas fraction are correlated with Hubble type (Roberts & Haynes 1994), suggesting that the Hubble sequence somehow reflects possible paths for galaxy formation and evolution. However, the processes structuring galaxies along the Hubble sequence are still poorly understood.

Integral Field Spectroscopy (IFS) enables a leap forward, providing 3D information (2D spatial + 1D spectral) on galaxies. Such datacubes allow one to recover two-dimensional maps of stellar mass surface density, stellar ages, metallicities, extinction and kinematics, as well as a suit of nebular properties such as gas kinematics, metallicity, excitation, and etc. Until a few years ago IFS was used to target small samples of galaxies. Detailed programs such as SAURON (Bacon et al. 2001), VENGA (Blanc et al. 2013), (U)LIRs at  $z \le 0.26$  (Arribas et al. 2010), PINGS (Rosales-Ortega et al. 2010), or DiskMass Survey (Bershady et al. 2010), have been limited to less than a hundred galaxies, but it is more than fair to recognize that to get these amounts of IFU data was a challenge at the time. ATLAS3D (Cappellari et al. 2011) represented a step forward, with the observation of a volume-limited sample of 260 galaxies, but with three important limitations: the sample only includes early-type galaxies, the field of view is limited to 1 effective radius, and the spectral range is restricted from H $\beta$  to [NI] $\lambda$ 5200.

CALIFA (Calar Alto Legacy Integral Field Area) is our ongoing survey of 600 nearby galaxies at the 3.5m at Calar Alto  $(Sánchez et al. 2012)^1$ . The data set provided by the survey (see Husemann et al. 2013 for DR1; García-Benito et al. 2015 for DR2) is unique to advance in these issues not only because of its ability to provide spectral and spatial information, but also because: a) It includes a large homogeneous sample of galaxies across the color-magnitude diagram, covering a large range of masses (10<sup>9</sup> to  $10^{12} M_{\odot}$ , González Delgado et al. 2014c), and morphologies from Ellipticals (E0-E7), Lenticulars (S0-S0a), to Spirals (Sa to Sm) (see Walcher et al. (2014) for a general description of the sample). b) It has a large field of view  $(74'' \times 65'')$ with a final spatial sampling of 1 arcsec, and a resolution of  $\sim 2.5$  arcsec, allowing to spatially resolve well the stellar population properties, and to obtain the total integrated properties, such as galaxy stellar mass, and stellar metallicity. c) It covers the whole rest-frame optical wavelength at intermediate spectral resolution, including the most relevant absorption diagnostics for deriving the stellar population properties.

Previous papers in this series have used the first ~100 datacubes of the survey to derive spatially resolved stellar population properties by means of full spectral fitting techniques. We have obtained that: 1) Massive galaxies grow their stellar mass inside-out. The signal of downsizing is shown to be spatially preserved, with both inner and outer regions growing faster for more massive galaxies. The relative growth rate of the spheroidal component (nucleus and inner galaxy), which peaked 5-7 Gyr ago, shows a maximum at a critical stellar mass  $M_{\star} \sim 7 \times 10^{10} M_{\odot}$ (Pérez et al. 2013). 2) The inside-out scenario is also supported by the negative radial gradients of the stellar population ages (González Delgado et al. 2014c). 3) Global and local relations between stellar mass, stellar mass surface density and stellar metallicity relation were investigated, along with their evolution (as derived from our fossil record analysis). In disks, the stellar mass surface density regulates the ages and the metallicity. In spheroids, the galaxy stellar mass dominates the physics of star formation and chemical enrichment (González Delgado et al. 2014c,a). 4) In terms of integrated versus spatially resolved properties, the stellar population properties are well represented by their values at 1 HLR (González Delgado et al. 2014c,a). The CALIFA collaboration has also compared the age and metallicity gradients in a subsample of 62 face-on spirals and it was found that there is no difference between the stellar population properties in barred and unbarred galaxies (Sánchez-Blázquez et al. 2014).

In this paper we extend our study of the spatially resolved star formation history of CALIFA galaxies to derive the radial structure of the stellar population properties as a function of

<sup>&</sup>lt;sup>1</sup> http://califa.caha.es

Hubble type, and galaxy stellar mass,  $M_{\star}$ . The goals are: 1) To characterize in detail the radial structure of stellar population properties of galaxies in the local universe. 2) To find out how these properties are correlated with Hubble type, and if the Hubble sequence is a scheme to organize galaxies by mass and age, and/or mass and metallicity. 3) To establish observational constraints to galaxy formation models via the radial distributions and gradients of stellar populations for disk and bulge dominated galaxies.

This paper is organized as follows: Section 2 describes the observations and summarizes the properties of the CALIFA galaxies analyzed here. In Sec. 3 we summarize our method for extracting the SFH, based on the fossil record method, and we explain the main differences between the analysis presented here and that in previous works. Sec. 4 presents results on the galaxy stellar mass, half light and half mass radii (HLR, HMR, respectively), and galaxy averaged stellar metallicity. Sec. 5 deals with the spatially resolved properties of the stellar population: stellar mass surface density,  $\mu_{\star}$ ; luminosity weighted mean age,  $\langle \log age \rangle_L$ ; mass weighted mean metallicity,  $\langle \log Z_{\star} \rangle_M$ ; and stellar extinction,  $A_V$ . We discuss the results in Sec. 6; and Sec. 7 presents the conclusions.

### 2. Sample, and Observations, data reduction

## 2.1. Sample and morphological classification

The CALIFA mother sample consists of 939 galaxies selected from SDSS survey in the redshift range z = 0.005-0.03, and with *r*-band angular isophotal diameter of 45–80". These criteria guarantee that the objects fill well the 74"×64" FoV. The sample includes a significant number of galaxies in different bins in the color-magnitude diagram (CMD), ensuring that CALIFA spans a wide and representative range of galaxy types.

The galaxies were morphologically classified as Ellipticals (E0–7), Spirals (S0, S0a, Sab, Sb, Sbc, Sc, Scd, Sd, Sm), and Irregulars (I). The classification was carried out through visual inspection of the *r*-band images averaging the results (after clipping outliers) from five members of the collaboration. Galaxies are also classified as *B* for barred, otherwise *A*, or *AB* if it is unsure, and as *M* if it shows "merger" or "interaction features" (Walcher et al. 2014).

The sample for this paper comprises the 312 CALIFA galaxies observed in both V1200 and V500 setups as of January 2014. The 12 galaxies showing "merger or interacting features" are not discussed here, leaving a main sample of 300 objects with a well defined morphology. For this work we have grouped galaxies into 7 morphology bins: E, S0 (including S0 and S0a), Sa (Sa and Sab), Sb, Sbc, Sc (Sc and Scd), and Sd (13 Sd, 1 Sm and 1 Irr).

Fig. 1 shows that these 300 galaxies provide a fair representation of the CALIFA survey as a whole. The left panel shows scaled histograms of the Hubble type in the mother sample (empty bars) and in our sample (filled bars). The number of objects in each morphology bin for our sample is indicated at the top, with a brown to blue color palette that represents Hubble types from ellipticals to late spirals. This same color scheme is used throughout this paper. The similarity of the distributions reflects the random sampling strategy of CALIFA, with targets being picked from the mother sample on the basis of visibility criteria alone. The right panel in Fig. 1 shows the u-r versus  $M_r$ CMD, with grey points representing the mother sample and colored points the 300 galaxies. As for the Hubble type distribution, a simple visual inspection shows that our subsample is representative of the full CALIFA sample in terms of CMD coverage.

#### 2.2. Observations and data reduction

The observations were carried out with the Potsdam Multi-Aperture Spectrometer (Roth et al. 2005, PMAS,) in the PPaK mode (Verheijen et al. 2004) at the 3.5m telescope of Calar Alto observatory. PPaK contains 382 fibers of 2.7" diameter each, and a 74" × 64" Field of View (FoV Kelz et al. 2006). Each galaxy is observed with two spectral settings, V500 and V1200, with spectral resolutions ~ 6 Å (FWHM) and 2.3 Å, respectively. The V500 grating covers from 3745 to 7300 Å, while the V1200 covers 3650–4840 Å. Detailed descriptions of the observational strategy and of the data can be found in Sánchez et al. (2012), and Husemann et al. (2013).

The datacubes analyzed here have been calibrated with version 1.5 of the reduction pipeline. The main issues addressed by this new version are: (*i*) correction of the sensitivity curve for the V500 grating; (*ii*) new registering method to determine, for each galaxy, the relative positioning of the 3 pointings of the dithering pattern, and absolute WCS registration; (*iii*) a new cube interpolation method. CALIFA pipeline v1.5 improves the flux calibration to an accuracy of 2-3% and is the current official data release. A detailed account of this new pipeline is presented in the Data Realease 2 article (García-Benito et al. 2015).

In order to reduce the effects of vignetting on the data, we combine the observations in the V1200 and V500 setups. The combined datacubes were processed as described in Cid Fernandes et al. (2013). Our analysis requires that spectra have signal to noise ratio  $S/N \ge 20$  in a 90 Å window centered at 5635 Å (rest-frame). When individual spaxels do not meet this S/N threshold, they are coadded into Voronoi zones (Cappellari & Copin 2003). Further pre-processing steps include spatial masking of foreground/background sources, rest-framing and spectral resampling. The resulting 253418 spectra were then processed through STARLIGHT and PyCASSO (the Python CALIFA STARLIGHT Synthesis Organizer), producing the stellar population properties discussed here as described in detail in the next section.

## 3. Stellar population analysis: Differences with respect to previous work

Our method to extract stellar population properties from datacubes has been explained and applied to CALIFA in Pérez et al. (2013), Cid Fernandes et al. (2013, 2014), and González Delgado et al. (2014c,a). In short, we analyse the data with the starLIGHT code (Cid Fernandes et al. 2005), which fits an observed spectrum ( $O_{\lambda}$ ) in terms of a model ( $M_{\lambda}$ ) built by a nonparametric linear combination of  $N_{\star}$  Simple Stellar Populations (SSPs) from a base spanning different ages (t) and metallicities (Z). Dust effects are modeled as a foreground screen with a Cardelli et al. (1989) reddening law with  $R_V = 3.1$ . Windows around the main optical emission lines and the NaI D absorption doublet (because of its interstellar component) are masked in all spectral fits<sup>2</sup>. Bad pixels (identified by the reduction pipeline)

<sup>&</sup>lt;sup>2</sup> To test the effect of this process in the estimation of ages, we have compared the results for 60 galaxies in common with Sánchez-Blázquez et al. (2014). This work uses Steckmap (Ocvirk et al. 2006) and the H $\beta$  line (previously corrected for emission). Statistically, we find that there is no difference in ages (mean = -0.04, std = 0.15 dex) if the same SSP models are used in the two methods.



**Fig. 1.** *Left:* Comparison of the distribution of Hubble types in the CALIFA mother sample (empty bars) and the galaxies analyzed here (filled bars). The number of galaxies in our sample are labeled in colors. The histograms are normalized to form a probability density, i.e., each bar scales with the ratio of the number of galaxies in each bin and the total number of galaxies, such that the two distributions are directly comparable. *Right:* Color-magnitude diagram. Mother sample galaxies are plotted in grey, while the 300 galaxies analyzed in this work are marked as colored points.

are also masked. Results for each spectrum are then packed and organized with the Pycasso pipeline.

This working scheme is preserved here, but with three new developments:

- 1. The datacubes used in this paper come from the version 1.5 of the reduction pipeline (García-Benito et al. 2015).
- 2. Larger and more complete SSP bases are employed.
- 3. A somewhat different definition of mean stellar metallicity is adopted (see González Delgado et al. 2014a).

This section describes the novelties related with the stellar population synthesis. Improvements resulting from the new reduction pipeline are described in Appendix A.

### 3.1. SSP spectral bases

SSP models are a central ingredient in our analysis, linking the results of the spectral decomposition to physical properties of the stellar populations. Our previous applications of STARLIGHT to CALIFA explored spectral bases built from three sets of SSP models, labeled as *GM*, *CB* and *BC* in Cid Fernandes et al. (2014). The first two are again used in this study, but extended to a wider range of metallicities, producing what we will denote as bases *GMe* and *CBe*.

Base *GMe* is a combination of the SSP spectra provided by Vazdekis et al. (2010) for populations older than t = 63 Myr and the González Delgado et al. (2005) models for younger ages. The evolutionary tracks are those of Girardi et al. (2000), except for the youngest ages (1 and 3 Myr), which are based on the Geneva tracks (Schaller et al. 1992; Schaerer et al. 1993; Charbonnel et al. 1993). The IMF is Salpeter. In our previous studies of the first 100 CALIFA galaxies we defined base GM as a regular (t, Z)grid of these models, with 39 ages spanning t = 0.001-14 Gyr and four metallicities from 0.2 to 1.5  $Z_{\odot}$ . We now extend the Z range to use of all seven metallicites provided by Vazdekis et al. (2010) models:  $\log Z/Z_{\odot} = -2.3, -1.7, -1.3, -0.7, -0.4, 0,$ and +0.22. Because these models lack ages below 63 Myr, these young ages are only covered by the four largest metallicities, such that our extended GM base is no longer regular in t and Z. Base *GMe* contains  $N_{\star} = 235$  elements.

Base *CBe* is built from an update of the Bruzual & Charlot (2003) models (Charlot & Bruzual 2007, private communication), replacing STELIB (Le Borgne et al. 2003) by a combination of the MILES (Sánchez-Blázquez et al. 2006; Falcón-Barroso et al. 2011) and GRANADA (Martins et al. 2005) spectral libraries (the same ones used in base *GMe*). The evolutionary tracks are those collectively known as Padova 1994 (Alongi et al. 1993; Bressan et al. 1993; Fagotto et al. 1994a,b; Girardi et al. 1996). The IMF is that of Chabrier (2003). Whereas in previous works we limited the Z range to  $\geq 0.2$  solar, we now extend this base to six metalicities:  $\log Z/Z_{\odot} = -2.3, -1.7, -0.7, -0.4, 0$ , and +0.4. Base *CBe* contains  $N_{\star} = 246$  elements (41 ages from 0.001 to 14 Gyr and the 6 metallicities above).

The main similarities and differences between bases GMe and CBe are the same as between the original GM and CB bases, thoroughly discussed in Cid Fernandes et al. (2014). Throughout the main body of this paper we focus on results obtained with base GMe, but we anticipate that our overall qualitative findings remain valid for base CBe. The role of base CBe in this paper is to allow a rough assessment of the uncertainties associated to model choice.

A minor technical difference with respect to our previous analysis is that we now smooth the spectral bases to 6 Å FWHM effective resolution prior to the fits. This is because the kinematical filter implemented in STARLIGHT operates in velocity-space, whereas both CALIFA and the SSP model spectra have a constant spectral resolution in  $\lambda$ -space, so that effects of the instrumental broadening can only be mimicked approximately by STARLIGHT. We have verified that this modification does not affect the stellar population properties used in this paper.

Appendix B presents some comparisons of the results obtained with these two bases. Experiments were also performed with bases which extend the age range to 18 Gyr, and configuring STARLIGHT to allow negative values of  $A_V$ . These tests are also discussed in Appendix B, which adds to the collection of "sanity checks" on the results of our analysis.

## 4. Galaxy mass, metric, and stellar metallicity

This section addresses three relatively unrelated aspects, which are all important to better understand the results presented in

**Table 1.** Number of galaxies for each Hubble type and  $M_{\star}$  interval (*GMe*)

$\log M_{\rm c}({\rm M_{\odot}})$ bin	F	50	62	Sh	She	Sc	<u></u>
	L	50	54	50	500	50	<u> </u>
≤9.1	-	-	-	-	-	2	2
9.1-9.6	-	-	-	-	-	9	8
9.6-10.1	-	-	-	-	2	10	5
10.1-10.6	-	-	7	11	16	21	-
10.6-10.9	3	8	9	14	21	4	-
10.9-11.2	8	14	22	17	16	3	-
11.2-11.5	17	8	13	10	3	1	-
11.5-11.8	12	2	-	1	-		-
≥11.8	1	-	-	-	-		-
total	40	32	51	53	58	50	15

the next section, where we examine how the spatial distribution of stellar population properties relates to a galaxy's stellar mass and morphology. First, §4.1 reviews the relation between stellar mass and morphological type for our sample. This strong relation is imprinted on virtually all results discussed in §5. Secondly, §4.2 compares our measurements of the Half Light (HLR) and Half Mass Radii (HMR). As discussed by González Delgado et al. (2014c), these two natural metrics for distances are not identical due to the inside-out growth of galaxies. Here we inspect how the HMR/HLR ratio varies as a function of Hubble type and stellar mass in our sample. Finally, §4.3 presents our definition of mean stellar metallicity. González Delgado et al. (2014c) showed that stellar mass surface densities, mean ages. and extinction values defined from the integrated spectrum, from galaxy-wide spatial averages, and measured at R = 1 HLR all agree very well with each other. Here we extend this test to stellar metallicities. Throughout this section, results for the two SSP models discussed in §3.1 are presented.

#### 4.1. Stellar masses

To obtain the total stellar mass of a galaxy we add the mass in each zone, thus taking into account spatial variations of the stellar extinction and M/L ratio. Masked spaxels (e.g., foreground stars) are accounted for using the  $\mu_{\star}$  radial profile as explained in González Delgado et al. (2014c).

Fig. 2 shows the distribution of  $M_{\star}$  as a function of Hubble type. Table 1 shows the distribution of galaxies by Hubble type in several bins of  $M_{\star}$ . The masses range from  $7 \times 10^8$  to  $7 \times 10^{11} M_{\odot}$  for fits with *GMe* (Salpeter IMF). *CBe*-based masses (Chabrier IMF) are on average smaller by a factor 1.84. As for the general galaxy population, mass is well correlated with Hubble type, decreasing from early to late types. High bulge-to-disk ratios (E, S0, Sa) are the most massive ones ( $\geq 10^{11} M_{\odot}$ ), while galaxies with small bulges (Sc–Sd) have  $M_{\star} \leq 10^{10} M_{\odot}$ . The average log  $M_{\star}(M_{\odot})$  is 11.4, 11.1, 11.0, 10.9, 10.7, 10.1, and 9.5 for E, S0, Sa, Sb, Sbc, Sc, and Sd, respectively. The dispersion is typicaly 0.3 dex, except for Sc galaxies, that have a dispersion of ~ 0.5 dex.

Because CALIFA is not complete for  $M_r \ge -19.5$ , this distribution in mass is not completely representative of the local Universe. In particular, it is important to remember that dwarf ellipticals are not included, so  $M_{\star}$  or any other property discussed here for E's are restricted to massive ellipticals.



**Fig. 2.** Distribution of the stellar masses obtained from the spatially resolved spectral fits of each galaxy for each Hubble type (grey small points). The colored dots (stars) are the mean galaxy stellar mass in each Hubble type obtained with the *GMe* (*CBe*) SSP models. The bars show the dispersion in mass.

## 4.2. The HMR/HLR

As explained in Cid Fernandes et al. (2013), we define the HLR as the semi-major axis length of the elliptical aperture that contains half of the total light of the galaxy at the rest-frame wavelength 5635 Å. Similarly, the HMR is derived from the 2D distribution of the stellar mass, as the elliptical aperture at which the mass curve of growth reaches 50% of its asymptote. The ratio between the HMR and the HLR  $(a_{50}^M/a_{50}^L)$  reflects the spatial variation of the star formation history in a galaxy. This ratio is lower than 1 in almost all cases (González Delgado et al. 2014c), a signpost of the inside-out growth found by Pérez et al. (2013).

Fig. 3 shows the relation between  $a_{50}^M/a_{50}^L$  and Hubble type (left panel), and galaxy stellar mass (right panel). These plots confirm our earlier finding that galaxies are more compact in mass than in light. If the gradient in stellar extinction is taken into account, the average  $a_{50}^M/a_{50}^{L_{intrin}} = 0.82 (0.80) \pm 0.10 (0.13)$  for base *GMe* (*CBe*). Fig. 3 shows that the ratio decreases from late to early type spirals; while lenticulars and ellipticals have similar  $a_{50}^M/a_{50}^L$ .

These results are also in agreement with our previous result that  $a_{50}^M/a_{50}^L$  shows a dual dependence with galaxy stellar mass: It decreases with increasing mass for disk galaxies but it is almost constant in spheroidal galaxies, as confirmed in the right panel of Fig. 3. Sb-Sbc galaxies are the ones with the lowest  $a_{50}^M/a_{50}^L$ .

## 4.3. Stellar metallicity

Metallicity is one of the most difficult stellar population properties to estimate. Reasons for this include: (*i*) the coarse metallicity grid of the SSP bases; (*ii*) the limitation of the stellar libraries to the solar neighborhood; and (*iii*) inherent degeneracies like the dependence of the continuum shape on extinction, age, and metallicity, whose effects are hard to disentangle. Notwithstanding these difficulties, meaningful estimates of  $Z_{\star}$  can be extracted from observed spectra, particularly by means of full spectral synthesis methods (Sánchez-Blázquez et al. (2011)).

STARLIGHT-based estimates of  $Z_{\star}$  for the same CALIFA sample used in this paper were previously used by González Del-



**Fig. 3.** Left: The ratio between half mass and half light radius  $(a_{50}^M/a_{50}^L)$  with the Hubble type (left). Big colored dots represent the averaged  $a_{50}^M/a_{50}^L$  in each Hubble type bin, and the lines the dispersion. Stars and big circles show the results obtained with the *GMe* and *CBe* bases, respectively. Right:  $a_{50}^M/a_{50}^L$  as a function of the galaxy stellar mass. The black circles show the averaged correlation independently of the morphological type. Large circles represent the averaged relation in mass intervals of 0.25 dex for each color-coded morphological type.

gado et al. (2014a) to study global and local relations of  $Z_{\star}$  with the stellar mass and stellar mass surface density. We have shown there that: (*i*) our sample follows a well defined stellar massmetallicity relation (MZR), (*ii*) this relation is steeper than the one obtained from O/H measurements in HII regions, but that considering only young stellar populations the two MZR's are similar, and (*iii*)  $Z_{\star}$  is strongly related to  $\mu_{\star}$  in galaxy disks and to  $M_{\star}$  in spheroids. All these results lend confidence to our  $Z_{\star}$ estimates.

Here we review our definition of the mean stellar metallicity, and test whether its value at 1 HLR matches the galaxy wide average value as well as the one obtained from the spatially collapsed data cube.

#### 4.3.1. Mean stellar metallicity

The main properties analyzed in this paper are the stellar mass surface density  $(\mu_*)$ , stellar extinction  $(A_V)$ , mean age  $(\langle \log age \rangle_L)$ , and metallicity of the stellar population, whose spatial distributions are studied as a function of Hubble type and total stellar mass  $(M_*)$ . These properties were defined in previous articles in this series. For instance, the mean light weighted log stellar age is defined as

$$\langle \log age \rangle_L = \sum_{t,Z} x_{tZ} \times \log t$$
 (1)

(eq. 9 of Cid Fernandes et al. 2013), where  $x_{tZ}$  is the fraction of flux at the normalization wavelength (5635 Å) attributed to the base element with age *t* and metallicity *Z*. The mass weighted version of this index,  $\langle \log age \rangle_M$ , is obtained replacing  $x_{tZ}$  by its corresponding mass fraction  $m_{tZ}$ .

While Cid Fernandes et al. (2013) average the base metallicities linearly (their eq. 10), in this paper, as in González Delgado et al. (2014a), we employ a logarithmic average:

$$\langle \log Z_{\star} \rangle_M = \sum_{t,Z} m_{tZ} \times \log Z$$
 (2)

for the mass weighted mean  $\log Z_{\star}$  and

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$$\langle \log Z_{\star} \rangle_L = \sum_{t,Z} x_{tZ} \times \log Z$$
 (3)

for the luminosity weighted mean  $\log Z_{\star}$ . The motivation to use this definition is that the extended SSP bases used in this study span a much wider dynamical range in  $Z_{\star}$  (nearly three orders of magnitude, compared to barely one in our previous papers), which is better handled with a geometric mean (implicit in the use of the logarithm). This is the same reasoning behind the use of  $\langle \log age \rangle$  instead of  $\log \langle age \rangle$ .

To some degree, the definition of mean Z is largely a matter of taste (albeit one with mathematical consequences because of the inequality of the arithmetic and geometric means,  $\langle \log Z \rangle \leq$  $\log \langle Z \rangle$ ), so much so that one finds both types of averaging in the literature. For instance, in Gallazzi et al. (2005) metallicities are averaged logarithmically, whereas Asari et al. (2007) work with arithmetic averages.

As shown in González Delgado et al. (2014a) (see also Fig. 4), our metallicities span about 1 dex for galaxy masses ranging from  $10^9$  to  $10^{12} M_{\odot}$ , with an MZR which matches well the stellar metallicities of both Milky Way and LMC-like galaxies.

### 4.3.2. Galaxy averaged stellar metallicity

González Delgado et al. (2014c) obtained the important result that galaxy-averaged stellar ages, mass surface density, and extinction are well matched by the corresponding values of these properties at R = 1 HLR and also with the values obtained from the analysis of the integrated spectrum (i.e, the one obtained by collapsing the datacube to a single spectrum). The general pattern therefore is that galaxy averaged properties match both the values at 1 HLR and those obtained from integrated spectra. Do our stellar metallicities comply with this rule?

To answer this question we first define the galaxy-wide average stellar metallicity following eq. 2 in González Delgado et al. (2014a). which gives the mass weighted mean value of  $\langle \log Z_{\star,xy} \rangle_M$  as

$$\langle \log Z_{\star} \rangle_{M}^{galaxy} = \frac{\sum_{xy} M_{\star,xy} \langle \log Z_{\star} \rangle_{M,xy}}{\sum_{xy} M_{\star,xy}}$$
(4)



**Fig. 4.** Upper panels: Comparison of the galaxy-wide average stellar metallicity (weighted in mass) derived from the spatially resolved spectral analysis ( $\langle \log Z_{\star} \rangle_{M}^{galaxy}$ ) and the integrated metallicity derived from fitting the total (integrated) galaxy spectrum ( $\langle \log Z_{\star} \rangle_{M}^{integrated}$ ). Lower panel: Comparison of  $\langle \log Z_{\star} \rangle_{M}^{galaxy}$  with the value measured R = 1 HLR ( $\langle \log Z_{\star} \rangle_{M}^{HLR}$ ). Left and right panels show results obtained with base *GMe* and *CBe* SSPs, respectively. All panels include 300 galaxies. The difference between the y-axis and x-axis is labeled in each panel as  $\Delta$ , and the dispersion as  $\sigma$ .

where  $M_{\star,xy}$  is the stellar mass in spaxel xy.

Fig. 4 compares our results for  $\langle \log Z_{\star} \rangle_{M}^{galaxy}$  with the mass weighted mean  $\langle \log Z_{\star} \rangle_{M}$  values obtained at R = 1 HLR ( $\langle \log Z_{\star} \rangle_{M}^{HLR}$ , bottom panels) and those derived from the integrated spectrum ( $\langle \log Z_{\star} \rangle_{M}^{integrated}$ , top panels), analyzed in the exact same way as the individual zone spectra. Results are shown for both base *GMe* (left panels) and *CBe* (right).

The agreement is remarkable. The galaxy averaged metallicity and the one at 1 HLR are the same to within a dispersion of 0.1 dex. The integrated metallicity also matches the galaxy averaged value, with only slightly larger dispersions. The largest deviations occur for low metallicity systems. Similar conclusions are reached if the comparison in Fig. 4 is done using the light weighted version of eq. (4),

$$\langle \log Z_{\star} \rangle_{L}^{galaxy} = \frac{\sum_{xy} L_{\star,xy} \langle \log Z_{\star} \rangle_{L,xy}}{\sum_{xy} L_{\star,xy}}$$
(5)

where  $L_{\star,xy}$  is the luminosity (corrected by stellar extinction) in each spaxel evaluated at a reference wavelength (5635 Å in our case).

The stellar metallicities behave as expected, in the sense that, like other properties, their galaxy-wide averages match the values at R = 1 HLR, and also the values derived from integrated spatially unresolved spectroscopy (González Delgado et al. 2014c). We thus conclude that galaxy-wide spatially averaged stellar population properties (stellar mass, mass surface density, age, metallicity, and extinction) match those obtained from the integrated spectrum, and that these spatially averaged properties match those at R = 1 HLR, proving that effective radii are really effective (González Delgado et al. 2014b).

# 5. Spatially resolved stellar population properties as a function of morphology and mass

This section presents a series of results derived from our spatially resolved spectral synthesis analysis of CALIFA galaxies. We focus on the following four stellar populations properties: mass surface density ( $\mu_*$ , §5.1), mean ages ( $\langle \log age \rangle_L$ , §5.2), metallicities ( $\langle \log Z_* \rangle_M$ , §5.3), and extinction ( $A_V$ , §5.4). Each of these properties is studied by means of (*i*) 2D maps of the individual galaxies, (*ii*) radial profiles, and (*iii*) radial gradients. Throughout the section, the emphasis is on evaluating and comparing the roles of morphology and total stellar mass in shaping the observed behavior of these four properties.

Before discussing the results, we briefly explain how these quantities are obtained and how they are presented.

2D maps in the CMD: Using PycAsso we obtain, for each galaxy, 2D maps of each of the four properties. The results for all the galaxies are presented in the framework of the color-magnitude diagram, where each map is placed at the galaxy's coordinates in the u - r vs.  $M_r$  CMD. Because absolute magnitude is related to  $M_{\star}$  and redder galaxies are (usually) older and more metal rich, these plots show the correlations  $M_{\star}$ - $\mu_{\star}$ ,  $M_{\star}$ -age, and  $M_{\star}$ -metallicity in a 2D fashion. Because in our sample the galaxy Hubble type is correlated with color and luminosity, these plots not only show how the galaxy averaged properties and their radial structure change with the galaxy stellar mass, but also with the morphological type. These maps are shown in the Appendix C (Figs. C.1–C.4).

*Radial profiles:* Each 2D map is azimuthally averaged in order to study the radial variations of each of the four stellar population properties. Elliptical apertures 0.1 HLR in width are used to extract the radial profiles, with ellipticity and position angle obtained from the moments of the 5635 Å flux image. Expressing radial distances in units of HLR allows the profiles of individual galaxies to be compared on a common metric, as well as averaging ("stacking") them as a function of Hubble type or stellar mass. Radial profiles expressed in units of the HMR were also analyzed and lead to similar shapes, so all profiles presented below use HLR as the unit for radius.

*Radial gradients:* Inner and outer gradients are defined as differences between the values at R = 1 and  $0 (\nabla_{in})$ , and R = 2 and  $1 (\nabla_{out})$ , respectively. For instance,

$$\nabla_{in} \log \mu_{\star} = \log \mu_{\star} (1 \text{ HLR}) - \log \mu_{\star} (0) \tag{6}$$

$$\nabla_{out} \log \mu_{\star} = \log \mu_{\star} (2 \,\text{HLR}) - \log \mu_{\star} (1 \,\text{HLR}) \tag{7}$$

for  $\log \mu_{\star}$ , and similarly for  $\langle \log age \rangle_L$ ,  $\langle \log Z_{\star} \rangle_M$  and  $A_V$ . Defined in this way, the gradients have units of dex/HLR (mag/HLR for  $\nabla A_V$ ). Since the stellar population properties of galaxies at 1 HLR represent very well the galaxy-wide average,  $\nabla_{in}$  ( $\nabla_{out}$ ) effectively measures how the bulge (disk) properties change with respect to those of the galaxy as a whole.<sup>3</sup>

<sup>&</sup>lt;sup>3</sup> Based on the exponential fit analysis developed by (Sánchez et al. 2013) and (Sánchez-Blázquez et al. 2014), we conclude that the regions between 1 and 2 HLR are dominated by the disk component; thus,  $\nabla_{out}$  measures the disk gradient. However,  $\nabla_{in}$  is not measuring the bulge

Unless otherwise noted, all results reported below are for the *GMe* base, although the whole analysis was carried out with properties derived with both sets of SSP models discussed in 3.1. Differences between *GMe* and *CBe* SSPs go in the following way: (*a*) The stellar mass surface density is lower with *CBe* than with *GMe* by 0.27 dex on average, mostly due to the different IMFs (Salpeter in *GMe* versus Chabrier in *CBe*). (*b*) Variations in stellar extinction are negligible. (*c*) *CBe* yields somewhat younger ages and higher metallicities than *GMe*, by an average of 0.14 dex in  $\langle \log age \rangle_L$  and 0.12 dex in  $\langle \log Z_{\star} \rangle_M$ . These shifts reflect the age-metallicity degeneracy, and are mainly a consequence of the different sets of metallicities available in these bases. However, radial gradients are not affected by this degeneracy. A detailed comparison of properties derived with the two bases is given in Appendix B.

## 5.1. Stellar mass surface density

2D maps of the stellar mass surface density for the 300 individual galaxies of our sample are presented in the Appendix C (Fig. C.1). Here we discuss the radial structure of  $\log \mu_{\star}$  as a function of Hubble type and  $M_{\star}$ .

## 5.1.1. $\mu_{\star}$ -morphology and $\mu_{\star}$ -mass relations

Fig. 5 shows how  $\mu_{\star}$  measured at 1 HLR changes with Hubble type (left panel), and with the galaxy stellar mass (right). Recall from González Delgado et al. (2014c) that properties measured at 1 HLR match very well the corresponding galaxy-wide average value, so these plots ultimately show how the global  $\mu_{\star}$  depends on the morphology and on  $M_{\star}$ .

The plot shows  $\langle \log \mu_{\star}^{HLR} \rangle$  increasing from late spirals to spheroids, with average and dispersion values of  $3.1 \pm 0.2$ ,  $3.10 \pm 0.18$ ,  $3.05 \pm 0.25$ ,  $2.70 \pm 0.17$ ,  $2.65 \pm 0.24$ ,  $2.40 \pm 0.28$ ,  $2.04 \pm 0.27$ , for E, S0, Sa, Sb, Sbc, Sc and Sd, respectively. Note that E and S0 are remarkably similar.

Surface densities also increase with  $M_{\star}$ , as seen in the right panel of Fig. 5. The overall  $\mu_{\star}^{HLR}$ - $M_{\star}$  relation is relatively smooth, with no evidence of an abrupt change of behavior as that discussed by Kauffmann et al. (2003) for SDSS galaxies. Fig. 5, however, reveals that morphology is also behind the dispersion in the  $\mu_{\star}$ - $M_{\star}$  relation. The black line shows the relation for the full sample, obtained by averaging  $\log \mu_{\star}$  in 0.4 dex-wide bins in mass, while the big circles break this general relation into different (color-coded) morphological types for the same mass bins. Despite the reduced statistics, it is evident that: (a) for the same stellar mass, early type galaxies are denser than late type ones, and (b) Sa and earlier type galaxies exhibit a much flatter  $\mu_{\star}$ - $M_{\star}$  relation than later types. The overall impression from these results is that morphology, and not only stellar mass, plays a fundamental role in defining stellar surface densities, and it is responsible for the change of slope in the SDSS  $\mu_{\star}$ - $M_{\star}$  relation.

## 5.1.2. Radial Profiles

Azimuthally averaged radial profiles of  $\log \mu_{\star}$  are shown in Fig. 6. Results are stacked by Hubble type (left panel) and mass (right). In the left panel galaxies are grouped in our seven morphological classes. The typical dispersion within these bins is

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illustrated by the error bar, which shows the standard deviation in  $\log \mu_{\star}$  (*R* = 1 *HLR*) for galaxies of the Sa class.

A clear trend with Hubble type is seen: The  $\mu_{\star}(R)$  profiles scale with Hubble type from late to early spirals, and this modulation with morphology is preserved at any given distance. E and S0 have remarkably similar profiles, with core and extended envelope equally dense at any given distance, suggesting that the disk of S0 galaxies and the extended envelope of ellipticals have grown their mass by similar processes.

The right panel of Fig. 6 shows the radial profiles grouped in seven bins of stellar mass spanning the  $\log M_{\star}(M_{\odot}) = 9.1-11.8$  range. These also show that the average of  $\log \mu_{\star}(R)$  is modulated by  $M_{\star}$ . However, this  $\mu_{\star}(R)$ - $M_{\star}$  modulation breaks for early type galaxies (concentration index C ( $r_{90}/r_{50}$ )  $\geq 2.8$ ; see also Fig.13 in González Delgado et al. (2014c)), that in our sample are populated mainly by E and S0, and some Sa. On the other hand these early types are all massive, with  $M_{\star} \geq 10^{11} \,\mathrm{M_{\odot}}$ .

#### 5.1.3. Radial gradients

Inner (0–1 HLR) and outer (1–2 HLR) gradients in  $\log \mu_{\star}$ , as defined by equations (6) and (7), are plotted as a function of morphology and stellar mass in Fig. 7.  $\nabla_{in} \log \mu_{\star}$  values (corresponding to the core region) are plotted in grey-red, while  $\nabla_{out} \log \mu_{\star}$  (which trace the disks of spirals and S0 and the extended envelope of ellipticals) are plotted in grey-blue. Circles and stars show results for bases *GMe* and *CBe* respectively, illustrating that even though these bases yield different absolute values of  $\mu_{\star}$  the resulting gradients are nearly identical.

A clear correlation exists between  $\nabla_{in} \log \mu_{\star}$  and Hubble type. The gradient in the inner HLR increases (in absolute values) significantly from late to early spirals, converging to a constant value for E and S0. This relation reflects the variation of the bulge to disk ratio in spirals, and the dominance of the bulge component in spheroids (S0 and E). The outer gradient is weaker (smaller in absolute value) than the inner one, as expected if a disk component dominates the mass outwards of 1 HLR.

The right panel of Fig. 7 shows the relation between the inner gradient and the stellar mass. There is a clear increase (in absolute values) of  $\nabla_{in} \log \mu_{\star}$  with  $M_{\star}$ , with the more massive galaxies having a steeper increase of the central density. The dispersion with respect to the average values (black cross) within  $M_{\star}$ -bins is significant. To check the effect of morphology on this dispersion we have averaged  $\nabla_{in} \log \mu_{\star}$  in mass intervals for each Hubble type and plotted the resulting averages (large colored circles). The general trend that emerges is that, for galaxies of the same mass, early type galaxies tend to be overall centrally denser than later types, in agreement with Fig. 5; although, there are a few intervals of stellar mass (e.g.  $\log M_{\star} = 11.4 \text{ M}_{\odot}$ ), in which the variations in  $\nabla_{in} \log \mu_{\star}$  with Hubble type are not significant.

It is also worth mentioning that  $\forall_{in} \log \mu_{\star}$  in Sa and Sb is very close to that in S0 and E, and in this sense it would be easy to fade early type spirals into S0's.

## 5.2. Ages of the stellar populations

2D maps of the luminosity weighted mean log stellar ages (eq. 1) for the 300 galaxies are presented in Fig. C.2. Here we discuss the radial structure of  $\langle \log age \rangle_L$  and its relation to Hubble type and  $M_{\star}$ . The presentation follows the same script used in the presentation of  $\mu_{\star}$ -related results in §5.1.

gradient. The reason is that the effective radius ( $R_e$ ) of the spheroidal component can be smaller than 1 HLR, and it shows a dependence with the morphological type. Thus,  $R_e \sim 1$  HLR for E, but is significantly smaller in late type spirals.



Fig. 5. Left panel: stellar mass surface density measured at 1 HLR as a function of Hubble type. Small dots represent  $\log \mu_{\star}$  for each galaxy; the colored circles are the average  $\log \mu_{\star}$  for each Hubble type, and the error bars are the dispersion in  $\log \mu_{\star}$  for each morphological type. Right panel:  $\log \mu_{\star}$ -log  $M_{\star}$  relation. Individual galaxies are represented by small dots colored by their morphological type. The black line is the average  $\log \mu_{\star}$  in galaxy stellar mass bins of 0.4 dex. Large colored circles are the average  $\log \mu_{\star}$  in each bin of mass for each Hubble type.



**Fig. 6.** (left) Radial profiles (in units of HLR) of the stellar mass surface density obtained with base *GMe*. The results are stacked in seven morphology bins. The error bar in the panel indicate the dispersion at one HLR distance in the galaxies of the Sa bin. It is similar for other Hubble types and radial distances. (right) Radial profiles stacked in seven bins of galaxy stellar mass, log  $M_{\star}(M_{\odot})$ : 9.1–9.6, 9.6–10.1, 10.1–10.6, 10.6–10.9, 10.9–11.2, 11.2–11.5, 11.5–11.8.

#### 5.2.1. Age-morphology and age-mass relations

Fig. 8 shows how the mean age of the stellar populations at 1 HLR changes along the Hubble sequence (left panel), and with the galaxy stellar mass (right). Similarly to  $\log \mu_{\star}^{HLR}$ ,  $\langle \log age \rangle_L^{HLR}$  represents well the galaxy-wide averaged stellar population age ( $\langle \log age \rangle_L^{galaxy}$ , González Delgado et al. (2014c)).

Clearly,  $\langle \log age \rangle_L^{HLR}$  scales with Hubble type, increasing steadily from Sd to Sa. S0 and ellipticals have stellar populations of similar mean age, and older than spirals. The average and dispersion values of  $\langle \log age \rangle_L^{HLR}$  (yr) are  $8.62 \pm 0.22$ ,  $8.89 \pm 0.22$ ,  $9.07 \pm 0.19$ ,  $9.33 \pm 0.21$ ,  $9.55 \pm 0.19$ ,  $9.71 \pm 0.11$ , and  $9.74 \pm 0.11$ , for Sd, Sc, Sbc, Sb, Sa, S0 and E, respectively.

Mean ages also increase with the galaxy mass (right panel of Fig. 8), a "downsizing" behavior that has been confirmed with widely different samples and methods. For instance, our agemass relation is similar to that derived for SDSS galaxies by Gallazzi et al. (2005) (their figure 8). They found that there is a transition at  $M_{\star} \sim 3 \times 10^{10} M_{\odot}^4$ , below which galaxies are typically young and above which they are old. This is the same mass at which Kauffmann et al. (2003) find the  $\mu_{\star}$ - $M_{\star}$  relation to flatten.

Unlike in these SDSS-based works, we do not see sharp transitions as a function of  $M_{\star}$  in neither  $\mu_{\star}$  nor  $\langle \log age \rangle_L$ , although differences in sample selection and statistics prevent a proper comparison. We do, however, note a common behavior in the right panels of Figs. 5 and 8, in the sense that the dispersion above ~  $10^{10} M_{\odot}$  is strongly related to morphology.

Like in Fig. 5 (right panel), the black line in the right panel of Fig. 8 shows the age-mass relation for the whole sample, obtained by averaging  $\langle \log age \rangle_L^{HLR}$  values in  $M_{\star}$  bins. Small dots show individual galaxies, while the large colored circles represent the mass-binned average  $\langle \log age \rangle_L^{HLR}$  for each Hubble type. As with the  $\mu_{\star}$ - $M_{\star}$  relation, breaking the age-mass relation into morphological types reveals clean trends. In this case,

<sup>&</sup>lt;sup>4</sup> Equivalent to ~  $5.5 \times 10^{10} M_{\odot}$  for our IMF.



**Fig. 7.** (left) Correlation between the inner (grey-red) and outer (grey-blue) gradient of log  $\mu_{\star}$  and the morphological type. The results are shown for the *GMe* (stars) and *CBe* (circles) SSP models. The inner gradient is calculated between the galaxy nucleus and 1 HLR, and the outer gradient between 1 HLR and 2 HLR. (right) Correlation between the inner gradient of log  $\mu_{\star}$  and the galaxy stellar mass. Small dots represent the results for each galaxy, and black crosses the average for each 0.3 dex mass bin. Large circles represent the averaged inner gradient in mass intervals of 0.3 dex for each color-coded morphological type. Black crosses show the average correlation between the inner gradient of log  $\mu_{\star}$  and galaxy mass independently of the morphological type.

we see that, for a fixed  $M_{\star}$ , earlier type galaxies are older than later types. The corollary is that mass is not the sole property controlling the SFH of a galaxy. In fact, given the ~ flat agemass relations for Sa, S0 and E, morphology seems to a more relevant factor, at least in these cases.

## 5.2.2. Radial profiles

Fig. 9 shows the age radial profiles obtained by stacking galaxies as a function of Hubble type and mass. The  $\langle \log age \rangle_L(R)$ profiles scale with Hubble type, but by different amounts at the center than at 1 HLR. At any radial distance, however, the early type galaxies are older than later type ones. E and S0 are again very similar at all radii. This suggests that E and S0 have similar histories not only on average, but also spatially resolved, at least in the inner 2 HLR. Negative age gradients are detected in all galaxies (except perhaps in Sd, whose ages profiles are flatter than in the other spirals<sup>5</sup>). These negative gradients reflect the inside-out growth of galaxies. Furthermore, the decrease of  $\langle \log age \rangle_L$  with *R* indicates that quenching happens earlier at the galaxy center; and also earlier in early type galaxies (spheroids and Sa) than in later type spirals (Sbc–Sc).

The radial profiles also show a clear trend with  $M_{\star}$  (Fig. 9, right), with the more massive galaxies being older everywhere, hence preserving the downsizing pattern at all radial distances. Comparing the left and right panels in Fig. 9, one sees that grouping galaxies by their stellar mass leads to a reduced vertical stretch in their  $\langle \log age \rangle_L(R)$  profiles than when the averaging is done by morphology. But the profiles expand similar vertical scale if galaxies earlier than Sd and more massive than  $10^{9.6}$  M<sub>o</sub> are considered; indicating that the effect of morphology and stellar mass are not easily disentangled here. However, in §6.3, Fig. 20 shows that the dispersion in the  $\langle \log age \rangle_L(R)$  profiles between galaxies of the same  $M_{\star}$  and different Hubble

type is significant, and larger than between the  $\langle \log age \rangle_L(R)$  profiles of galaxies of different  $M_{\star}$  but the same Hubble type. These results in agreement with Fig. 8 indicate that the age profiles are more related to morphology than to  $M_{\star}$ . Since  $\langle \log age \rangle_L(R)$  is essentially a first moment of the spatially resolved SFH, we can conclude that the SFH and its radial variation are modulated primarily by the galaxy morphology, with mass playing a secondary role.

#### 5.2.3. Radial gradients

Gradients in  $\langle \log age \rangle_L$ , computed as indicated in eqs. (6) and (7), are plotted in Fig. 10 against Hubble type (left panel) and stellar mass (right). The figure layout is exactly as in Fig. 7. Whilst in that plot results obtained with bases *GMe* and *CBe* (circles and stars in the left panel, respectively) could hardly be distinguished, here the results for these two sets of SSPs do not overlap so precisely, although the differences in  $\nabla \langle \log age \rangle_L$  are clearly very small (see §B.2).

A clear relation exists between  $\forall_{in} \langle \log age \rangle_L$  and morphology: The inner age gradient increases from early type galaxies to Sb-Sbc spirals, which are the galaxies with the largest variation between the age of the stellar population at the bulge and the disk. Spirals of later type (Sc and Sd) have flatter radial profiles than Sb-Sbc. The outer (between 1 and 2 HLR) age gradient shows a similar bimodal behavior as  $\forall_{in} \langle \log age \rangle_L$ , but with a smaller amplitude.

The right panel of Fig. 10 shows the behavior of  $\nabla_{in} \langle \log age \rangle_L$  with  $M_{\star}$ . The gradient tends to increase (become more negative) from low mass galaxies (which have roughly flat profiles) up to about  $10^{11}M_{\odot}$ , at which point the trend reverses and  $\nabla_{in} \langle \log age \rangle_L$  decreases with increasing  $M_{\star}$ . This is best seen following the black crosses, that trace the mass-binned mean relation. The dispersion with respect to this relation is significant and is related to the morphology, as seen through the large colored circles. The tendency is that, at a given mass, S0 and early type spirals have weaker  $\nabla_{in} \langle \log age \rangle_L$  than Sb-Sbc. This dependence of age gradients with the Hubble type at a fixed

<sup>&</sup>lt;sup>5</sup> The small drop of  $\langle \log age \rangle_L$  toward the center of Sd galaxies is caused by a couple of galaxies with young nuclear regions. Given that this group is the least populated in our analysis (only 15 galaxies), better statistics is needed to evaluate the reality of this feature.



**Fig. 8.**  $(\log age)_L$  measured at 1 HLR as a function of Hubble type (left) or galaxy stellar mass (right). Symbols and colors are as in Fig. 5. The black line is the average  $(\log age)_L$  in galaxy stellar mass bins of 0.4 dex.



**Fig. 9.** Radial profiles of  $\langle \log age \rangle_L$  as a function of Hubble type (left) and in seven bins of galaxy stellar mass (right). These bins are  $\log M_{\star}(M_{\odot}) = 9.1-9.6, 9.6-10.1, 10.1-10.6, 10.6-10.9, 10.9-11.2, 11.2-11.5, 11.5-11.8$ . Symbols and colors are as in Fig. 6. These results are obtained with base *GMe*.



**Fig. 10.** (left) As Fig. 7 but for  $\langle \log age \rangle_L$ . The inner gradient shows a clear dependence with Hubble type, that seems to be stronger than with the galaxy mass. Sb-Sbc-Sc galaxies have larger inner gradients with *CBe* than with *GMe*, but both sets of models show a similar dependence with Hubble type. (right) The inner gradient of  $\langle \log age \rangle_L$  as a function of galaxy mass. Colors and symbols are as in Fig. 7.

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**Fig. 11.**  $(\log Z_{\star})_M$  measured at 1HLR as function of Hubble type (left) and galaxy stellar mass (right). Symbols and colors are as in Fig. 5. The black line is the average  $(\log Z_{\star})_M$  obtained in 0.4 de bins of  $\log M_{\star}$ .

 $M_{\star}$  indicates again that the spatial variation of the SFH is mainly driven by the morphology and not by the stellar mass.

However, the morphology (understood as the B/D ratio (Graham & Worley 2008)) can not be the only driver of the spatial variation of the SFH along all the Hubble sequence. Fig. 10 shows that there is not a monotonic relation between the B/D ratio and  $\nabla_{in} \langle \log age \rangle_L$ , with galaxies with the smaller B/D ratio having the largest variations in  $\langle \log age \rangle_L$  between the central core and the disk. This bimodal behavior seen in Fig. 10 suggests that other physical properties are also important in establishing the spatial variation of the SFH, which on the other hand is reflecting the different bulge formation processes along the Hubble sequence.

#### 5.3. Stellar metallicity

Fig. C.3 presents the images of the mass weighted mean (logarithmic) stellar metallicity (cf. eq. 2). Here we discuss the radial structure of  $\langle \log Z_{\star} \rangle_M$  as a function of Hubble type and  $M_{\star}$ .

### 5.3.1. Metallicity-morphology and mass-metallicity relations

Fig. 11 shows how the stellar metallicity measured at 1 HLR changes with the Hubble type (left panel) and with the galaxy stellar mass (right).

Stellar metallicities grow systematically from late to early type galaxies. The statistics within each Hubble type are  $\langle \log Z_{\star} \rangle_M^{HLR}(Z_{\odot}) = -0.05 \pm 0.13, -0.05 \pm 0.33, -0.21 \pm 0.16, -0.10 \pm 0.18, -0.05 \pm 0.15, +0.06 \pm 0.08, \text{and } +0.10 \pm 0.08$  for Sd, Sc, Sbc, Sb, Sa, S0, and E, respectively.

Not surprisingly, metallicities also grow with  $M_{\star}$ , as shown in the right panel of Fig. 11. Since we have shown in §4.3.2 that the galaxy-wide average stellar metallicity is well represented by the metallicity at 1 HLR, this plot is in fact equivalent to the global mass-stellar metallicity relation (MZR). We have previously found that this relation is steeper than the one derived from HII regions, which is similar to the flatter stellar MZR obtained when we consider only young stars (González Delgado et al. 2014a). As in Fig. 5, the smoothed black curve is obtained by averaging  $\langle \log Z_{\star} \rangle_M^{HLR}$  in 0.4 dex bins of  $\log M_{\star}$ . The dispersion in the MZR is significant, and larger than the dispersion produced by the galaxy morphology as shown by the distribution of large colored circles. These circles are the average  $\langle \log Z_{\star} \rangle_M^{HLR}$ in each mass bin for each Hubble type, and show the tendency of earlier type galaxies to be more metal rich than late type galaxies of the same stellar mass.

## 5.3.2. Radial profiles

Fig. 12 shows the results of stacking the radial profiles of  $\langle \log Z_{\star} \rangle_M$  as a function of Hubble type and  $M_{\star}$ . Outwards decreasing  $\langle \log Z_{\star} \rangle_M$  is detected for most morphological classes, but flat profiles are found for Sc-Sd galaxies. Intermediate type spirals (Sb-Sbc) stand out as the ones with the largest variations in stellar metallicity.

The behavior of the radial variation of the stellar metallicity with  $M_{\star}$  (right panel in Fig. 12) is similar to the behavior with morphology. Most galaxies have  $\langle \log Z_{\star} \rangle_M$  that decreases with R, except for the two lowest mass bins, which show flat profiles. The largest spatial variations are also found in galaxies in the intermediate mass bins ( $10 \le \log M_{\star}(M_{\odot}) \le 11$ ).

These negative radial gradients of the metallicity are also an indicator of the inside-out formation processes in galaxies. The inversion of the gradient in late type spirals and in low mass spirals may be an indicator of the secular processes or the outside-in formation scenario in these galaxies (Pérez et al. 2013).

#### 5.3.3. Radial gradients

Fig. 13 clones Figs. 7 and 10 for  $\langle \log Z_{\star} \rangle_M$  gradients. On the left panel, one sees that, as for stellar densities and ages, results for bases *GMe* and *CBe* are very similar. On average, galaxies have  $\langle \log Z_{\star} \rangle_M$  gradients ~ -0.1 dex/HLR, similar to the value obtained from nebular oxygen abundances (Sánchez et al. 2013). Outer and inner gradients are not significantly different. Despite the large scatter, there is a hint of a bimodal distribution as that found for stellar ages, also with intermediate type spirals in a pivotal position and late type spirals with the flattest gradients, at least in a statistical sense.

The right panel of Fig. 13 shows  $\forall_{in} \langle \log Z_{\star} \rangle_M$  as a function of  $M_{\star}$ . The dispersion is significant, but on average there is a tendency to turn flat profiles into negative gradient ones as  $M_{\star}$ increases from  $10^9$  to  $10^{10} M_{\odot}$ . The largest gradients are found between  $10^{10}$  and  $10^{11} M_{\odot}$ . More massive galaxies tend to have weaker stellar metallicity gradients. The dispersion is significant throughout this relation. A trend with morphology is seen in the sense that, for a given mass, early types are the ones with weaker gradients.

#### 5.4. Stellar extinction

STARLIGHT models the stellar extinction as a foreground screen, parametrized by  $A_V$  and following the Galactic reddening law. Images showing the spatial distribution of  $A_V$  for our 300 galaxies are presented in Fig. C.4. Here we present  $A_V$  related results as a function of Hubble type and  $M_{\star}$ , following the same script adopted in the discussion of  $\mu_{\star}$ ,  $\langle \log age \rangle_L$ , and  $\langle \log Z_{\star} \rangle_M$  in the previous subsections, thus completing the list of stellar population properties studied in this work. Unlike masses, ages, and metallicities, extinction is more easily affected by inclination effects, so the results reported below should be interpreted with caution. Section 5.5 explores this issue in depth.

#### 5.4.1. Extinction-morphology and extinction-mass relations

Fig. 14 shows how the stellar extinction at 1 HLR changes with Hubble type (left panel), and with stellar mass (right panel). As with other properties,  $A_V^{HLR}$  represents well the mean extinction



**Fig. 12.** Radial profiles of  $\langle \log Z_{\star} \rangle_M$  as a function of Hubble type (left) and of galaxy stellar mass (right). Mass bins are  $\log M_{\star}(M_{\odot}) = 9.1-9.6$ , 9.6–10.1, 10.1–10.6, 10.6–10.9, 10.9–11.2, 11.2–11.5, 11.5–11.8. Symbols and colors are as Fig. 6. These results are obtained with base *GMe*.



Fig. 13. Left: As Fig. 7 but for  $\langle \log Z_{\star} \rangle_M$ . Right: The inner gradient as a function of the galaxy stellar mass. Symbols and colors are as in Fig. 7.



**Fig. 14.** A<sub>V</sub> measured at 1HLR as function of Hubble type (left) and galaxy stellar mass (right). Symbols and colors are as in Fig. 5. The black line is the average  $\langle \log Z_* \rangle_M$  obtained in 0.4 dex bins of  $\log M_*$ .

of the galaxy<sup>6</sup> as well as the  $A_V$  value derived from spectral fits

of the integrated spectra.<sup>7</sup> The left panel in Fig. 14 shows  $A_V^{HLR}$  as a function of morphology. Ellipticals and S0s have almost no extinction, with mean  $A_V^{HLR} = 0.01 \pm 0.01$ , and  $0.06 \pm 0.07$  mag, respectively. Sa, Sb and Sc galaxies have  $A_V^{HLR}$  around 0.25 mag, and somewhat smaller (0.19 ± 0.08 mag) in Sd's.

There is no clear behavior of stellar extinction with galaxy stellar mass. In general, galaxies with  $M_{\star} \leq 10^{11} M_{\odot}$  have  $A_V^{HLR} = 0.2-0.3$  mag. More massive galaxies are less extinguished, and for fixed mass early types tend to have smaller  $A_V^{HLR}$ , but the dispersion is large.

## 5.4.2. Radial profiles

Fig. 15 shows  $A_V(R)$  profiles stacked by Hubble type (left panel), and mass (right). Spirals have  $A_V \sim 0.2$  mag in the disk and up to 0.6 mag in the center. Their  $A_V$  profiles are similar for all Hubble types except for Sd's, where  $A_V$  does not change much from disk to center. Ellipticals and S0's also show negative  $A_V$  gradients, although at distances larger than 1 HLR they are almost dustfree. The radial profiles in different bins of  $M_{\star}$  (right panel) show

<sup>&</sup>lt;sup>6</sup> The galaxy average extinction for each galaxy is calculated as the mean of all the 20 radial values obtained for each galaxy between the center and 2 HLR.

<sup>&</sup>lt;sup>7</sup> The difference between  $A_V^{HLR}$  and  $\langle A_V \rangle^{galaxy}$  is  $-0.03 \pm 0.06$ , while between  $A_V^{HLR}$  and  $A_V^{integrated}$  it is  $-0.0 \pm 0.1$ .



**Fig. 15.** Radial profiles of  $A_V$  as a function of Hubble type (left), and in seven bins of galaxy stellar mass (right). These bins are  $\log M_{\star}(M_{\odot}) = 9.1-9.6, 9.6-10.1, 10.1-10.6, 10.6-10.9, 10.9-11.2, 11.2-11.5, 11.5-11.8$ . Symbols and colors are as Fig. 6. These results are obtained with base *GMe*.

a similar behavior to that with morphology. Except for the most massive bins, shifted to lower extinction values, all other massbinned  $A_V(R)$  profiles are similar.

## 5.4.3. Radial gradients

 $A_V$  gradients are shown in Fig. 16, which is formatted as Figs. 7, 10 and 13. As for the previous properties, results for bases *GMe* and *CBe* are nearly indistinguishable, as illustrated by the overlap of circles and stars in the left panel.  $\nabla_{in}A_V$  and  $\nabla_{out}A_V$  show similar behavior with morphology, although the inner gradient is always higher than the outer one. In Ellipticals the gradient of  $A_V$  exists only in the central region. With the exception of Sd galaxies, spirals have  $\nabla_{in}A_V \sim -0.25$  mag/HLR.

On average,  $\nabla_{in}A_V$  gets stronger with increasing  $M_{\star}$  up to  $10^{11}M_{\odot}$  (Fig. 16, right) and weakens towards higher mass, spheroid dominated systems. The dispersion with respect to the mass-binned relation (traced by the black crosses) is large, and not clearly related to morphology (coded by the colored circles).

As a whole, and despite the general trends summarized above, of the four properties analyzed in this section,  $A_V$  is the one for which tendencies with Hubble type and stellar mass are less clear. A major reason for this is that, unlike for  $\mu_{\star}$ ,  $\langle \log age \rangle_L$ , and  $\langle \log Z_{\star} \rangle_M$ ,  $A_V$  estimates are sensitive to inclination effects. This is explained next.

#### 5.5. Effect of inclination on the radial profiles

An implicit hypothesis throughout the analysis presented so far is that galaxy inclination does not affect our estimates of the stellar population properties and their radial distributions. One expects this assumption to break down in the case of  $A_V$ , which should increase from face on to edge on galaxies, although it is not unreasonable to conceive that inclination effects propagate to the spectral synthesis-based estimates of stellar mass surface densities, mean ages, and metallicities. It is therefore relevant to evaluate if and how inclination affects our results.

In order to do so, we have divided the 300 galaxies in three subsamples on the basis of the b/a ratio (minor to major isophotal axes), as measured in SDSS *R*-band images. The three subsamples, each containing 100 galaxies, cover (*i*)  $b/a \le 0.39$ ,

edge on, (*ii*)  $0.39 < b/a \le 0.63$ , and (*iii*) b/a > 0.63, face on. Galaxies in each sub-sample were grouped by Hubble type, and their radial profiles of  $\log \mu_{\star}$ ,  $\langle \log age \rangle_L$ ,  $\langle \log Z_{\star} \rangle_M$ , and  $A_V$  averaged as previously done for the whole sample in the left panels of Figs. 6, 9, 12, and 15.

Fig. 17 shows the resulting stacked profiles of  $\log \mu_{\star}$ ,  $\langle \log age \rangle_L$ ,  $\langle \log Z_{\star} \rangle_M$ , and  $A_V$ . Solid, dashed and dotted lines show profiles for the "face-on" (b/a > 0.63), intermediate inclination ( $0.39 < b/a \le 0.63$ ), and "edge-on" ( $b/a \le 0.39$ ) samples respectively, and each column is for one of the seven Hubble types used throughout the paper. Average profiles were only computed for morphology-inclination bins containing at least 4 galaxies.

Stellar mass surface density, age, and metallicity profiles show a negligible variation among the b/a-based subsamples. This result indicates that inclination does not affect the estimates of these properties in any systematic way. Any difference is at a level not significant insofar as this paper is concerned. The exception is the  $\langle \log Z_{\star} \rangle_M$  profiles for "edge-on" Sc's, which differ substantially from the profiles of less inclined Sc's. It so happens, however, that the sub-group of  $b/a \leq 0.39$  Sc's has a mean stellar mass 0.4 dex lower than other Sc's, which could explain their lower metallicities without implying inclination effects.

The one property which does vary systematically with b/a is  $A_V$ , and it does so in the expected sense: Spirals with lower b/a have larger extinction. This is particularly evident in Sb's. This dependence hinders the interpretation of the stacking results presented in §5.4, and explains why no clean tendencies of the  $A_V$  values and profiles with morphology and stellar mass were identified.

## 6. Discussion

This section is divided into four main parts. First we summarize our results in the context of related studies. We then discuss our findings in the context of the growth of galaxies – theoretical expectations, high redshift observations, and previous results of inside-out growth for CALIFA galaxies. In the third part we explore what the results tell us about the quenching of star formation in galaxies. Finally, we discuss the theoretical predictions for the radial variations of age and metallicity in early types and in spirals from different simulations of galaxy formation. We



Fig. 16. Left: As Fig. 7 but for  $A_V$ . Right: The inner gradient as a function of galaxy stellar mass. Symbols and colors are as in Fig. 7.



**Fig. 17.** Radial profiles of  $\log \mu_{\star}$ ,  $\langle \log age \rangle_L$ ,  $\langle \log Z_{\star} \rangle_M$ , and  $A_V$  (from the upper to the bottom panels) for the different Hubble types (from E to Sd from left to right panel) and three different bins of the ratio of minor to major photometric radius of the galaxy: solid line (0.63 < b/a, face on), dashed line (0.39 ≤  $b/a \le 0.63$ ), and dotted line (b/a < 0.39, edge on).

compare our results for variations of the radial structure in the inner ( $R \le 1$  HLR) and outer ( $1 \le R \le 3$  HLR) parts with other observational results in the literature.

## 6.1. Age and metallicity of bulges and disks

The analysis of SDSS data has generated a general knowledge of how the age and metallicity of galaxies change with  $M_{\star}$ , color, or concentration index (e.g Kauffmann et al. 2003; Gallazzi et al.

2005; Mateus et al. 2006). These studies have confirmed that, in general, early type galaxies are old and metal rich, while late type galaxies are younger and more metal poor. Numerous (single spectra or longslit) studies have reported also that ellipticals are metal rich, and have a range of ages, 2–10 Gyr, that depend on stellar velocity dispersion (e.g. Trager et al. 2000; Thomas et al. 2005; Sánchez-Blázquez et al. 2006; Graves et al. 2009; Johansson et al. 2012).

Our spatially resolved analysis introduces a significant improvement in the study of the structure of galaxies. For example, we compute ages and metallicities of bulges in disk galaxies and compare them with elliptical galaxies in a systematic way, avoiding problems derived from the lack of spatial resolution that some of the previous studies have.

We compute the luminosity-weighted and the mass-weighted age and metallicity: (i) in the central part of galaxies (values averaged within 0.25 HLR) as representative of the stellar population properties of bulges and central core of ellipticals; and (ii) in the outer part of galaxies, values averaged in a ring at  $1.5\pm0.1$  HLR, as representative of disks. Fig. 18 plots the individual results as small dots; large dots represent the average values for each (color-coded) Hubble type, and the error bars show the dispersion. While  $\langle \log age \rangle_L$  gives information about the globally 'averaged' star formation history,  $\langle \log age \rangle_M$  informs when most of the stellar mass was formed.

Fig. 18 shows that the bulges of Sa-Sb and the cores of E-S0 formed at a similar epoch; they are very old (~10 Gyr) and metal rich ( $\geq 1 Z_{\odot}$ ). Thus, they probably formed by common processes, that occurred rapidly and early on. However, the bulges in Sc-Sd galaxies (shown as the two darkest shade of blue) are younger and have a more extended star formation history (both  $\langle \log age \rangle_M$  and  $\langle \log age \rangle_L$  are smaller), and have lower stellar metallicities. Thus, Sc-Sd galaxies formed in later times and/or by different processes.

Many bulges in late type spirals are in fact pseudo-bulges. Unlike true bulges, pseudo-bulges are thought to grow by secular processes, where material from the disk (by the loss of angular momentum) is the main source of star formation in the central parts of these galaxies (e.g. Kormendy & Kennicutt 2004). We may see this effect at work in Fig. 9 and Fig. 12, as a flattening of the radial profiles of  $\langle \log age \rangle_L$  and  $\langle \log Z_{\star} \rangle_M$ , and the positive  $\langle \log age \rangle_L$  gradient in the core of Sc galaxies. Some effects of the secular processes due to the disk may also be present in the bulges of Sa-Sb. For example, Fig. 18 shows that bulges of Sa-Sb have  $\langle \log age \rangle_L \sim 6$  Gyr, younger than the 10 Gyr epoch of formation derived from  $\langle \log age \rangle_M$ ; and this may be understood if some disk stars are rearranged into the bulges or if dissipation processes bring gas triggering new star formation in the center.

Fig. 18 also shows that disks are younger and more metal poor than bulges. Both  $\langle \log age \rangle_L$  and  $\langle \log age \rangle_M$  are lower in disks than in their respective bulges, indicating that disks formed later than bulges, and that star formation continues for a longer time in disks that in bulges, probably as a consequence of a continuing availability of gas in disks (Roberts & Haynes 1994). This indicates a general scenario of inside-out formation.

## 6.2. Inside-out growth of spheroids and spirals

## 6.2.1. Theoretical expectations and recent results from high redshift galaxies

Models of galaxy formation predict a common inside-out view for the mass assembly in galaxies (e.g. Kauffmann et al. 1993; Aumer & White 2013). First, the bulge formed at high redshift; then, the disk was built around the bulge in the case of spirals. In the case of ellipticals, the central core formed at  $z \ge 2$ , and the envelope grew later through minor mergers (Oser et al. 2010; Hilz et al. 2013, e.g). Observational evidences come from the significant size evolution in early type galaxies (ETG), that grow as size  $\propto M_{\star}^2$  (van Dokkum et al. 2010; Patel et al. 2013).

More recently, van Dokkum et al. (2014) find evidence against the inside-out formation scenario for spirals. For a sample of MW-like spirals at redshift z=2.5, they estimate the dependence of the radius with  $M_{\star}$ , and find that their size– $M_{\star}$  relation is similar to the size- $M_{\star}$  of similar galaxies at z=0. They conclude that the mass growth took place in a fairly uniform way, with the galaxies increasing their mass at all radii, thus, their  $R_{eff}$  barely grows. These results seem to be supported by numerical simulations by Elmegreen et al. (2008), that find that bulges can be formed by migration of unstable disks. Other observational evidence come from the detection of clumpy star forming disks in galaxies at z~2 (Genzel et al. 2008; Förster Schreiber et al. 2011), that may indicate an early build up of bulges by secular evolution. Thus, studies at high redshift are providing new results that draw a complex landscape of galaxy build up. For example, Wuyts et al. (2011) also find clumpy disk star formation, but at the same time conclude that there is a Hubble sequence in place at least since  $z \sim 2.5$ . On the other hand, there is other evidence that galaxies rapidly assemble inside-out at z=1 (Nelson et al. 2012; Szomoru et al. 2010, 2012); while Hammer et al. (2005) find evidence that MW-like galaxies have rebuilt their disk at  $z \le 1$  in a major merger epoch that drastically reshapes their bulges and disks, and is consistent with earlier cumplier evolution.

In summary, there is mounting evidence of the major processes responsible for the assembly and shaping of galaxies at different epochs, and these are complemented with a variety of processes that modify the inside-out formation scenario: stellar migration, bar induced gas inflows, gas-rich minor merger, angular momentum loss due to reorientation of the disk, infall of gas with misaligned angular momentum, etc (Aumer et al. 2014).

### 6.2.2. CALIFA view of the inside-out growth of galaxies

The results from our studies favor an inside-out growth of spirals. Pérez et al. (2013) studied the stellar mass growth as a function of the radius and cosmic time in galaxies with  $10^{10} \leq M_{\star} \leq$  $5 \times 10^{11} M_{\odot}$ , and showed that the nuclei grow faster than the inner 0.5 HLR, that, in turn, grow faster than the outer 1 HLR. This conclusion is supported by the stellar age radial profiles presented in González Delgado et al. (2014c), and confirmed here in Fig. 10 for most spirals and spheroidals. Further support comes from the ratio HMR/HLR (Fig. 3), a good probe of the spatial variation of the star formation history in galaxies (González Delgado et al. 2014c). This ratio is lower than 1 (Fig. 3), a fingerprint of the inside-out growth found by Pérez et al. (2013).

Fig. 19 shows how the radial profiles of  $\langle \log age \rangle_M$  decrease outwards for all the Hubble types. Most of the stellar mass in the center has been formed 10 Gyr ago or earlier ( $z \ge 2$ ). But at 1.5 HLR,  $\langle \log age \rangle_M$  ranges from 7 Gyr ( $z \sim 1$ ) in E–S0 to 4.5 Gyr ( $z \sim 0.4$ ) in Sbc, suggesting that, both early type and MWlike, galaxies have continued accreting or forming in-situ stars in their disks until more recent times, thus supporting the insideout scenario in these galaxies.

This trend, however, changes beyond 1.5-2 HLR, where  $\langle \log age \rangle_M$  and  $\langle \log age \rangle_L$  flatten. This may be interpreted as indicating that the mass was formed in a more uniformly distributed manner across the outer disk, or that stellar migration



**Fig. 18.** Left: Mass-weighted age at the galaxy center ( $\langle \log age \rangle_M^{bulge}$ ) and at 1.5 HLR ( $\langle \log age \rangle_M^{disk}$ ) for the different Hubble types. Small dots are the individual radial points, while big colored dots represent mean values for each Hubble type, with the error bars indicating the dispersion in the mean. Middle: As in the left panel but for the light-weighted age ( $\langle \log age \rangle_L$ ). Right: As in the left panel for  $\langle \log Z_{\star} \rangle_M$ . The top horizontal axes in the left and middle panels show the redshift scale. The diagonal line in the three panels is the bisector.



**Fig. 19.** Radial profiles (in units of HLR) of the mass weighted age,  $\langle \log age \rangle_M^{bulge}$ , obtained with *GMe* base. The results are stacked by morphological type as in Fig.7.

shuffles inner born stars to the outer disk, washing out the insideout formation signs so clearly seen in the inner 1.5 HLR. In the case of E–S0 this may be understood if beyond 2 HLR most of the stellar mass in the galaxies was already accreted at  $z \le 1$ .

## 6.3. Quenching

Several mechanisms have been proposed to explain the shutdown of star formation in galaxies. Halo mass quenching is one of the most popular ones that explains the bimodal distribution of the properties of galaxies, and it is required to explain the green valley as a pathway towards quenching of star formation in early and late type galaxies (e.g. Schawinski et al. 2014). In this scheme, galaxies with a halo mass below a critical value (a few  $\times 10^{12}$  M<sub> $\odot$ </sub>) accrete cold gas conducive to star formation. Above this critical mass, the infalling gas reaches the sound speed and cannot form new stars (e.g. Cattaneo et al. 2006; Dekel & Birnboim 2006). The dependence with environment and clustering strongly supports this quenching mechanism (e.g. Weinmann et al. 2006; Peng et al. 2010).

The differential dependence of the stellar mass surface density (Fig. 5 and Fig. 6) with the galaxy stellar mass (a proxy of the halo mass) provides further evidence of the halo quenching (e.g. Behroozi et al. 2010). Estimating of the properties of the stellar populations in SDSS galaxies, Kauffmann et al. (2003) found that there is a critical mass ( $M_{\star} = 3 \times 10^{10} \text{ M}_{\odot}$ , equivalent to ~  $6 \times 10^{10} \text{ M}_{\odot}$  for our Salpeter IMF) below which  $\log \mu_{\star}$ scales with  $M_{\star}$ , and above which  $\log \mu_{\star}$  is independent of the galaxy stellar mass. Right panels of Fig. 5 and Fig. 6 support this scenario because the radial profiles of  $\log \mu_{\star}$  scale with  $\log M_{\star}$ , and furthermore they do so all along their extent. Our results also show that  $\log \mu_{\star}$  saturates at high  $M_{\star}$ ; because the high mass end of the distribution is dominated by early type galaxies (Sa-SO-E), this suggests that the spheroidal component plays a significant role in the quenching of star formation in high mass galaxies.

The importance of morphology in the quenching of galaxies has also been reported in the literature (e.g. Bell 2008; Bell et al. 2012; Barro et al. 2013; Pan et al. 2014; Woo et al. 2015). Martig et al. (2009) found that the dependence of quenching with morphology is a consequence of the bulge-building mechanism. The steep potential well induced by the formation of a large spheroid component results in the stabilization of the disk, that cuts the supply of the gas, preventing its fragmentation into bound, star forming clumps. Our results support this scenario, as it is explained below, because the dependence of the SFH of galaxies with the morphology.

If the halo mass is the main property responsible for quenching, we should expect that the radial structure of  $\langle \log age \rangle_L$  (both, the age values and the gradients) to change more with  $M_{\star}$  than with Hubble type. On the contrary, if quenching is driven by morphology, galaxies of similar stellar mass would have very different  $\langle \log age \rangle_L$  structure depending on Hubble type. We explore the relevance of morphology versus  $M_{\star}$  in Fig. 20: age radial profiles are shown as a function of  $M_{\star}$  and of morphology, in four mass bins (log  $M_{\star}=11.5-11.2$ , 11.2-10.9, 10.9-10.6, 10.6-10.1). Clearly, morphology is the main driver: it can account for up to 0.75 dex change in age at a given mass (top panels); conversely, at a fixed morphology, mass accounts for less than 0.25 dex (bottom panels). Further, morphology accounts not only for changes in absolute values, but also for changes in the gradients at a given galaxy mass.

This confirms the similar result obtained above with  $\log \mu_{\star}$ , and it implies that galaxies of similar  $M_{\star}$  (equivalent to have similar  $M_{halo}$ ) and with a large spheroid have shutdown their star formation (outside their central core) earlier than galaxies of later morphology. These results indicate that the SFH and their radial variations are modulated primarily by galaxy morphology, and only secondarily by the galaxy mass, suggesting that the bulge formation has a relevant role in quenching the star formation in galaxies.



**Fig. 20.** Radial profiles of  $\langle \log age \rangle_L$  (upper panel) in four galaxy stellar mass bins. From left to right:  $\log M_*(M_{\odot}) = 11.2-11.5$  (continuum line), 10.9–11.2 (dashed line), 10.6–10.9 (dashed-point line), 10.1–10.6 (dotted line). In each panel, the average profile for each Hubble type is plotted if more than four galaxies have galaxy stellar mass in the log  $M_*$  bin. Bottom: each panel shows the radial profile of each Hubble type averaged in each of the four log  $M_*(M_{\odot})$  bins.

## 6.4. Radial structure of the stellar population properties in ETG and their relation with galaxy formation models

## 6.4.1. Theoretical predictions from cosmological simulations

Classical chemical evolution models of the formation of early type galaxies (ETG) are based in two possible scenarios: 1) dissipative formation, the well known monolithic collapse; and 2) the non-dissipative collapse. These scenarios produce very different radial gradients of ages and abundances, being very steep in the first case, with values of  $\nabla$ [Fe/H]  $\sim -0.5$  to -1.0 [dex/dex] (Larson 1974, 1975; Carlberg 1984)<sup>8</sup>, but (almost) flat when there are pure stellar mergers. This second case may even erase a previously existing radial gradient.

The most recent cosmological simulations propose a two phase formation scenario for ETG's in which the central core formed at  $z \ge 2$ , and the envelope grows after this through minor mergers (e.g. Naab et al. 2009; Oser et al. 2012; Hilz et al. 2012; Navarro-González et al. 2013). Thus: 1) Galaxies assemble their mass through dissipative processes and star formation occurs in-situ. Starbursts formed at the center as a consequence, for example, of large major mergers or monolithic collapse. The star formation is induced by cold flow of accretion or by gas-rich mergers. 2) Galaxies grow in size by mass assembly through the external accretion of satellites; ex-situ star formation formed by dry mergers of galaxies towards the central most massive one.

Observationally, there is evidence of a significant size evolution in ETGs. The growth of the galaxy size with  $M_{\star}^2$  supports this proposal. A transition region is expected between the in-situ central core of ETG and ex-situ outer regions. Since the central core of these ETG is enriched very quickly due to major mergers at high redshift ( $z \ge 2$ ), and the satellites that are accreted are less metal rich than the central massive one, a negative radial gradient of the metallicity is expected, even with a change of the slope in the transition region. Thus, values as  $\nabla$ [Fe/H] = -0.5 [dex/dex] (Pipino et al. 2010) or  $\nabla$ [Fe/H] = -0.3 [dex/dex] (Kawata & Gibson 2003) are predicted.

However, the merger history may change an existing radial gradient: while dry major mergers can flatten the pre-existing gradient (Kobayashi 2004; Di Matteo et al. 2009; Hopkins et al. 2009), dry minor mergers can steepen the metallicity gradient. Thus, Kobayashi (2004) SPH chemodynamical simulations of elliptical galaxies that include radiative cooling, star formation and feedback from SNII-Ia, and chemical enrichment, (but do not include kinematic feedback), found that the steep negative radial metallicity gradient, established during the initial starburst

<sup>&</sup>lt;sup>8</sup> The metallicity gradient measured in spheroids is traditionally calculated as  $\Delta$ [Fe/H]/ $\Delta$  log *r* and expressed in [dex/dex] units.

at  $z \ge 2$ , can flatten significantly by later major-mergers in the galaxy. Following these simulations, the average gradient at the present time is  $\nabla$ [Fe/H]= -0.3 [dex/dex], but it may decrease to a value of -0.2 [dex/dex] when major mergers appear.

Beside the merger history, feedback can change the inner and outer metallicity gradients. Thus, a strong AGN feedback can stop the star formation in the central core of massive galaxies, flattening the inner gradients. Feedback from in-situ star formation can alter the outer metallicity gradient. Also, the existence of galactic winds may modify the composition of the ISM in a galaxy. Hirschmann et al. (2015) performed cosmological simulations that include an empirical model for the momentum driven galactic winds, to investigate the dependence of the age and metallicity outer gradients with metal cooling and galactic winds, (in principle required to explain the mass-metallicity relation, MZR). These simulations including winds predict  $\nabla$ [Fe/H] = -0.33 [dex/dex], steeper than the simulations without winds that predict  $\nabla$ [Fe/H] = -0.11 [dex/dex]. The main explanation is that in wind models the stars accreted are of lower metallicity than in the simulations with no winds. In both cases, however, they predict a positive *age* gradient of ~ 0.03-0.04 [dex/dex].

## 6.4.2. Implications from this work and comparison with other results from the literature

Following our own results in this work, E and S0 have formed their central core at similar cosmic time since they have similar central ages (see Fig. 18). Further they must have formed through similar processes since their radial profiles of  $\log \mu_{\star}$ ,  $\langle \log age \rangle_L$ , and  $\langle \log Z_{\star} \rangle_M$  are remarkably similar. They both show small but negative  $\langle \log age \rangle_L$ , and  $\langle \log Z_{\star} \rangle_M$  gradients in the central core. In the central 1 HLR, E and S0 in our sample have  $\nabla \langle \log Z_{\star} \rangle_{M} \sim -0.1$  [dex/dex] (std = 0.15)<sup>9</sup>. (Sligthly steeper,  $\nabla \langle \log Z_{\star} \rangle_{M} = -0.2$  [dex/dex], when CBe models are used.) These are within the range of values found in other studies based on long-slit or IFS data up to one effective radius (e.g. Mehlert et al. 2003; Sánchez-Blázquez et al. 2007; Annibali et al. 2007; Rawle et al. 2008; Spolaor et al. 2010; Kuntschner et al. 2010). However they are shallow compared with theoretical expectations if minor mergers are relevant in growing up the central core of E and S0 galaxies. This may indicate that major mergers are more likely the main process building the central regions (up 1 HLR) of ETGs.

Between 1 and 3 HLR, the radial profile of  $\langle \log Z_{\star} \rangle_M$  is of similar slope or slightly shallower than in the inner 1 HLR. We do not find any evidence of a transition region where the metallicity radial profile steepens to metallicities below solar. If the 1 to 3 HLR envelope of ETG had grown through the accretion of low mass satellites a steepening of metallicity would be expected, as explained before, because the mass-metallicity relation implies that low mass satellites would be of low metallicity. In our results there is no evidence either of an inversion of the age radial profile toward older ages beyond 1 - 2 HLR, as expected if these satellites were formed very early on like the core of E and S0 (see Fig. 9 and Fig. 18). These results are in contrast with recent ones by Greene et al. (2012, 2013): for a sample of  $\sim$ 30 early type galaxies they find at 2 R<sub>eff</sub> an old (10 Gyr) stellar population with  $[Fe/H] \sim -0.5$ , and interpret this as the stellar outskirts of these galaxies being built up through minor mergers. Also Coccato et al. (2010); La Barbera et al. (2012); Montes et al. (2014) observing a few massive ellipticals have reported a decline of the metallicity to under solar in an old stellar population in their outskirts ( $\geq 10 R_{eff}$ ) suggesting that these galaxies are formed in two phases, the central core through major mergers, and through minor mergers farther out. However, other recent works show examples of ETGs with an old and metal rich stellar population and a very shallow metallicity gradient up to 3  $R_{eff}$  (Trujillo et al. 2014), in contrast with the results by Greene et al. (2012, 2013).

Our results do not support the minor merger scenario for the size growth of ETGs. Thus, the ages,  $\langle \log age \rangle_L \sim 9.7$  (yr), and metallicity,  $\langle \log Z_{\star} \rangle_M \sim Z_{\odot}$ , at 1 – 3 HLR, and the shallow metallicity gradient,  $\nabla \langle \log Z_{\star} \rangle_M \sim -0.1$  [dex/dex], that we obtain are more consistent with the growth of the 1 – 3 HLR envelope of ETGs through major mergers.

Other interesting result reported in the literature that can be compared with ours is the correlation between the metallicity gradient and the galaxy mass (or stellar velocity dispersion,  $\sigma_{\star}$ ) found for E and S0. Spolaor et al. (2010) have found that the relation between  $\sigma_{\star}$  and the metallicity gradient shows two regimes of behavior: (i) for galaxies with  $\log \sigma_{\star} \leq 2.2 \text{ km s}^{-1}$ , the metallicity gradient steepens with  $\sigma_{\star}$ ; (ii) galaxies with  $\log \sigma_{\star} > 2.2$  $km s^{-1}$  (the most massive ellipticals), have a metallicity gradient that does not correlate with  $\sigma_{\star}$  (or galaxy mass), with a mean value ~ -0.15 [dex/dex]. On the other hand, Pastorello et al. (2014) derive the [Z/H] gradient in the outer 1 – 2.5 R<sub>eff</sub> of a sample of ellipticals, and they find that the gradient covers a wide range of values, from negative very steep ( $\sim -2$ ) to flat or even positive; these values correlate with the galaxy stellar mass and stellar velocity dispersion, with the galaxies of lower  $M_{\star}$  (or  $\sigma_{\star}$ ) having the steeper metallicity gradient. However, the most massive galaxies exhibit the flattest gradients and an average value of  $\nabla \langle \log Z_{\star} \rangle_{M} \sim -0.2$  [dex/dex] (std = 0.38) for galaxies with  $M_{\star} \geq 10^{11} M_{\odot}$ . Both works show a significant scatter in the  $\nabla \langle \log Z_{\star} \rangle_M - M_{\star}$  relation for  $M_{\star} \geq 10^{11} M_{\odot}$ , and reasonable doubts of the existence of the correlation for high mass ellipticals.

Our results (Fig. 13) indicate that there is no correlation between the metallicity gradient and  $M_{\star}$  for the CALIFA early type galaxies (E and S0). Even so, our results are compatible with Spolaor et al. (2010) and Pastorello et al. (2014), because E and S0 in our sample are all above  $10^{11} M_{\odot}$  (and  $\sigma_{\star} > 100$ km s<sup>-1</sup>), for which no correlation is found between the metallicity gradient and  $M_{\star}$  in Spolaor et al. (2010) or Pastorello et al. (2014). We find that CALIFA ellipticals have a shallow gradient. This behavior is also in agreement with Hirschmann et al. (2013) simulations and their interpretation of the lack of correlation between the metallicity gradient and  $M_{\star}$  in massive ellipticals. Following these authors, massive galaxies accrete higher mass satellites, and because of their deeper potential well they retain their own gas against stellar winds, producing a shallower metallicity gradient in the outer regions of massive ellipticals.

Because the metallicity at 2–3 HLR in E and S0 are similar to the metallicity in the bulge of early spirals, and the stars at these distances are as old as the bulges of Sa-Sb galaxies (see Fig. 9), the 1–3 HLR envelope of early type galaxies might have built from the centers of early type spirals. In summary, the negative but shallow gradients of the metallicity and ages suggest that massive ( $M_{\star} \ge 10^{11} M_{\odot}$ ) early type galaxies built their inner 3 HLR through mergers with massive and metal rich spirals.

<sup>&</sup>lt;sup>9</sup> Our gradients, that are measured in a linear scale, are converted here to a logarithmic scale to be compared with predictions from simulations and other works in the literature.

## 6.5. Radial structure of the stellar population properties in spirals and their relation with galaxy formation models

New insights on the structure of the Milky Way disk, in particular through the measurements of chemical abundances of large sample of stars, are provided by the spectroscopic surveys undertaken in recent times (e.g., SEGUE, RAVE, Gaia-ESO survey, HERMES, APOGEE, LAMOST, etc; Yanny et al. 2009; Steinmetz et al. 2006; Gilmore et al. 2012; Zucker et al. 2012; Majewski et al. 2010; Zhao et al. 2012). RAVE (Radial Velocity Experiment) (Steinmetz et al. 2006; Boeche et al. 2014) is studying the radial and vertical chemical gradients using a very large sample of dwarf stars. Close to the Galactic plane, RAVE shows a negative radial gradient of Fe abundance, -0.054 dex/kpc <sup>10</sup>, that becomes flatter or even positive when measured above the disk. So, the [Fe/H] gradient ranges from -0.039 to +0.047 dex/kpc when measured at heights 0.4 - 0.8 kpc, or 1.2 - 2 kpc above the Galactic plane, respectively.

The radial gradient of abundances in the different regions of a spiral galaxy are important because they are directly related with the formation process. Obviously, not all scenarios of disk/spiral formation are valid, since it is necessary that they produce a radial gradient of abundances in the disk but not in the halo, as observed in the MW and in M31. Thus, the formation of the halo from different fragments or minor mergers with very short free fall times does not create a radial gradient but a dispersion of abundances, and therefore it was early concluded that the MW halo may be formed from mergers or from the accretion of low mass galaxies (or part of them). However, disks are more likely formed from a single cloud falling on and from inside-out.

## 6.5.1. Theoretical predictions from "classical" chemical evolution models

Most classical chemical evolution models claim that infall of gas with a radial dependence, implying an inside-out scenario for the disk formation, is essential to reproduce the observed radial gradient of abundances. The key ingredient is the dependence of the disk infall time scale with the radial distance, that makes the gas to accumulate faster in the inner disk. Since the SFR depends on the gas density, these assumptions produce a radial dependence of the star formation rate and a negative radial metallicity gradient (Ferrini et al. 1994; Molla et al. 1996; Chiappini et al. 2001; Mollá & Díaz 2005). Thus Molla et al. (1996) give a value -0.08 for a MW like galaxy, reproducing the value found by Shaver et al. (1983) and other HII regions studies. Chiappini et al. (2001) models predict a gradient of -0.04 dex/kpc for a MW-like galaxy. In fact, as theoretical equations show (Goetz & Koeppen 1992), the radial gradient of abundances appears in the disk when there is an adequate ratio between star formation rate to infall rate. It also implies, therefore, that a dependence of the radial gradient on the morphological type of galaxies may exist. Molla et al. (1996) models already predicted radial gradients for galaxies of different morphological types, with values in the range -0.025 (for a M31-like galaxy) to -0.183 dex kpc<sup>-1</sup> (for a late type galaxy like NGC 300). More recent works (Mollá & Díaz 2005) calculate models where the infall rate was a function of the mass distribution (or rotation curve) of the galaxy, assuming a stronger radial dependence of the infall timescales than in Chiappini et al. (2001). Moreover Mollá & Díaz (2005) models also depend on an efficiency factor to condense the molecular gas, and to convert the gas reservoir into stars. The metallicity gradients range -0.02 to -0.15 dex kpc<sup>-1</sup> with flat gradients for galaxies with the largest efficiency factor, or the most massive ones, although in the extreme end the low mass and lowest efficiencies models also show flat radial distributions. Thus, the steepest gradients appear in the intermediate mass or intermediate type galaxies. However, there is no dependence on the morphological type when the gradient is normalized to a characteristic value, such as the effective radius as recent results by CALIFA have found based on HII regions abundances (Sánchez et al. 2013).

## 6.5.2. Theoretical predictions from cosmological simulations

Recently, hydrodynamical cosmological simulations have provided evidences in support of the imposed inside-out disk growth scenario adopted within the "classical" chemical evolution models. Like spheroidals, spirals are formed in two phases. In the first phase the bulge formed in a similar way as the core of E-S0. In the second phase, the disk grows by star formation in-situ from the infalling gas (Kauffmann et al. 1993; Aumer & White 2013). Metal poor gas with higher angular momentum at lower redshifts is turned into stars at larger radii. Negative radial metallicity gradients are expected, as the classical models predict. This assumption is a natural outcome of the mass, momentum, and energy conservation laws, imposed in the simulations of disks in a cosmological context (Brook et al. 2011, 2012; Few et al. 2012; Pilkington et al. 2012a,b; Gibson et al. 2013).

Pilkington et al. (2012a) have examined a set of 25 simulations, from several groups, using different codes and initial conditions (Stinson et al. 2010; Rahimi et al. 2011; Kobayashi & Nakasato 2011; Few et al. 2012) to predict the present-day metallicity gradient in MW-like galaxies and its evolution. Although the evolution of the simulated metallicity gradients depends strongly on the choice of the sub-grid physics employed, most of the simulated galaxies tend to a similar present-day gradient of ~ -0.05dex kpc<sup>-1</sup>, in agreement with the Chiappini et al. (2001) and Mollá & Díaz (2005) models for normal galaxies as the MW.

#### 6.5.3. Implications from this work

Our findings show that spiral galaxies (excluding Sd) have negative radial gradients as indicative of the inside-out growth of the disk (see Fig. 12). The average  $\nabla_{out} \langle \log Z_* \rangle_M$  for spirals (excluding Sd and later type) is -0.08 dex/HLR or -0.02 dex/kpc. These values are compatible with the results obtained by Sánchez-Blázquez et al. (2014), that have already derived the metallicity gradients for 62 CALIFA face-on spiral galaxies to study the effect of bars on the properties of the stellar populations. For these galaxies, they find a metallicity gradient of -0.025 dex/kpc (std = 0.05), equal (-0.027 dex/kpc) to the gradient that we derive for the same group of galaxies.

In order to compare with our results, the RaDES simulated galaxies (Few et al. 2012), 19 galaxies of the Pilkington et al. (2012a) sample, have been analyzed in a similar way as we have done here, i.e. measuring the gradients in a similar way and using the HLR values of the simulated galaxies (Ruiz-Lara in prep., and Ruiz-Lara et al. private communication). The simulated galaxies analyzed in this work cover a narrow range of morphologies, mainly Sbc-Sc. Therefore, these results cannot be extrapolated to the full work presented here, but they are representative of the state-of-art of cosmological simulations of

 $<sup>^{10}</sup>$  The metallicity gradient in disks is traditionally calculated as  ${\rm \Delta}[Fe/H]/{\rm \Delta}r,$  and expressed in dex/kpc.

disk galaxies, and can be used to compare them to similar disks from our observations. Mock B-band images are used to derive the HLR and to perform a bulge-disk decomposition used as a proxy for the morphology. Metallicities are calculated for disk particles using Eq.(2) and the gradient is derived between 0 - 1HLR and also between 1 and 2 HLR. The stellar metallicity and age gradients of the simulated galaxies are compatible with the results presented here. Keeping in mind that the morphological range covered by these simulations is rather narrow and that they use B/D as a proxy for a morphological classification, the results show a slight dependence of  $\nabla_{out} \langle \log Z_{\star} \rangle_M$  with B/D ratio, with a steeper slope for B/D=1 (Sbc galaxies) for which  $\nabla_{out}$  $\langle \log Z_{\star} \rangle_{M} \sim -0.1$  dex/HLR. Later type spirals have a flatter gradient of  $\nabla_{out} \langle \log Z_{\star} \rangle_M \sim -0.046$  dex/HLR. These results go in line with those found here, namely, that the metallicity radial gradient of spirals shows a dependence on morphology, with the steepest gradient found in the intermediate Sb-Sbc spirals (see Fig. 12 and Fig. 13). However, a larger set of cosmological simulations is required covering from early Sa to late Sd, and a large range of galaxy masses (from  $10^9$  to  $10^{11}$  M<sub> $\odot$ </sub>), in order to confirm the general trend found here. On the other hand, these results indicate that the feedback recipes used in these simulations are able to recover realistic galaxies with small bulges and are fully in agreement with the work presented here.

Furthermore, our results are also compatible with classical chemical models, and certainly, the CALIFA Sb-Sbc galaxies have stellar metallicity gradients (-0.025 dex/kpc) in the range observed in the MW disk, but somewhat shallower than the [Fe/H] gradient measured in the Galactic disk. However, it is necessary to take into account that the gradient usually given in the literature is obtained for young stars or HII regions, while here it is an average value obtained for all stellar populations existing in the studied galaxy or region. Besides that, the number of objects is increased compared with the old studies and, more important, all of them have been self-consistently analyzed using the same reduction technique and spectral models.

In any case our results favor an inside-out growth of spirals. This conclusion is supported by the stellar age radial profiles presented here: the age decreases outwards for all Hubble types studied<sup>11</sup>. Beyond 1.5 - 2 HLR the radial distribution of ages flattens, suggesting that the mass forms more uniformly in those regions, or that the stellar mixing brings stars born in the inner disk to the outskirts. This last possibility has been recently investigated by Minchev et al. (2013, 2014), who have performed N-body hydrodynamical models with the chemical evolution implementation (Minchev et al. 2013, 2014). They have simulated MW-like galaxies with the aim to investigate whether the Galactic disk can be understood as a single structure with kinematic and chemical features that are continuously distributed, being the thin and thick disks two extreme cases of these structures. Furthermore, they investigate the effect of stellar migration and kinematic heating in the scatter of the age-metallicity relation, and how it changes with the Galactic radius. In fact, an increase of the scatter in the age-metallicity relation and a flattening of the stellar metallicity gradient is produced by the stellar radial migration, that causes a radial mixing in the older stellar population, creating the appearance of a flatter gradient in early times, and leading to a decoupling of the stelar population from their birth interstellar medium (Roškar et al. 2008). These results also indicate that even though radial mixing has a significant effect in flattening the metallicity gradient, it can not destroy it.

## 7. Summary and conclusions

We have analyzed the stellar population properties of 300 galaxies, observed by CALIFA with the V500 and V1200 gratings and IFU PPak at the 3.5m telescope of Calar Alto, to investigate the trends in the stellar populations properties with radial distance as a function of Hubble type and galaxy stellar mass. The sample includes ellipticals, S0 and spirals from early (Sa-Sb) to late types (Sc-Sd). They cover a stellar mass range from  $0.7 \times 10^9$  to  $7 \times 10^{11}$   $M_{\odot}$  if Salpeter IMF is assumed, and a factor 1.78 (0.25 dex) lower for a Chabrier IMF. A full spectral fitting analysis was performed using the STARLIGHT code and a combination of SSP spectra from González Delgado et al. (2005), Vazdekis et al. (2010), or Charlot & Bruzual (2007, private communication). Our pipeline Pycasso is used to process the spectral fitting results to produce present day maps of the spatial distribution of the stellar population properties. For each galaxy, these maps are azimuthally averaged to produce radial profiles (in units of the half light radius, HLR:  $a_{50}^L$ ) of the stellar mass surface density  $(\log \mu_{\star})$ , stellar ages (light weighted,  $\langle \log age \rangle_L$ , and mass weighted,  $(\log age)_M$ , metallicity  $((\log Z_{\star})_M)$ , and extinction  $(A_V)$ . The radial profiles are stacked as a function of Hubble type and of galaxy mass. Radial gradients of these properties measured within the inner 1 HLR and between 1 and 2 HLR are also obtained.

Our main results are:

- 1. Spatially averaged vs. integrated galaxy properties: the metallicity,  $\langle \log Z_{\star} \rangle_M$ , galaxy-wide spatially averaged matches the metallicity obtained from the integrated spectrum, and the metallicity at R=1 HLR. This result is equivalent to that obtained for the other stellar population properties,  $\log \mu_{\star}$ ,  $\langle \log age \rangle_L$ , and  $A_V$ , as reported by González Delgado et al. (2014c,b), proving that effective radii are indeed effective.
- 2. Mass weighted size: We confirm our earlier finding (González Delgado et al. 2014c) that galaxies are more compact in mass than in light by ~20%. The HMR/HLR ratio shows a dual distribution with Hubble type, that breaks in the Sb-Sbc, the galaxies with the smaller HMR/HLR. This ratio also shows a dual dependence with  $M_{\star}$ : it decreases with increasing mass for disk galaxies, and becomes almost constant in spheroidal galaxies. These results are a signpost of the inside-out growth previously found by Pérez et al. (2013).
- 3. Stellar mass surface density:  $\log \mu_{\star}(R)$  shows declining profiles that scale with morphology and with  $M_{\star}$ ; this behavior is preserved at any given distance. At constant  $M_{\star}$ ,  $\log \mu_{\star}(R)$  is higher in early type than in late type spirals. E's and S0's show equal  $\log \mu_{\star}(R)$  profiles, independently of  $M_{\star}$ . The inner gradient,  $\nabla_{in} \log \mu_{\star}$ , correlates with Hubble type. The negative gradients steepen from late type spirals to spheroids, as well as with galaxy total mass in galaxies with  $M_{\star} \leq 10^{11} M_{\odot}$ . At a constant  $M_{\star}$ ,  $\nabla_{in} \log \mu_{\star}$  steepens with morphology, with E's and S0's having the steepest gradients. These results indicate that morphology, and not only  $M_{\star}$ , plays a relevant role in defining  $\mu_{\star}$ , and the  $\mu_{\star}-M_{\star}$  relation.
- 4. *Stellar ages*:  $\langle \log age \rangle_L(\mathbf{R})$  shows declining profiles that scale with morphology; this behavior is preserved at any given distance. Early type spirals are always older than late spirals. E's and S0's, although older than spirals, have both similar  $\langle \log age \rangle_L(\mathbf{R})$  profiles, indicating that these galax-

<sup>&</sup>lt;sup>11</sup> Sd galaxies, however, show a much flatter age gradient

ies have similar star formation histories. The more massive galaxies are also the older ones; this "downsizing" behavior is always preserved at any given distance. The negative  $\nabla_{in} \langle \log age \rangle_I$  depends on Hubble type in different ways: steeper from E and S0 to Sbc, and shallower from Sbc to Sd. Thus, Milky Way like galaxies have the steepest age gradient. A  $\bigtriangledown_{in} \langle \log age \rangle_L - M_{\star}$  relation exists, increasing the gradient from the low mass galaxies (which have roughly flat profiles) up to about  $10^{11} M_{\odot}$ , at this point the trend reverses and  $\nabla_{in} \langle \log age \rangle_L$  decreases with increasing  $M_{\star}$ . However, the dispersion in the  $\nabla_{in} \langle \log age \rangle_L - M_{\star}$  relation and  $\langle \log age \rangle_L^{HLR} - M_{\star}$  is significant and it is strongly related with the morphology. Even more, the dispersion of the  $\langle \log age \rangle_{L}(\mathbf{R})$  profiles of galaxies of equal mass is significant and larger than between the  $\langle \log age \rangle_I(\mathbf{R})$  profiles of galaxies of different  $M_{\star}$  but the same Hubble type. Thus, the SFHs and their radial variations are modulated primarily by the Hubble type, with mass playing a secondary role.

- 5. Stellar metallicity:  $\langle \log Z_{\star} \rangle_M(\mathbb{R})$  shows mildly decreasing profiles for most Hubble types, except Sd's that show little, if any, radial dependence. Milky Way like galaxies (Sbc) stand out as the ones with the steepest radial profiles.  $\langle \log Z_{\star} \rangle_M(\mathbb{R})$ scales with  $M_{\star}$  in a similar way as it does with morphology. This can be understood as a consequence of the global mass metallicity relation –a primary dependence of the metallicity with  $M_{\star}$ . The metallicity gradients are negative but shallow on average, with  $\nabla_{in} \langle \log Z_{\star} \rangle_M \sim -0.1$  dex/HLR, and show a small dependence with  $M_{\star}$  up to  $M_{\star} \sim 10^{11} M_{\odot}$ , steepening with increasing mass. Above  $10^{11} M_{\odot}$  (Sa's, S0's and E's) they have similar metallicity gradient. The dispersion in the  $\nabla_{in} \langle \log Z_{\star} \rangle_M - M_{\star}$  relation is significant and a trend with morphology is seen, in the sense that, for a given mass, intermediate type spirals are the ones with steeper gradients.
- 6. Stellar extinction: All the galaxies show  $A_V(R)$  declining profiles, but do not have a clear trend with morphology or with galaxy mass. Most spirals show similar radial variations, and similar average extinction,  $A_V \sim 0.2$  mag at the disk and up to 0.6 mag in the center, with the inner gradient  $\nabla_{in}A_V \sim -0.25$  mag/HLR. However, Sd galaxies show a shallow central gradient. E and S0 also show a negative gradient in the inner 1 HLR (shallower than in early type spirals), but out of the core they are almost dust free. On average,  $\nabla_{in} A_V$  gets stronger with increasing  $M_{\star}$  up to  $10^{11} M_{\odot}$ , and weakens towards higher mass. However, the dispersion with respect to the binned mass relation is not related with Hubble type. A major reason for this is that  $A_V(R)$  profiles are sensitive to inclination effects, unlike  $\mu_{\star}$ ,  $\langle \log age \rangle_L$ , or  $(\log Z_{\star})_{M}$ . Thus, spirals with larger inclination have larger extinction. This is particularly evident in Sb's, that have the largest  $A_v^{HLR}$  and the steepest central gradient.

From these results, we conclude:

- Evidence in favor of the inside-out growth of galaxies is found in the negative radial stellar age gradients. Metallicity gradients and the fact that galaxies are more compact in mass than in light also support this scenario. On the other hand, the flattening of the  $\langle \log age \rangle_L(R)$  profiles beyond 1.5–2 HLR may be interpreted as indicative that the mass was formed in a more uniformly distributed manner across the outer disk of spirals. In the case of E's and S0's this may be understood if beyond 2 HLR most of the stellar mass was accreted at  $z \le 1$ .

- The mean stellar ages of disks and bulges are correlated, with disks covering a large range of ages, and late type spirals hosting the younger disks. The bulges of S0 and early type spirals are old and metal rich as the core of E's. They formed by similar processes, through mergers. Later type spirals, however, have younger bulges, and larger contribution from secular evolution are expected. Disks are younger and more metal poor than bulges, as an indicative of the inside-out formation scenario of these galaxies.
- S0's in this sample (all are massive galaxies), act as a transition class between E's and spirals, with  $\mu_{\star}(R)$ ,  $\langle \log age \rangle_L(R)$ , and  $A_V(R)$  between massive E's and Sa's. The gradient in  $\mu_{\star}$  and  $\langle \log age \rangle_L$  of S0's is so similar to Sa's galaxies, that they can result from the same formation process.
- It is the Hubble type, not  $M_{\star}$ , that drives differences in the galaxy averaged age, and radial age gradients. These results indicate that the SFH and their radial variations are modulated primarily by galaxy morphology, and only secondarily by the galaxy mass. This suggest that galaxies are morphologically quenched, and that the shutdown of star formation occurs outwards and earlier in galaxies with a large spheroid than in galaxies of later Hubble type.

From the comparison of the results with the theoretical predictions from cosmological simulations, we conclude:

- Major mergers are likely the main process building the central regions of ETGs. The metallicity gradient within 1 HLR is shallow compared with the theoretical expectation if minor mergers are relevant in the growth of the central core of E's and S0's. In our results there is no evidence either of an inversion of  $\langle \log age \rangle_L$  toward older ages beyond 1–2 HLR, or of a steepening of the metallicity if these galaxies were growing in size through minor dry mergers. Massive galaxies probably accreted massive satellites that were able to retain their metal rich gas against winds, producing flatter metallicity gradients (Hirschmann et al. 2015). Alternatively, the flattening of the metallicity radial profile can result from the quenching of star formation. When this happens, the metal cycle stops and only stars of that last star formation event remain.
- Through the negative metallicity gradients, spirals show evidence of growing inside-out. These gradients are flatter than the predictions by the classical chemical evolution models (Chiappini et al. 2001; Mollá & Díaz 2005, e.g), but are similar to those measured above the Galactic disk. The largest gradient happens in intermediate types and intermediate galaxy mass, as predicted by the Mollá & Díaz (2005) models. However, Sbc galaxies have a  $\langle \log Z_{\star} \rangle_M$  gradient similar to the predictions by RaDES simulations (Few et al. 2012; Pilkington et al. 2012a). This indicates that the feedback recipes used in these simulations are able to recover realistic galaxies with small bulges. However, a larger set of cosmological simulations is required, covering from early type Sa to late Sd, and a large range of galaxy mass (from  $10^9$  to  $10^{11}$  M<sub> $\odot$ </sub>), in order to confirm the general trend with the Hubble type found in this work.

Thanks to the uniqueness of the CALIFA data in terms of spatial coverage and resolution, large sample spanning all morphological types, and homogeneity and quality of the spectral analysis, we are able to characterize the radial structure of the stellar population properties of galaxies in the local universe. The results show that the Hubble sequence is a useful scheme to organize galaxies by their spatially resolved stellar density, ages, and metallicity. However, stellar extinction cannot discriminate so well between the different Hubble types. Stellar mass, although responsible for setting the average stellar population properties in galaxies, it is less responsible of the quenching processes. Morphology is, however, more strongly connected with the shut down of the star formation activity in the bulges and disks of galaxies.

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## Appendix A: Improvements resulting from the new reduction pipeline

The quality of the STARLIGHT fits to CALIFA version 1.3c spectra was assessed in Cid Fernandes et al. (2014) by averaging  $R_{\lambda} = O_{\lambda} - M_{\lambda}$  residual spectra of 107 galaxies (~ 10<sup>5</sup> spectra). Inspection of these residuals revealed low amplitude (a few %) but systematic features related to unmasked weak emission lines, SSP deficiencies and data calibration imperfections. This exercise needs updating now that the reduction pipeline has changed to version 1.5.

Fig. A.1 summarizes the results of this re-evaluation. The plots show stacked  $R_{\lambda} = O_{\lambda} - M_{\lambda}$  residual spectra, in units of the median flux in the 5635±45 Å window. The top panel shows results for the nuclear extractions, while the middle and bottom ones are built using spectra from zones within radial distances R = 0 - 1 and 1 - 2 Half Light Radius (HLR, computed in the same wavelength range), respectively. Residuals are colored according with the Hubble type of the galaxies. When all galaxies are stacking, the residuals are colored according with the subdivisions are presented in order to get a sense of how the residuals relate to position within a galaxy and its Hubble type, two central aspects of this paper.

No matter which panel one looks at, the improvement with respect to version 1.3c is evident to the eye when compared to figure 13 of Cid Fernandes et al. (2014). The broad trough around H $\beta$  present in the 1.3c spectra, for instance, is much shallower now. In fact, it is confined to late types (compare blue and red lines in the lower panel in Fig. A.1), indicating that its origin is not only related to calibration, but also to the SSP spectra of young stellar populations (as previously reported by Cid Fernandes et al. 2005 for SDSS data). Residuals are also visibly smaller towards the blue, including the CaII K line, which is now well fitted whereas in version 1.3c a small systematic residual subsisted.<sup>12</sup> The humps around 5800 Å, on the other hand, are still present in version 1.5, particularly noticeable for outer regions, indicating that further refinement of the sky subtraction are warranted.

In short, the spectral fits have improved substantially with the new reduction pipeline. We attribute this to the updated sensitivity curve used in version 1.5. A more extended discussion of these and other aspects of the data reduction are presented in García-Benito et al. (2015).

Despite these changes, the stellar population properties derived from the spectral fits did not change much in comparison to those obtained for version 1.3c data. The most noticeable changes were in mean ages, which become 0.1 dex older, and extinction, which is now 0.2 mag smaller on a global average.

## Appendix B: Base experiments and uncertainties due to SSP templates

To derive the stellar population properties of these 300 CAL-IFA galaxies we have fitted ~253000 spectra with the *GMe* and *CBe* using the cluster Grid-CSIC at the Instituto de Astrofísica de Andalucía and the cluster Alphacrucis at IAG-USP Sao Paulo. Examples of the quality of the spectral fits as a function of the Hubble type and radial distance are presented in Fig.A.1.



**Fig. B.1.** The global *stellar* MZR for 300 CALIFA galaxies is shown as dots, color coded by the morphological type. It is derived using  $\langle \log Z_{\star} \rangle_{M}^{HLR}$  (upper panels) and  $\langle \log Z_{\star} \rangle_{L}^{HLR}$  (lower panels), and the total stellar mass,  $M_{\star}$ , obtained with the *GMe* SSP models (left panels) and *CBe* (right panels). A mass-binned smooth mean relation is shown as a solid black or grey-black line. The MZRs obtained for SDSS galaxies by Gallazzi et al. (2005) and Panter et al. (2008) are plotted as brown and magenta lines, respectively, with dashed brown indicating the 16 and 84 percentiles of Gallazzi et al. (2005).

## Appendix B.1: Mass-metallicity relation

Here we want to find out how well our metallicity definitions follow a MZR that guarantees that galaxies like the MW or Andromeda (log  $M_{\star}(M_{\odot}) \sim 11$ ) have solar metallicity at the disk, while LMC-SMC-like galaxies (log  $M_{\star}(M_{\odot}) \sim 9$ ) have  $\sim 1/4 Z_{\odot}$ . We do this with mass-weighted and luminosity-weighted definitions of eqs. 2 and 3, and with the two sets of SSP models (*GMe* or *CBe*).

Similarly, the correlation between the galaxy averaged stellar metallicities and the metallicity measured at 1 HLR, and the MZR, guarantee that the metallicity radial profiles scale with the galaxy stellar mass. However, the MZR in González Delgado et al. (2014a) was derived using the galaxy averaged stellar metallicity instead of the metallicity measured at 1 HLR, and using the mass weighted definition of the metallicity and only the results with the base *GMe*. For these reasons, we derive the MZR that results from using the mass-weighted and also the light-weighted definition of the metallicity, and the *GMe* and *CBe* bases.

Fig. B.1 shows the correlation of  $M_{\star}$  and  $\langle \log Z_{\star} \rangle_{M}^{HLR}$  (upper panels), and  $\langle \log Z_{\star} \rangle_{L}^{HLR}$  (lower panels) for the *GMe* (left panels) and *CBe* (right panels) SSP models. The mass-metallicity relation found by Panter et al. (2008) and Gallazzi et al. (2005) are the magenta and brown lines, respectively<sup>13</sup>. Note that in the four cases, the metallicities are well in the range of the dispersion given by Gallazzi et al. (2005) (brown dashed line represent the

<sup>&</sup>lt;sup>12</sup> Because of this improvement, our starLIGHT fits now start at 3700 Å, whereas in previous articles in this series only the  $\lambda > 3800$  Å range was considered.

<sup>&</sup>lt;sup>13</sup> The Gallazzi et al. (2005) and Panter et al. (2008) relations have been shifted by 0.25 dex to the right to account for the difference in IMF between their results based on models with Chabrier IMF and ours obtained with Salpeter IMF in the two left panels.



**Fig. A.1.** Upper panel: Residual spectra averaged for all the spectra (black line), nuclei (grey line) and spectra belonging to zones that are between 0-1 HLR (pink line) and between 1-2 HLR (yellow line)). Middle panel: residual spectra averaged for zones inner to 1 HLR and for Hubble type. Bottom panel: As in the middle panel but for spectra of zones located between 1 and 2 HLR.

16th and 84th percentiles of their distribution). To compare the general trend of these values, we have derived a smoothed massbinned relation, represented by a black solid or grey-black line. As expected from the global MZR derived in González Delgado et al. (2014a), base *GMe* and  $\langle \log Z_{\star} \rangle_M$  predict stellar metallicities for MW and LMC-SMC with the expected values. But  $\langle \log Z_{\star} \rangle_L$  gives a MZR that predict higher metallicities. The opposite happens for the MZR using the base *CBe*, that gives mass weighted metallicities higher on average than the SDSS metallicities, but the MZR with  $\langle \log Z_{\star} \rangle_L$  goes close to the Gallazzi et al. (2005) relation, and also predicts stellar metallicities for MW-Andromeda-like and LMC-SMC galaxies with the expected values.

In summary,  $\langle \log Z_{\star} \rangle_M$  with *GMe* and  $\langle \log Z_{\star} \rangle_L$  with *CBe* provide a mass-metallicity relation similar to the SDSS MZR, and predict metallicities between -0.7 and -0.4 dex for galaxies with mass between  $\sim 10^9$  and  $10^{10} M_{\odot}$ , the expected values for LMC and SMC galaxies like, and solar for MW-like galaxies.

#### Appendix B.2: Variations over bases GMe and CBe

Although the two sets of models are built with the same stellar libraries (*MILES* and GRANADA), base *GMe* stops at  $1.5Z_{\odot}$ , while *CBe* goes up to  $2.5Z_{\odot}$ . Because *MILES* is built with stars in the solar neighborhood, it does not contain stars as metal rich as 2.5 $Z_{\odot}$ , so *CBe* results at over solar metallicity should be interpreted with care. On the other hand, the central parts of galaxies can be as metal rich as  $2-3Z_{\odot}$ , and the base *GMe* may be too low to fit spectra of these regions, leading to saturation effects. To avoid these problems, we have also fitted the spectra with another two set of SSPs, that are identical to GMe and CBe, but where for each metallicity bin, two SSPs of age 16 and 18 Gyr are added to our "standard" bases. These extra bases, that we name GMd and CBd, allow galaxies older than the age of the universe if their bulges are very metal rich. Furthermore, results at very low metallicity also must be taking with care of. MILES contain only few stars of metallicity below 1/100  $Z_{\odot}$ . For this reason, Vazdekis et al. (2010) provide a safe age range for each metallicity bin, being the models with  $\log Z_{\star}(Z_{\odot}) \leq -1.7$  only valid between 10 and 18 Gyr. This safety margin is provided to avoid the cases when, due to age-metallicity degeneracy, these old metal poor models fit young metal rich populations, that may



**Fig. B.2.** Correlation between SP obtained with the *GMe* (x-axis) and *CBe* (y-axis bottom and middle panels; and *GMe* (x-axis) and *GMd* (y-axis). The average difference between the property in the y-axis and x-axis is labeled in each panel as  $\Delta$ , and the dispersion as ( $\sigma$ ).

happen if the base does not include SSP younger than 100 Myr. Our fits do not suffer this problem because bases *GMe* and *CBe* both have spectra of ages as young of 1 Myr.

## Appendix B.3: Global results and uncertainties associated to SSP models

To evaluate to which extent the spectral synthesis results depend on the choice of SSP models, we now compare the global properties derived with bases *GMe* and *CBe*. Using our pipeline PycAsso we have obtained the radial distribution of the stellar population properties for each galaxy with a spatial sampling of 0.1 HLR. Here we compare the stellar population properties of the 0.1 HLR radially sampled points, instead of comparing the results obtained from the individual 253418 fitted spectra. Fig B.2 shows the results for a total of 6000 points corresponding to a maximum of 20 radial points (from nucleus to 2 HLR) for each of the 300 galaxies analyzed in this work. The figure compares the results for base *GMe* in the x-axis, with *CBe* in the y-axis, in the bottom and middle panels. The upper panels compare the results of *GMe* with *GMd*. Each panel quotes the mean  $\Delta$  and its

standard deviation, where  $\Delta = \text{property}(CBe) - \text{property}(GMe)$ or  $\Delta = \text{property}(GMd) - \text{property}(GMe)$ .

*GMe*-based  $\mu_{\star}$ -values are higher than *CBe* by 0.27 dex on average, reflecting the different IMF used. Apart from this offset, the two stellar mass surface density agree to within 0.08 dex. Mean extinction is also in good agreement with a dispersion of 0.05 mag. Ages are higher in GMe than CBe by 0.14 dex for  $\langle \log age \rangle_L$  and 0.08 dex for  $\langle \log age \rangle_M$ , with dispersion 0.18 dex and 0.12 dex, respectively. In someway, this result is expected since base GMe also differs from CBe in IMF and isochrones. The differences in opacities in the equation of state between Padova 2000 (GMe) and 1994 (CBe) tracks produce somewhat warmer stars in the red giant branch in the former. Thus, older ages are expected with GMe than with CBe. However, the metallicities are lower in *GMe* than in *CBe* by 0.13 dex for  $\langle \log (Z_{\star}/Z_{\odot}) \rangle_M$  and very similar (on average) for  $(\log (Z/Z_{\odot}))_L$ . In both cases, the dispersion is similar, 0.11 and 0.13 dex, respectively. Note that for  $Z_{\star} \geq Z_{\odot}$ , the metallicities (weighted in light or in mass) are always higher with CBe than GMe, reflecting the saturation effects in the base GMe due its limitation to  $Z \leq 1.5 Z_{\odot}$ . The shift at under-solar metallicities may be reflecting the age-metallicity degeneracy, CBe giving higher metallicity and younger the ages.

The upper panels compare the results of *GMe* with the *GMd*. Here, we see two relevant effects. The results of *GMd* also differ from *GMe* in the the range of extinctions allowed to STARLIGHT. While with *GMe* and *CBe* STARLIGHT always assumes  $A_V \ge 0$ , with *GMd*, STARLIGHT can bluer the SSP spectra by up to  $A_V =$ -0.5 mag. This is allowed to avoid the effect of saturation at  $A_V$ = 0. The global effect is that ages can be 0.11 dex younger with *GMe* than *GMd*. Metallicity is not affected by this choice of  $A_V$ . But the extension to ages older than the age of the Universe in *GMd* has some effect on the metallicity above  $Z_{\odot}$ , so metallicities are slightly lower and ages slightly older.

## Appendix C: 2D maps and tables

## Appendix C.1: 2D maps of $\log \mu_{\star}$

Fig. C.1 shows the  $M_r$  vs. u-r CMD for the 300 CALIFA galaxies of our sample. Each galaxy is represented by its 2D map of the  $\log \mu_{\star}$  located at the position of its integrated  $M_r$  and u-r values. In this plot the SFH is compressed into the present-day stellar mass surface density, that measures the end product of the SFH. Because our analysis accounts for extinction, these  $\log \mu_{\star}$  values and their radial variations are free from extinction effects. Fig. C.1 shows<sup>14</sup> clearly that  $\log \mu_{\star}$  correlates with  $M_r$ , and spheroids are significantly denser than late type galaxies by one to two orders of magnitude at the center, and by one order of magnitude at distances 1-2 HLR. At the center, 2.0  $\leq \log \mu_{\star}$  ( $M_{\odot} \text{ pc}^{-2}$ )  $\leq 4.7$ , while  $\leq \log \mu_{\star}$  ( $M_{\odot} \text{ pc}^{-2}$ )  $\leq 3.4$  at 1 HLR, and  $1.0 \leq \log \mu_{\star}$  ( $M_{\odot} \text{ pc}^{-2}$ )  $\leq 2.9$  at 2 HLR.

## Appendix C.2: 2D maps of $\langle \log age \rangle_L$

Similarly to Fig. C.1, Fig. C.2 shows the 2D maps of  $\langle \log age \rangle_L$ . It portrays the correlation between the average age of the stellar populations and  $M_r$  and colors, with the most luminous and red galaxies being older, while the bluest galaxies are the youngest. Gradients of the stellar population ages are also clearly detected within each galaxy in these 2D maps, and more remarkably in galaxies located in the green valley. At the center,  $7.3 \leq \langle \log age \rangle_L$  (yr)  $\leq 10.1$ , while  $8.3 \leq \langle \log age \rangle_L$  (yr)  $\leq 10.1$  at 1 HLR, and  $7.5 \leq \langle \log age \rangle_L \leq 9.9$  at 2 HLR.

## Appendix C.3: 2D maps of $\langle \log Z_{\star} \rangle_M$

Similarly to Fig. C.1, Fig. C.3 presents the 2D maps of  $\langle \log Z_{\star} \rangle_M$ . It clearly shows the correlation between the stellar metallicity and galaxy luminosity, equivalent to the mass metallicity relation. Gradients of the stellar metallicities are more clearly seen in these 2D maps in galaxies with intermediate luminosity ( $-22 \leq M_r \leq -20$ ). The most luminous galaxies have solar or over solar metallicities range from  $\langle \log Z_{\star} \rangle_M = -1.4$  to 0.22.

## Appendix C.4: 2D maps of $A_V$

Similarly to Fig. C.1, Fig. C.4 presents 2D maps of  $A_V$ . Effects of spatial binning are visible in the  $A_V$  maps, where all the pixels within a Voronoi zone have the same value. These effects are not noticeable in the  $\mu_{\star}$  images (Fig. C.1) because  $\mu_{\star}$  is an extensive property, and the zoning effect was softened by scaling the value at each pixel by its fractional contribution to the total flux in the

zone; this is not possible for  $A_v$  (Fig. C.4),  $\langle \log age \rangle_L$  (Fig. C.2), or  $\langle \log Z_{\star} \rangle_M$  (Fig. C.3), because these are intensive properties. Fig. C.4 shows how  $A_V$  changes across the CMD: the most luminous galaxies are little affected by extinction, while  $A_V$  is higher in spirals of intermediate type and with blue colors. The mean (dispersion)  $A_V$  values at the nuclei, 1 HLR, and 2 HLR are 0.47 (0.37), 0.19 (0.16), and 0.13 (0.13), respectively. 2D maps and the difference in the mean values at different distance indicate that stellar extinction shows radial gradients.

<sup>&</sup>lt;sup>14</sup> These 2D maps are the results from the *GMe* SSP base.



Fig. C.1. 2D maps of stellar mass surface density,  $\mu_{\star}$ . Each galaxy is placed in its location in the u - r vs.  $M_r$  diagram, where color and magnitude correspond to its global values. The 2D maps are shown with North up and East to the left.



**Fig. C.2.** As Fig. C.1, but for images of the luminosity weighted mean age,  $\langle \log age \rangle_L$ .



**Fig. C.3.** As Fig. C.1, but for images of the mass weighted mean metallicity,  $\langle \log Z_{\star} \rangle_{M}$ .



**Fig. C.4.** As Fig. C.1, but for images of the stellar extinction,  $A_V$  [mag]

ပ	)	3.3	2.1	2.1	3.1	2.1	2.7	3.0 2 5		22	2.1	2.2	3.2	2.6	3.0	2.0 2 %	0.0	2.6	2.5	2.4	3.0	2.4	1.9	3.1	2.1		2.5	, c , c	233	2.5	2.2	2.6	3.0	2.0	3.7 2.7	0.0	5 C	3.1	2.1	2.4	3.1	2.4	3.1	2.8	5.5	3.0 2 5	0.4	2.1	3.0
HMR	bc	2076	5146	4057	4372	3417	3142	1790	42014	2782	3659	2435	2179	2035	2970	2979	4978	2588	1351	3270	3029	2558	4468	2616	4573	2256	1844 2240	1555	3358	4077	4558	3098	2620	5510	1385	2005	2020	2365	4061	3138	2408	1289	2698	4066	1340	4152	02/C	2948	4624
HLR	bc	3883	6842	5455	5400	4348	4104	2781 5717	1820	3517	5055	3264	3298	2362	4165	4523 2760	07700 6498	3916	1254	4346	3868	3457	4954	4431	6609	3268	7907	0004	4220	4535	6329	3677	3210	6329	1838	C7 C7	2751	2859	5228	4918	3013	1663	3791	4620	1638	5650	3087	4943	5841
(log ZIHLR1) <sub>M</sub>		-0.17	-0.04	-0.27	0.14	-0.29	0.32	-0.06	0.076	-0.02	-0.52	-0.19	-0.10	0.36	-0.37	0.18	-0.01	-0.08	-0.25	0.04	0.22	-0.19	0.01	0.01	-0.32	0.19	0.13	0.20	-0.06	-0.10	-0.09	0.14	0.31	-0.30	0.18	0.0	0.18	0.15	0.14	-0.15	0.25	-0.17	0.28	0.21	-0.08	0.14	-0.07 0.20	0.11	0.23
(log Z[0]) <sub>M</sub>	w/[c]=See	0.25	-0.03	0.13	0.37	-0.22	0.39	0.07	0.0	-0.06	-1.33	-0.15	0.20	-0.19	0.00	0.14	0.21	0.12	-0.40	0.12	0.11	-0.05	-0.09	0.07	-0.23	0.15	15.0	-0.34 -0.34	-0.68	-0.34	0.16	-0.12	0.38	-0.14	0.32	12.0	0.35	0.37	0.14	0.28	0.37	-0.05	0.29	0.36	-0.05	0.31	07.0 030	0.38	0.41
(log age[HLR]),	(jvr)	9.38	8.88	8.86	9.75	8.64	9.51	8.95	10.6	9.26	8.17	8.75	9.78	8.62	9.85	9.26	9.15	9.39	8.54	8.79	09.6	8.66	8.53	9.43 5. <u>-</u> 5	8.73	9.68	97.0	1 t. 0	8.57	8.79	8.91	9.22	9.94	8.70	9.74	9.14	9.80	9.80	60.6	8.69	69.6	9.53	9.78	0.60	8.49	9.75	0.07 070	9.12	9.80
(log age[0]),	(JVL)	9.97	9.51	8.46	9.89	8.97	9.66 2 2 2 2	9.55	9.91	9.67	8.59	8.63	10.14	9.70	10.03	10.02	9.35	9.19	8.65	9.62	10.13	9.43	8.56	9.65	9.41	10.08	19.9	01.0	8.75	9.04	9.43	8.77	10.03	8.77	10.08	10.07	0.01 80.0	10.04	9.82	9.50	10.00	9.75	10.00	10.10	8.86	10.08	9.00 10.06	9.39	9.91
AvIHLRI	mag	0.53	0.41	0.05	0.03	0.35	0.19	0.63	15.0 150	0.09	0.29	0.24	0.04	0.16	0.26	0.00	0.0	0.32	0.12	0.35	0.05	0.42	0.42	0.16	0.39	0.00	0.01	0.00	0.23	0.29	0.15	0.43	0.03	0.10	0.00	0.0	0.00	0.00	0.14	0.24	0.01	0.24	0.19	0.00	0.21	0.07	0.02	0.17	0.02
$A_V[0]$	mag	0.42	0.63	0.63	0.44	0.80	0.73	0.43	000	0.50	0.42	1.24	0.46	0.27	0.38	0.38	0.00	1.21	0.29	0.71	0.38	0.09	0.79	0.70	0.61	0.59	0.00	0.28	0.82	0.76	0.46	1.12	0.09	0.69	0.01	0.00	00.0	0.00	0.12	0.44	0.00	0.61	0.36	0.14	0.37	0.33	0.35	0.56	0.58
$\log u_{\star}[\text{HLR}]$	$M_{\odot}/{\rm pc}^2$	2.41	2.23	1.59	2.49	1.95	2.70	2.53	06.6	2.39	1.51	1.89	2.33	2.21	2.47	2.26	1.71 2 14	2.58	1.86	2.45	2.63	2.05	2.09	2.43	2.31	2.36	2.89	151	1.61	1.76	1.89	2.38	3.08	1.86	2.71	21.7 273	2.87	2.91	2.19	1.94	2.65	2.59	3.04	2.96	1.83	2.58	2.62 2.62	2.05	2.67
log u + [0]	$M_{\odot}/\mathrm{pc}^2$	3.87	3.29	2.80	3.67	3.03	3.89	3.85 2.71	11.0	3.51	2.93	2.88	4.06	3.21	4.06 2 00	3.80	3 46	4.14	2.53	3.84	4.06	3.23	3.20	3.78	3.67	4.22	4.00	00.4 84 c	2.51	2.63	3.15	3.42	4.42	2.75	4.03	4.07	4.17	4.37	3.25	3.11	3.98	3.89	4.08	4.24	2.56	3.87	4.00 4.00	3.79	3.96
log M⊥	M <sub>o</sub>	10.60	10.84	10.04	11.16	10.09	10.91	10.68	10.11	10.29	9.80	9.85	10.58	9.95	10.87	10.63	10.20	10.70	8.90	10.84	10.80	10.15	10.56	10.69	10.81	10.79	10./1	0.77	9.56	9.98	10.52	10.49	11.24	10.45	10.48	10.04	10.95	11.11	10.59	10.28	10.80	10.11	11.11	11.48	9.17	10.98	00.01 10.77	10.82	11.39
tvpe	morph.	2 A	3 A	4 A	-1 A	3 AB	1 AB	3 A	9 4 7 7	2 AB	5 B	4 AB	-1 A	2 AB	I A	2 B 4 A	2 B	1 AB	5 A	3 AB	1 A	4 B	4 AB	1 AB	4 A	-I AB	I A		4 4 7 4	3 A	3 AB	2 AB	-1 A	4 A	0 ¥ 0	U A B	A O	-1 A	3 AB	4  AB	0 B	1 AB	$1 \mathrm{A}$	-1 A	4 B	2 A	4 C 0 A	2 B	-1 A
Name	NED	IC5376	UGC0005	NGC7819	UGC00029	IC1528	UGC00036	NGC0001	116/00148	MCG-02-030	UGC00312	MCG-02-02-040	UGC00335NED02	ESO540-G003	NGC0160	NGC0171	NGC0180	NGC0192	NGC0216	NGC0214	NGC0217	NGC0237	NGC0234	MCG-02-03-015	NGC0257	NGC0364	NGC0429	NGC0444	UGC00809	UGC00841	NGC0477	IC1683	NGC0499	NGC0496	NGC0504	1100001	NGC0528	NGC0529	NGC0551	UGC01057	UGC01271	NGC0681	UGC01274	NGC0741	NGC0755	ICI755	NGC0774	NGC0776	NGC0810
CALIFA	ID#	001	002	003	004	005	007	008	010	013	014	016	017	019	020	023	025	026	027	028	029	030	031	032	033	035	030	030	040	041	042	043	044	045	046	047	020	051	052	053	059	061	062	068	069	020	1/0	073	076

Table C.1. Stellar population properties: CBe

C		3.2	2.2	3.2	2.5	3.2	0.0 1 C	3.2	2.6	2.0	2.2	5.8	, 5.8 1.5	07 C	2.4	2.5	3.2	2.4	2.8 7	C.7.	0.7 C 7	0.7 1 c	28	2.6	2.9	3.1	2.2	4.6	4 r	- r - i c	2.7	2.3	2.6	2.3	3.1	0.5 7 7	2.2	2.1	1.9	3.3	2.5	2.7	1.2	770	3.0	2.4	2.4	2.1 3.1
HMR	bc	1203	6249	2341	3097	868	2066	3813	2838	2232	4649	2453	4083	5002 2066	4278	4810	2361	3670	1934	19/6	0400	1077	2117	2454	1760	2945	2534	5196	3309 2150		1835	4705	2397	3925	3134	2952	1613	1920	4705	885	4994	1812	2185	3006	2745	3462	5819	5197 4233
HLR	bc	1806	8576	3033	5081	958 1064	2826	5458	4252	3747	7902	3571	4277	9610 2816	6289	7058	3379	4868	2145	1787	4/83 7075	1610	3045	3939	2253	4192	3851	6325	0870	C/04	4.090 2641	5759	2662	5756	3929	4250 2830	2189	2355	5584	1192	6137	2154	2932	1410 4860	4547	4017	8278	6220 4898
$\log Z[HLR] M$	[Z <sub>0</sub> ]	-0.03	0.04	0.22	-0.23	-0.28	0.12	0.14	0.15	0.04	0.01	0.25	0.17	0.29-0.14	0.04	-0.25	0.16	-0.03	-0.46	c0.0	-0.24	-0.02	-0.18	-0.11	-0.48	-0.06	-0.13	-0.08	0.21	0.14	-0.26	0.21	-0.14	-0.13	0.16	-0.26	-0.20	-0.46	-0.32	-0.03	-0.22	-0.18	-0.01	0.10	0.38	-0.61	-0.32	-0.12 -0.02
$\langle \log Z[0] \rangle_M$	[Z <sub>0</sub> ]	0.30	0.14	0.30	0.35	-0.55	0.32	0.21	0.25	-0.07	0.02	0.39	0.22	0.27 -0.03	0.23	0.13	0.00	0.07	0.40	-1.04	-0.1/	-0.04	-0.37	0.17	-1.16	0.01	-0.30	-0.30	0.33 60.0	0.05 0.05	-0.47	-0.33	-0.26	-0.21	0.32	-0.01	-0.93	-0.87	-0.17	0.22	-0.30	-0.30	0.27	0.15	0.17	0.25	0.13	0.09 0.10
$\langle \log age[HLR] \rangle_L$	(yr)	9.66	8.99	9.77	8.75	9.23	0.77	9.65	9.28	9.05	8.00	9.58	9.61	9.30 9.34	8.87	8.90	9.58	9.30	8.06	8.63 0.00	8.88 0.06	00.6 8 60	8.73	8.94	8.15	9.31	8.53	9.08	9.47	0.02	8.72 8.72	8.86	8.60	8.74	9.70	9.04 0.48	8.49	7.91	8.48	9.86	9.02	9.53	9.10	9.07 0.24	9.40	8.63	9.12	8.95 9.83
$\langle \log age[0] \rangle_L$	(yr)	10.10	9.80	9.96	9.50 2.20	8.83	10.12	10.08	9.88	9.03	9.27	10.08	10.08	66.6 99.0	9.53	9.42	10.03	9.71	8.01	95.8 91.0	9.18	500	06.6	9.84	8.61	9.78	9.28	9.68	9.99	0.51	9.50	8.69	7.99	9.22	10.01	9.48 0.05	8.17	7.79	9.00	10.11	9.59	9.59	97.6	9.60 9.55	9.92	7.97	9.93	9.50 10.02
$A_V$ [HLR]	mag	0.25	0.23	0.08	0.19	0.60	0.01	0.10	0.06	0.50	0.51	0.10	0.00	0.01	0.39	0.31	0.05	0.03	0.35	0.21	010	0.10	0.49	0.35	0.34	0.33	0.07	0.58	0.20	0.42	0.14	0.40	0.15	0.56	0.00	0.44	0.23	0.14	0.23	0.00	0.34	0.37	0.23	0.04	0.00	0.20	0.18	0.43 0.02
$A_V[0]$	mag	0.00	0.44	0.13	0.54	0.96	0.24	0.11	0.14	2.23	0.35	0.55	0.17	0.27	0.80	0.87	0.18	0.56	0.00	90.0	0.98	0.40	1.28	0.29	0.43	0.59	0.37	0.88	0.28	00.0	0.60	1.19	0.35	1.38	0.01	0.02	0.48	0.32	0.53	0.25	0.53	0.74	80.0	0.09 1 04	0.00	0.36	0.12	0.47 0.17
$\log \mu_{\star}$ [HLR]	$M_{\odot}/\mathrm{pc}^{2}$	2.77	1.85	2.72	2.04	2.88	2.74	2.39	2.24	2.26	1.68	2.71	2.64	2.30 2.50	2 i 0	2.32	2.70	2.61	1.06	1.91	1.84	77.7 70 C	1 97	2.56	1.68	2.56	1.71	2.33	10.2	C/ .4 20 C	1.77	1.87	1.50	2.35	2.81	27.7 2015	1.28	0.99	1.52	2.99	2.18	2.52	2.45 0.00	2.29 2.46	2.48	1.28	2.12	1.97 2.63
$\log \mu_{\star}[0]$	M <sub>☉</sub> /pc <sup>2</sup>	4.10	3.07	4.13	3.34	4.01	4.40	3.72	3.58	3.80	2.98	4.20	4.24	5.99 5.55 5.55	3.50	3.48	3.98	3.74	1.61	2.88	5.04 25.6	0C.C	306	3.91	2.63	3.91	2.87	3.29	4.11 2 01	16.0	2.98	2.55	2.37	3.71	4.23	3.00 4 19	2.15	1.53	2.67	4.55	3.16	3.34	3.88	3 81 3 81	3.87	1.83	3.30	2.98 4.06
$\log M_{\star}$	Mo	10.37	10.71	10.97	10.39	9.94	10.11	10.96	10.61	10.42	10.44	10.85	11.20	11.12	10.70	10.73	10.84	10.75	8.6U	9.39	CI.UI	25.01	0 7q	10.85	9.35	10.89	9.92	10.69	11.07	06.01	9.33	10.07	9.26	10.83	11.22	10.44 11.03	8.83	8.56	10.01	10.44	10.43	9.88	10.44	10.01	11.08	9.22	10.87	10.36
type	morph.	$1 \mathrm{A}$	4 B	0  A	3 AB	1 A	-1 A 0 AB	0 A	3 B	2 B	3 A	0 A	0 A	-1 A 1 AR	1 A	2 A	0 B	1 AB	4 AB	4 AB	4 AB	а ч с	4 AB	3 AB	5 A	2  AB	3 AB	2 A	2 B 1 A D		4 A B	4  AB	5 A	3 AB	-1 A	1 A	5 A	5 A	4 B	-1 AB	4 AB	1 AB	3 A	с А С	-1 A -1 A	5 B	2 B	3 AB 1 A
Name	NED	NGC0825	UGC01659	NGC0932	UGC01938	NGC1056	11GC02222	UGC02229	NGC1093	UGC02403	UGC02405	UGC02465	NGC1167	NGC1549	UGC03038	UGC03107	NGC1645	UGC03151	IC2095	NGC16/7		NGCU3233	11GC03539	NGC2347	UGC03899	NGC2410	UGC03944	UGC03969	UGC03999		UGC04029 UGC04054	IC0480	NGC2480	UGC04132	NGC2513	IC224/ NGC2630	UGC04659	UGC04722	NGC2730	NGC2880	IC2487	IC0540	NGC2906	11GC05108	NGC2918	UGC05358	UGC05359	UGC05396 NGC3106
CALIFA	ID#	077	081	087	088	100	101	104	108	115	116	118	119	12/	132	133	134	135	141	143	144	140	148	149	150	151	152	153	cc1 751	157	158	159	161	165	171	180 219	226	231	232	272	273	274	C1.7	117	279	306	307	309 311

C		1.9	3.1	3.1	2.7	2.5	- 7 7	2.0	2.8	3.4	2.9	3.0	3.3	7.7 7 7	2.7 2 1	- 9 - 1 - 1	1.8	2.7	2.8	2.7	2.3	2.3	2.6 2.0	2.0	۲.۲ ۲.۲	0.4 C	0.7 C	2.0	2.9	3.2	2.7	2.5	3.0	0.7	, c. 	2.2	2.3	2.4	2.3	3.0 9 ī	0.7	7 € 7 7	2.5	2.2	2.1	2.8	4.7 4 4	C 7 7	2.3
HMR	bc	2019	3654	5626	4260	4080	3136	2180	1226	4367	3284	3540	3345	2735	1387	01002	4799	1117	3955	2158	2943	5197	2397	5099	CY12	000+0 0010	0217	4663	5550	3823	6639	6159	2290	2010	3182	4257	4712	4582	2094	5551	3038	1680	2355	2231	2810	5272	2258	4540 2605	3992
HLR	bc	2209	4434	5293	5313	4990 2020	45 <i>0</i> 3	2402	1264	4847	4925	4454	4131	3456	3877	3764	3613	2091	5263	2864	3434	7080	3268	5782	2587	70CC	3530	4641	6222	5003	7071	8331	3026	2454	3939	5940	5609	5862	2680	6866	6011	1814 2207	3330	2676	3345	6635	2850	7114	5563
$\langle \log Z[HLR] \rangle_M$	[Z <sub>0</sub> ]	0.02	-0.14	0.18	0.11	-0.17	0.17	-0.09	-0.78	0.26	0.00	-0.15	0.14	-0.14	-0.02	0.03	0.01	-0.28	0.30	0.01	0.08	-0.06	-0.08	0.08	0.14	-0.00	-0.19	-0.10	0.20	0.23	0.19	0.06	0.23	-0.13	-0.41	-0.03	-0.23	0.07	-0.05	0.07	-0.04	-0.00	-0.07	-0.40	-0.09	0.15	0.04	0.10	0.22
$\langle \log Z[0] \rangle_M$	[Z <sub>0</sub> ]	-0.46	-0.12	0.37	0.14	-0.12	0.00	0.14	-1.19	0.29	0.21	-0.02	0.37	-0.25	10.0-	-0.10	0.10	0.01	0.38	-0.19	0.14	-0.27	-0.26 2.20	0.00	-01.U-	-0.40 0.01	-0.04	-0.02	0.32	0.36	0.29	0.11	0.24	-0.18	-0.27	0.29	-0.51	0.04	-0.10	0.37	-0.0 <u>-</u>	-0.09	-0.33	-0.84	0.03	0.19	-0.10	0.11	0.37
$\langle \log age[HLR] \rangle_L$	(yr)	8.38	9.60	9.86	9.76	8.54	9.87 18.0	8.59	8.61	9.90	9.68	9.57	9.72	9.12	2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	8.71	8.06	8.43	9.62	8.03	8.50	8.97	9.32	9.38	CQ.0 70.7	0 5 1	0.15	8.63	9.77	9.65	9.79	8.99	9.40	8.17	0.33	9.23	8.45	9.19	8.77	9.88	8.64	0.50	9.10	8.03	8.61	9.57	9.33	9.56	9.17
$\langle \log age[0] \rangle_L$	(yr)	8.49	9.79	9.99	9.92	8.98	10.07	7.99	8.98	9.99	10.09	9.87	10.07	9.76	0.01	0.74	7.52	9.54	9.73	8.97	9.28	9.81	9.35	10.02	1U.UI 0 5 0	00	0.00	9.48	10.04	10.00	9.97	9.63	9.98 57.9	8.77	0.02 0.53	60.6	8.63	9.50	9.39	10.04	9.84	9.99	9.30	8.32	8.36	9.82	10.01	10.02	9.87
$A_V$ [HLR]	mag	0.08	0.26	0.00	0.01	0.61	0.08	0.14	0.51	0.09	0.09	0.33	0.00	0.13	0.0 1 81 0	0.74	0.14	0.51	0.01	0.23	0.40	0.11	0.31	0.03	0.U0 0.75	0.21 0.31	10.0	0.55	0.00	0.00	0.00	0.45	0.00	0.07	0.01	0.13	0.49	0.60	0.21	0.00	0.19	0.14	0.41	0.16	0.17	0.33	0.19	0.02	0.20
$A_V[0]$	mag	0.25	0.53	0.00	0.36	1.13	0.01	0.28	0.59	0.06	0.17	0.56	0.00	0.32	0.00	0.40	0.12	0.92	0.26	0.37	0.37	0.21	1.22	0.05	0.14		0.05 0.05	0.63	0.07	0.02	0.00	0.66	0.00	0.30	01.0	0.96	0.81	1.10	0.47	0.00	75.0	0.00	1.65	0.41	0.39	0.41	0.55 2000	0.07	0.23
$\log \mu_{\star}$ [HLR]	$M_{\odot}/pc^{2}$	1.14	2.53	2.88	2.44	1.85	2.62 2.62	1.69	2.26	2.88	2.54	2.48	2.76	1.93	010	00 6	1.50	2.51	2.37	1.42	2.47	1.83	2.49	2.13	2.1U	1.01	2.01	1.99	2.42	2.49	2.56	2.18	5.60	1.0/	2.66	2.18	1.84	2.37	2.36	2.57	1.82	2.17 2.43	2.45	1.38	1.20	2.58	2.33	27.7 2.19	2.35
$\log \mu_{\star}[0]$	$M_{\odot}/pc^{2}$	2.09	3.49	4.12	3.46	3.00	3.89	2.54	2.89	3.85	3.92	3.69	4.26	3.15	3.67	3.43 2.43	2.38	4.25	3.78	2.49	3.53	2.88	3.68 2.20	3.28	5.42 1 70	1.17 276	3.50	3.19	3.93	4.04	3.73	3.46	4.24	C0.2	4 05 4	3.59	2.54	3.40	3.35	3.91	4C.5	0.40 2 8 2	3.65	2.10	1.88	3.72	3.32	3.77	3.96
$\log M_{\star}$	$M_{\odot}$	8.92	10.71	11.61	10.82	10.21	10.01	9.47	9.17	11.09	11.06	10.88	11.34	10.13	10.01	10.33	9.54	10.41	11.03	9.36	10.65	10.43	10.26	10.70	0 17	7.12 0 08	9.00 10 47	10.39	11.25	11.22	11.49	11.09	10.90	10.6	11.7	10.74	9.93	10.81	10.28	11.41	10.53	9.8U	10.52	8.80	9.18	11.17	10.06	10.11	11.04
type	morph.	5 B	1 A	-1 A	1 AB	2 A	ар- -1 А	5 B	4 A	$1 \mathrm{A}$	1 B	1 A	-1 A	3 AB	1 C 2 C		5 A	3 AB	0 B	4  AB	3 A	3 A	1 AB	3 AB	0 < 7 V	A C ∧	4 C	3 A	-1 A	-1 A	0 A	1 A	4 - - I A	4 B 5 A D		3 B	4 A	2 AB	3 A	-1 A	4 AB	d c ∕ d	1 B	4 A	5 B	1 A 2 -	Z A	7 B	$\frac{1}{2}$ B
Name	NED	NGC3057	UGC05498NED01	NGC3158	NGC3160	UGC05598	11GC05771	NGC3381	UGC05990	UGC06036	IC0674	UGC06312	NGC3615	NGC3614 NCC2697	NGC3811	NGC3815	NGC3991	NGC3994	NGC4003	UGC07012	NGC4047	UGC07145	NGC4149	NGC4185	ICO776	NCC1170	NGC4644	NGC4711	NGC4816	NGC4841A	NGC4874	UGC08107	NGC4956	NGC4961	UUCU0231 11GC08234	NGC5000	UGC08250	UGC08267	NGC5016	NGC5029	NGC5056	NGC5216	NGC5218	UGC08662	UGC08733	IC0944	UGC08778	NGC5378	NGC5406
CALIFA	ID#	312	314	318	319	326	341	353	361	364	381	386	387	388 414	414	437	475	476	479	486	489	500	502	515	010 012	070	569	580	588	589	592	593	602 (02	605 606	000	608	609	610	611	612	614 220	020 633	634	652	657	663	664 225	000 929	684

Table C.1. continued.

C	28	0.7 7 4	1.0 7 7	3.1	3.2	2.1	0.7 6	2.6	2.4	2.3	1.8	3.3	2.3	2.2	3.1	2.4	2.1	- 0 - i c	0.7 C	2.5	3.0	2.8	2.2	3.0	2.3 2.0	3.3	3.0	3.3	2.5	, 10 10 10 10	2.5	1.9	2.1		4 7 7 7	3.2	2.5	3.4	2.3	8 C	2.2	2.6	3.1	3.1	0.2 c	2.5
HMR <sup>nc</sup>	1488	4348	721	2209	1269	1837	5045 1915	2262	4753	2516	4053	4783	4686 2243	4869	2108	1830	7201	1000	1000 4654	4613	1950	2731	3762	2307	2957 4383	2295	2195	1586	2303	4437 4380	3630	2802	3533	2313	3624	2642	2340	4113	3717	0690	2567	2446	2415	5728	4C12	3852
HLR nc	1914	1214	1589	3119	1498	2214	3053 3053	2354	7115	3362	4273	6566	5811 3580	5860	2663	2437	9098	404	24.50 5413	6166	2983	3597	5242	2737	4507 4808	3473	2765	2679	3266	5871	5579	3636	4917	3500	4180 4180	3259	4043	5577	6057	68280 5708	2491	4188	3068	6768	3024 2024	3578
$\log Z[HLR]_M$	013	-0.71	-0.21	0.26	0.02	-0.29	-0.34	-0.13	0.16	-0.10	-0.17	-0.08	-0.30	0.06	0.03	-0.34	0.18	cu.u-	-0.26	-0.15	-0.33	0.11	0.16	0.09	-0.18 0.08	0.32	0.08	0.07	-0.13	-0.27	-0.14	-0.20	0.05	0.15	-0.17	0.18	-0.11	0.08	0.14	0.16	-0.19	-0.60	0.00	0.16	-0.43	-0.44
$\log Z[0] M$	0.74	0.26	0.10	0.39	0.27	-0.21	-0.05 -0.23	-0.32	0.07	-0.31	-0.18	0.20	-0.28 0 30	0.06	0.25	-0.32	0.26	55.U	-0.26	-0.20	-0.19	0.23	-0.04	0.10	-0.08	0.41	0.21	0.02	-0.07	-0.15	-0.27	-0.07	0.00	0.06	-0.43	0.39	0.10	0.27	0.26	-0.11	-0.19	-0.34	0.18	0.31	-0.81	-0.72
$\langle \log age[HLR] \rangle_L$	9.81	8 76	8.58	9.50	9.80	8.58	8.03 8.97	8.44	9.24	8.85	8.69	9.56	8.40 0.51	8.82	9.51	8.75	9.39	90.9	0.4.9 0.02	8.70	9.49	9.77	9.35	9.75	8.82 8.94	9.74	9.86	9.82	9.08	9.28 0.13	9.44	8.96	8.90	9.81 0.70	0./0 8.55	9.90 0.90	8.52	9.80	9.64	9.42 0.80	8.75	8.50	9.61	9.93	8.61 0.20	8.12
$\langle \log age[0] \rangle_L$	10.05	0.01	9.35	9.91	9.98	9.39	8.28 0.30	8.23	10.09	9.07	9.24	9.78	9.12 9.82	9.74	9.18	9.29	9.98	9.04 0.00	0.00 8 77	9.55	10.02	10.09	9.92 2.22	9.89	9.61 9.78	10.11	9.61	10.06	9.42	9.43 0.73	9.64	9.61	9.61	9.99 0.07	9.02 9.01	10.00	9.38	10.01	10.01	9.79	90.01	9.30	10.14	10.04	8.90 1.71	7.77
A <sub>V</sub> [HLR] mao	0.01	0.01	0.31	0.20	0.04	0.52	0.47 0	0.21	0.28	0.18	0.12	0.25	0.42	0.41	0.01	0.70	0.18	00 110	0.14	0.52	0.19	0.00	0.32	0.48	0.61	0.00	0.01	0.01	0.68	0.18	0.27	0.25	0.41	0.14	0.20	0.00	0.48	0.00	0.07	0.30	0.43	1.08	0.06	0.00	0.20	0.29
$A_V[0]$	0.01	10.0	0.078	0.44	0.01	0.52	0.40	0.56	0.26	0.63	0.37	0.81	1.09 0.14	0.05	0.00	1.04	0.26	0./J	1. 1. 1.	0.49	0.49	0.12	0.37	0.49	0.70	0.0	0.00	0.70	1.11	0.83	1.46	0.25	0.71	0.90	60.0 0.66	0.00	0.51	0.18	0.37	0.00	0.68	1.60	0.22	0.18	0.87	0.51
$\log \mu_{\star}$ [HLR] $M_{\odot}/\text{nc}^2$	2 01	2.21	2.13	2.90	2.96	2.41	اد.1 ۲۲	1.62	2.14	1.75	1.83	2.37	1.86 2 73	2.11	2.60	2.16	2.34	797	2.49 1.60	1.97	2.28	2.70	2.29	2.96	2.46 2.00	2.87	2.77	2.70	2.41	2.01	2.34	1.91	2.30	2.74	1.84	2.89	1.82	2.73	2.20	2.38	2.12	2.39	2.42	2.77	1.90	1.36
$\log \mu_{\star}[0]$ $M_{\odot}/\mathrm{mc}^2$	4 20	02:4 80 %	3.97	4.45	4.44	بي 4. ز	2.32 3.67	2.14 2.14	3.60	2.98	2.95	3.81	3.02 4 73	3.03	3.62	3.31	3.70	01.4 01.6	67.0 02.0	3.09	3.83	4.00	3.68	4.33	3.56 3.46	4.48	3.73	4.37	3.51	3.41 3.88	3.82	2.89	3.54	4.21 7.65	2.67 2.67	4.25	3.16	4.19	3.84	3.30 2.70	3.06	3.69	3.86	4.15	C8.2	2.35
$\log M_{\star}$	10.65	10.68	9.81	11.21	10.54	10.10	9.43 10 33	9.20	11.02	9.89	10.13	11.18	10.28	10.48	10.65	9.86	11.30	10.46	0 40 0 00	10.24	10.38	10.95	10.86	10.89	10.64	11.31	10.87	10.89	10.32	10.40	10.99	9.98	10.57	11.00	50 0	11.24	10.16	11.53	11.00	10.90	9.98	10.28	10.50	11.68	9.04 10.46	9.24
type	-1 A	3 A R	3 A C	1 A	0 A	3 A	0 6 2 2	4 B C	3 B	3 A	3 A	2 A	4 A 0 A	3 AB	-1 A	2 A	2 B	I A D	1 AD	а Ч	2  AB	-1 A	2 B	I A	3 A 8 R	-1 A	-1 A	-1 A	1 A	n c	4 V 1 V	3 A	2  AB	0 ¥ 7	4 AB	-1 A	3 A	-1 A	1B	Z AB	4 4 7 4	2 A	1  AB	-1 A	4 AB	4 A
Name NFD	NGC5485	11GC00067	NGC5520	NGC5614	NGC5631	NGC5633	NGC2030 NGC5657	NGC5682	NGC5720	NGC5732	UGC09476	UGC09537	UGC09542 NGC5784	11GC09598	NGC5797	UGC09665	NGC5888	NGCJ9US	11GC09873	UGC09892	NGC5971	NGC5966	IC4566	NGC5987	NGC5980 NGC6004	UGC10097	NGC6020	NGC6021	UGC10123	NGC6032 NGC6060	UGC10205	NGC6063	IC1199	NGC6081	UGC10331	NGC6125	NGC6132	NGC6146	NGC6154	UGC10380	NGC6155	UGC10384	UGC10388	NGC6173	NGC0108	UGC10650
CALIFA ID#	708	714	715	740	744	748	754	758	764	768	769	774	775 778	677	780	783	789	191	C61	798	804	806	807	809	810 813	814	815	816	818	820	822	823	824	826	828 828	829	831	832	833	834 025	836	837	838	840	841 842	843

C	3.4	, i t	0.0 8	0 0 1 0	2.0 10	3.3	2.8	2.4	2.7	7.7	2.1 2 F		0.0 7 3	2.3	2.0	2.7	3.1	3.4 6	7.7	6. 6 c	7.7	7.1 7 0 6	0.0 4 C	21	2.5	3.3	2.9	2.0	6.2.6	5.7 7	i 7 i 7	3.3	2.8	6 1 1 1 1	- i c	2.4	3.1	3.1	2.8	1.8	3.1	7 r 7 r	- v - i c	0.7 L	; c	2.9	2.1	3.5 3.1
HMR	1412	1414	0424 A12A	3220	8945	3675	5783	3467	6226	4466	5410 4081	4081	1235	3390	4767	4011	4083	2648	/007	1240 2751	10/0	1787	4073	2354	4132	2368	1829	4959	3180	2303 4440	3690	3336	6020	3348	2106	3862	5310	1981	2832	3154	2401	8770	0104 9001	4131	3917	2531	3284	1926 2414
HLR	1868	1000	1120	3861	10836	4807	6892	3325	7769	4814	6792 5400	2489	1682	4887	7164	5308	4903	3770	6216	1581	0010	76C0	5325	3470	5518	3166	3689	6172	1200	5307	4178	4377	7371	4393	32/13	6168	5868	3126	4498	4171	3545	50703	C/ 00	1961	6686	3694	4078	2308 2616
$\log Z[HLR]_M$ $\Gamma Z_{\odot}$ ]	0.21	0.15	07.0 07.0	0.10	0.11	0.06	0.30	-0.37	0.00	0.06	0.04	CU.U	0.07	0.14	-0.01	0.21	0.05	0.15	-0.23	0.11	-0.12	0.14	10.04	0.16	0.20	0.23	0.19	0.05	0.22	0/.0-	-0.18	0.23	0.23	0.17	-0.14	0.07	0.15	0.12	-0.06	-0.04	-0.13	CI.U 20.0	00.0	CC-0-	-0.02	0.31	-0.16	0.29 0.27
$\log Z[0] M$	033	cc.0	16.0	0.13	0.30	0.21	0.33	-0.47	-0.02	0.31	-0.02	77.0	0.33	0.00	0.10	0.19	0.26	0.36	-0.46 0.20	0.09	10.0-	0.20	-0.10	-0.03	-0.10	0.35	0.25	0.11	0.30	-1.22	-0.17	0.27	0.39	-0.31	-0.78 0.78	0.35	0.30	0.24	0.11	-0.36	-0.39	0.30	01.0	-0.07	-0.28	0.21	-0.23	$0.31 \\ 0.25$
$\langle \log age[HLR] \rangle_L$	0.75	27.0	0.66	0.31	9.01	9.35	9.86	8.52	9.24	9.08	9.16	9.70	0 88 0	8.84	8.76	9.31	9.64	9.75	8.23	9.61 8.86	0.00	10.6	0.37	9.30	9.26	9.83	9.60	9.15	9.26	8.29	9.00 9.00	9.74	9.82	8.38	8.39 0.50	9.06	9.75	8.99	9.27	8.81	9.06	9.78	7.86	8 96	8.21	9.53	8.66	9.95 9.80
$\langle \log age[0] \rangle_L$	10.00	0.01	9.09 10.07	0.07	9.57	9.54	9.99	8.20	9.97	9.10	9.72	18.9	20.6 10.08	9.87	9.64	9.75	9.95	10.02 0.12	9.47	9.70	56.6 22.0	0/.6	97.6	9.84	9.90	10.02	10.02	9.90	97.6	8.89 0.77	9.23	10.08	10.08	8.94	9.21	9.74	10.07	9.59	10.04	9.53	9.68	9.90	8 67	0.0/ 0.26	27.0	9.79	9.26	10.04 10.04
A <sub>V</sub> [HLR] mag	000	0.00	0.00	0.01	0.29	0.37	0.00	0.33	0.35	0.26	0.38	0.00	0.00	0.12	0.44	0.19	0.00	0.00	0.0 0	0.16	55.0 25.0	0.00	0.10	0.12	0.24	0.07	0.15	0.17	0.13	0.33	0.60	0.01	0.03	0.47	0.25 25	0.31	0.00	0.29	0.17	0.03	0.49	40.0 40.0	0.06	0.50	0.20	0.00	0.47	0.01 0.00
$A_V[0]$ mag	0000	00.0	00.0	0.43	0:30	0.40	0.33	0.36	0.19	0.72	0.43	0.00	0.15	0.37	0.61	0.00	0.11	0.12	0.47	0.00	0.10	01.0	0.65	0.19	0.54	0.31	0.82	0.13	0.62	0.27	1.19	0.07	0.17	0.61	0.03 0.34	0.33	0.00	0.11	0.17	0.34	0.00	0.08	C7.0	04.0	0.84	0.31	0.80	0.32 0.21
$\log \mu_{\star}$ [HLR] $M_{\odot}/\text{nc}^2$	2 85	07.0	2.49 2.30		2.03	2.38	2.71	1.37	2.17	2.17	2.39	2.09 2.09	2.95	2.07	2.27	2.35	2.38	2.51	1.54	2.78	77.7	27.7 2 68	2.00 2.45	2.14	2.45	2.93	2.53	2.23	1.94	1.40 1.00	2.38	2.73	2.30	1.67	1.79 202	2.26	2.54	2.46	2.33	1.60	2.31	707 7	2.41 1 10	2.15 2.15	1 76	2.66	2.06	2.93 3.11
$\log \mu_{\star}[0]$ $M_{\odot}/\mathrm{nc}^2$	4 47	5 ; <del>1</del>	4.00 81 18	3.68	2.97	3.84	4.11	2.40	3.45	3.08	3.18	4.01	67.6 4 49	3.31	3.65	3.56	4.11	4.19	2.85	3.55	20.0	00.0 7 36	3.76	3.55	3.68	4.46	4.36	3.26	3.69 2.01	2.24 2.78	3.21	4.31	3.76	2.67	2.80 A 43	3.66	4.01	3.87	3.83	2.83	3.57	4.10 2.77	5.7 777	3.63	00.5 02 8	4.12	3.48	4.32 4.47
$\log M_{\star}$	10.60	11.35	CC.11 71 11	10.43	11.04	10.92	11.55	9.30	10.86	10.43	10.86	CC.11	10.01	10.41	10.99	10.89	11.11	10.97	10.20	10.16	00.01	10.99	10.90	10.39	11.07	11.18	10.98	10.67	10.81	9.04 10.36	10.26	11.32	11.27	9.64 0.02	8.8/ 11.00	11.03	11.43	10.68	10.68	9.91	10.34	11.47	8 71	0.71 10 74	10.51	11.12	10.50	10.93 11.10
type mornh.	0 AR		-1 AD		3 4 A	1 A	-1 A	4  AB	2 B	2 AB	B ≜	0 A L	-1 A 0 AB	3 A	4 A	1 B	-1 A	0 B	4 4 •	I A	A d c		2 AR	1 B	2 B	0 A	0 A	3 B	ΙΥ	4 4 4 4	3 A	-1 A	0 A	4 4 4 4	4 4 4 4	3 B	-1 A	1 A	2 B	4 A	2 AB	-1 A	V V	4 4 7 4	4 7 7 7 7	-1 A	3 B	1 B -1 A
NED	NGC6778		UGC10695	NGC6310	NGC6301	NGC6314	NGC6338	UGC10796	UGC10811	ICI 256	NGC6394	CURULUDU	NGC6427	UGC10972	NGC6478	NGC6497	NGC6515	UGC11228	UGC11262	NGC6762	MUCG-02-201-004	NGC6015	NGC6978	UGC11649	UGC11680NED01	NGC7025	UGC11694	NGC7047		MCG-01-54-016 11GC11740	UGC11792	NGC7194	UGC11958	UGC11982	UGC12034	NGC7321	UGC12127	NGC7364	UGC12185	UGC12224	VV488NED02	NGC/430B	1160122/4	NGC7466	NGC7489	NGC7550	NGC7549	NGC7563 NGC7562
CALIFA ID#	844	044	040 816	818	849 849	850	851	852	854	000	857	828	860	861	862	863	864	865	866	867	000	608 870	871	872	873	874	875	876	//8	8/8 870	880	881	883	884	288	887	888	889	890	891	892 802	893 804	805 805	896 806	808	900	901	902 903

Table C.1. continued.

C		3.0	2.4	2.3	2.3	2.8	3.3	3.4	2.6	2.7	3.2	3.2	3.1	2.0	2.3	3.3	2.7	2.6	2.1	3.0	2.4	2.0	2.4	2.2	3.0	2.6	2.5	2.4	2.6	2.4	2.4	2.4
HMR	bc	2813	2570	2913	3204	1628	2118	1562	2714	1943	1444	1863	2330	4146	3078	1525	1143	2560	4693	3308	3800	5908	3003	4501	4188	2723	1783	4619	4155	1639	2688	3032
HLR	bc	3745	3694	3441	4521	2074	2564	2126	3602	3365	2140	2273	3290	4901	4547	2554	1943	3097	5140	6037	5670	8345	4353	6197	5173	4869	2041	5227	4977	1598	5225	3912
$\langle \log Z[HLR] \rangle_M$	$[Z_{\odot}]$	-0.56	-0.14	-0.18	-0.08	0.17	0.30	0.08	0.14	-0.13	0.18	0.27	0.02	-0.34	0.04	0.06	-0.15	0.25	-1.04	0.30	0.32	-0.53	-0.76	0.26	0.15	0.18	-0.24	-0.18	0.21	-0.47	0.07	0.18
$\log Z[0] M$	[Z <sub>0</sub> ]	-0.22	-0.30	-0.41	-0.14	0.06	0.37	0.04	-0.04	-0.11	0.38	0.34	0.40	-0.25	-0.24	0.29	0.09	0.16	-0.41	-0.32	0.14	-0.36	-0.45	0.38	0.32	-0.03	-0.03	-0.44	-0.06	-0.37	0.34	0.22
$\langle \log age[HLR] \rangle_L$	(yr)	8.70	8.93	8.83	8.56	9.53	9.82	9.78	9.20	8.84	9.84	10.01	9.76	8.67	8.16	9.64	9.49	9.49	7.93	9.46	9.08	8.59	8.24	9.59	9.86	9.11	8.69	8.48	9.59	8.23	8.82	9.54
$\langle \log age[0] \rangle_L$	(yr)	8.92	9.14	9.47	9.25	9.95	6.69	10.06	9.79	9.72	10.09	9.67	9.93	9.38	9.47	10.07	10.05	9.77	7.93	8.69	9.95	9.02	9.13	10.07	9.52	9.00	9.23	8.76	9.90	8.02	9.45	9.89
$A_V$ [HLR]	mag	0.79	0.49	0.62	0.45	0.43	0.00	0.01	0.26	0.31	0.04	0.07	0.07	0.11	0.16	0.00	0.08	0.57	0.48	0.08	0.11	0.30	0.42	0.13	0.01	0.34	0.47	0.24	0.20	0.37	0.17	0.20
$A_V[0]$	mag	1.45	0.82	0.61	0.74	0.85	0.03	0.09	0.35	0.32	0.23	0.73	0.34	0.26	0.00	0.30	0.01	0.65	0.79	2.01	0.03	1.19	0.28	0.38	0.00	1.58	0.57	0.46	0.77	0.37	0.39	0.39
$\log \mu_{\star}$ [HLR]	$M_{\odot}/\mathrm{pc}^2$	2.46	1.91	2.10	1.95	2.48	3.20	2.69	2.47	2.16	2.97	3.07	2.71	1.65	1.32	2.77	2.46	2.75	1.87	2.27	2.07	1.98	1.46	2.61	2.86	1.99	2.01	1.61	2.45	1.64	1.76	2.58
$\log \mu_{\star}[0]$	$M_{\odot}/\mathrm{pc}^2$	3.71	3.22	3.01	3.06	3.57	4.53	4.04	3.58	3.72	4.57	4.36	4.25	2.77	2.58	4.35	4.10	4.06	2.38	3.94	3.61	3.38	2.75	4.02	3.64	3.52	2.86	2.73	3.37	2.30	3.57	3.76
$\log M_{\star}$	$M_{\odot}$	10.74	10.12	9.90	10.07	9.98	11.25	10.63	10.45	10.51	10.90	10.96	10.83	10.11	9.53	10.76	10.30	10.92	9.69	11.06	10.75	10.78	9.85	11.24	11.25	10.52	9.46	9.92	10.62	8.98	10.56	10.92
type	morph.	3 B	4  AB	3 A	4  AB	2 A	-1 A	0 A	2 A	2 A	0 A	0 A	0 A	3 B	4 A	-1 A	2 A	1 A	4 A	2 B	2 B	3 B	4 A	2 A	1 A	1  AB	3 A	4 B	1  AB	5 AB	3 B	1 B
Name	NED	NGC7591	IC5309	NGC7608	UGC12519	UGC12518	NGC7619	NGC7623	NGC7631	NGC7653	NGC7671	NGC7683	NGC7684	NGC7691	UGC12653	NGC7711	NGC7716	NGC7722	UGC12723	NGC7738	UGC12767	UGC12810	UGC12816	NGC7782	NGC7783NED01	NGC7787	UGC12857	UGC12864	MCG-01-01-012	NGC7800	NGC5947	NGC4676B
CALIFA	ID#	904	906	907	606	910	911	912	914	915	916	917	919	920	921	923	924	925	926	927	928	929	930	931	932	933	934	935	936	937	938	939

Table C.1. continued.

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ں ا	33	2.1	2.1	3.1	2.1	2.7	0.5 2 e		10	1.5	52	3.2	2.6	3.0	2.0	3.8 9.8	77	0.7		7 c	0.0	i 0 1 0	; ~	2.1	3.1	3.2	3.3	2.3	2.3	2.5	772	0.1		1 c	3.5	3.0	3.1	3.1	2.1	2.4	3.1	4.7	3.1	x c 7 c	77	2. 1. 1. 1.	) ( 0	2.1	3.0
HMR	2324	5175	3561	4542	3204	3355	1/81	4021	2872	4256	2187	2205	1935	2985	3344	1503	6010	6107	1000	1066	0710	4090	2530	4623	2477	1999	3509	4866	3474	3450	4599	2010	0787	1471	1780	2061	2046	2505	4260	2965	2543	1174	2787	4159	1504	4555 7074	7397	3152	4699
HLR pc	3883	6842	5455	5400	4348	4104	18/2	4820	3517	5055	3264	3298	2362	4165	4523	3268	0498	5910 1964	7771	4340	2457	4954	4431	6609	3268	2564	4856	5690	4220	4535	6329	30//	5270	1838	2323	2922	2751	2859	5228	4918	3013	1663	3791	4620	1038	069C	3087	4943	5841
$\log Z[HLR] M$ (Z <sub>0</sub> )	-0.26	-0.05	-0.33	-0.01	-0.37	0.10	-0.18	-0.10	-0.08	-0.77	-0.35	-0.19	-0.06	-0.38	0.12	0.01	0.01	-0.14	21.0	-0.10	0.17	-0.10	-0.08	-0.55	0.16	0.06	0.13	-0.76	-0.10	-0.23	-0.17	0.01	0.11	0.14	0.03	0.06	0.14	0.20	-0.02	-0.24	0.14	-0.16	0.06 200	0.20	-0.41	0.04 -0 11	010	-0.01	0.13
$\log Z[0] M$	0.00	0.00	0.06	0.17	0.01	0.16	-0.00	-0.08	-0.08	-1.14	-0.08	0.02	-0.34	-0.07	0.04	-0.15	0.07	0.02	0.4.0- 10.00	-0.01	-0.04	60 Q-	0.09	-0.11	0.03	0.19	0.22	-0.42	-0.15	-0.26	0.06	-0.16	17.0	0.13	0.10	-0.06	0.22	0.21	0.02	0.07	0.17	-0.07	0.09 0.09	0.20	-0.08	0.13	0.13	0.19	0.20
$\langle \log age[HLR] \rangle_L$ (yr)	9.50	00.6	9.12	9.82	8.91	9.59	90.6	9.40 8.76	9.36	8.63	9.09	9.74	9.11	9.82	9.35	9.22	9.22	9.48	8.81 0.01	10.6	10.6	0.04 2 & 2	0.51	9.05	9.69	9.76	9.56	9.02	8.76	8.98	9.09	0.5.V	CK.K	9.73	9.73	9.62	9.76	9.73	9.26	8.85	9.70	9.54	9.80	9.87 287	8.74	97.6 0.04	17.0	9.27	9.81
$\langle \log age[0] \rangle_L$ (yr)	10.00	9.58	8.59	9.96	9.20	9.74	10.6	06.6	9.71	8.56	8.92	10.05	9.74	96.6	10.02	9.72	9.48	45.9	8.0/ 110	9./1	0.01	0.1.0 8.8.8	0 66	9.43	10.00	9.90	9.89	9.37	8.83	9.26	9.52	9.13	10.01	10.10	9.97	66.6	9.94	10.03	9.85	9.54	10.00	9.76	9.98	10.07	8.90	CU.UI 97.0	10.01	9.48	9.99
A <sub>V</sub> [HLR] mag	0.49	0.36	0.06	0.05	0.27	0.21	10.0	0.29	20.0	0.26	0.19	0.04	0.09	0.27	0.01	0.08	60.0	0.51	0.12 0.74	0.04 20.0	0.00	0.32	0.15	0.30	0.00	0.01	0.03	0.08	0.23	0.27	0.12	0.42	0.0 000	000	0.00	0.25	0.00	0.00	0.12	0.24	0.01	0.22	0.20	0.00	0.21	0.08	0.02	0.16	0.02
$A_V[0]$ mag	041	0.66	0.62	0.43	0.79	0.77	0.47	0 00 0	0.50	0.37	1.21	0.51	0.28	0.44	0.40	1.01	0.21	1.22	67.0	0.17	0.00	0.02	0.70	0.66	0.64	0.00	0.20	0.32	0.67	0.71	0.48	c.1.0	0.61	0.01	0.06	0.36	0.00	0.01	0.13	0.45	0.00	0.67	0.39	0.16	0.47 2000	0.35 0 1 0	0 37	0.61	0.56
$\frac{\log \mu_{\star}[\text{HLR}]}{M_{\odot}/\text{pc}^2}$	2.64	2.54	1.91	2.73	2.29	2.92	7.80	20.2 2 30	2.71	1.87	2.22	2.50	2.44	2.66	2.54	2.20	2.41	2.80	47.7 7	20.0	2.00 2.43	04-7 7 45	5 10 0 1 0	2.46 2.46	2.60	3.10	2.60	1.91	1.89	2.10	2.18	2.08	07.6 11 c	2.03	2.97	2.97	3.04	3.08	2.49	2.27	2.84	2.85	3.20	3.11	47.7 9 1 0	2.79 24	2.85	2.43	2.87
$\frac{\log \mu_{\star}[0]}{M_{\odot}/\mathrm{pc}^2}$	4 05	3.60	3.37	3.90	3.49	4.12	4.13 2 00	2.00 2.18	3.79	2.98	3.38	4.20	3.42	4.26	4.01	4.09	3.77	4.43 010	21.7 9 15	c1.4 C1.4	4.70 50	3,68	4 00	3.86	4.38	4.12	4.19	2.90	2.64	3.10	3.47	99.5 1 50	80.4 212	4.21	4.20	4.31	4.30	4.54	3.51	3.39	4.14	4.17	4.27	4.40 04.6	5.74 5.74	4.U5 2.60	4 16	4.07	4.18
$\log M_{\star}$ $M_{\odot}$	10.82	11.16	10.39	11.41	10.42	11.13	10.96	17.11	10.57	10.11	10.21	10.77	10.16	11.09	10.88	10.49	11.06	96.01	9.24	CI.11	CO.11	10.92	10.95	11.02	10.99	10.91	11.22	10.12	9.84	10.29	10.80	10.83	11.41	10.69	10.84	10.91	11.12	11.29	10.87	10.58	10.99	10.39	11.28	11.64 0 5 4	40.6	11.19 10.00	10.99	11.10	11.58
type morph.	2 Å	3 A	4 A	-1 A	3 AB	1 AB	5 A 4 C	4 P	2 AB	5 B	4 AB	-1 A	2 AB	$1 \mathrm{A}$	2 B	1 A	2 B	I AB	A C	3 AB	A L	4 AR	1 AR	4 A	-1 AB	1 A	1 B	4 A	4 A	3 A	3 AB	2 AB	-1 A		0 A	1 AB	0 A	-1 A	3 AB	4  AB	0 B	1 AB	1 A	A L-	4 ¢	2 A 7 R	1 Q 7 Q	2 B	-1 A
Name NED	IC5376	UGC00005	NGC7819	UGC00029	IC1528	UGC00036	NGC001	11GC00148	MCG-02-030	11GC00312	MCG-02-040	UGC00335NED02	ESO540-G003	NGC0160	NGC0171	NGC0177	NGC0180	NGC0192	NGCU210	NGC0214	NGC021/	NGC0234	MCG-02-03-015	NGC0257	NGC0364	NGC0429	NGC0447	NGC0444	UGC00809	UGC00841	NGC0477	IC1683	NGC0499 NGC0406	NGC0504	NGC0517	UGC00987	NGC0528	NGC0529	NGC0551	UGC01057	UGC01271	NGC0681	UGC01274	NGCU741		ICT/J5	NGC0774	NGC0776	NGC0810
CALIFA ID#	001	002	003	004	005	007	008	010	013	014	016	017	019	020	023	024	0.25 0.25	970	170	870	020	031	037	033	035	036	038	039	040	041	042	043	044	046	047	049	050	051	052	053	059	061	062 2.2	068	009	0/0	072	073	076

 Table C.2. Stellar population properties: GMe 

C	1	3.2	2.2	3.2 1	5.7 5	2.5 9 0 8	3.1	3.2	2.6	2.0	2.2	5 8 0 7 8	8.7	2.5	2.4	2.5	3.2	4.0 7.7	2.2	0.7 2 2	0 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	2.1	2.8	2.6	2.9	3.1	2.2	4 7 7	4.4 7 7	2.7	2.7	2.3	5.0 2.0	0.7 1 6	3.0	2.7	2.2	2.1	1.9 2 2	0.0 V	2.7	2.1	2.2	5.8	3.0 2 7	5 i 1	2.1	3.1
HMR	pc	1289	6395	2544	3052	2697	2206	3907	3129	1852	4987	2530	4315 7496	2146 2146	4937	4807	2618	3653	601	3753	CC7C	2413	2117	2627	1805	2913	2526	4899 2626	3343	3155	1802	4316	2319	3508	2858	2486	1657	1852	4500 440	940 4340	1851	2261	4291	3245	3315	5839	4919	4461
HLR	bc	1806	8576	3033	5081	4064 4064	2826	5458	4252	3747	7902	3571	1124	2816 2816	6289	7058	3379	4868	C+17	02/1	7075	3523	3045	3939	2253	4192	3851	6325	4073	4598	2641	5759	2662	0000	4250	2830	2189	2355	1107	1132	2154	2932	5141	4860	4547	8278	6220	4898
$\langle \log Z[HLR] \rangle_M$	(Z <sub>0</sub> )	-0.10	-0.02	0.07	-0.50	-0.43 0 14	0.03	0.03	0.07	-0.08	-0.27	0.12	0.12	-0.22	-0.25	-0.52	0.06	-0.05	-0.81	-0.17	-0.08 -0.08	-0.33	-0.35	-0.23	-0.68	-0.16	-0.31	-0.30	2010	-0.42	-0.39	0.04	-0.30	-0.29	-0.39	0.06	-0.41	-0.51	-0.49	-0.37	-0.30	-0.09	-0.00	0.00	0.22	-0.60	-0.39	-0.10
$\langle \log Z[0] \rangle_M$	(Z <sub>0</sub> )	0.15	0.01	0.18	0.16	-0.91	0.15	0.03	0.13	0.21	-0.13	0.21	0.06	0.10	-0.11	-0.10	-0.03	0.03	-0.08	-1.20	-0.08	-0.26	-0.29	0.06	-0.61	0.01	-0.31	-0.27	0.07	-0.25	-0.52	-0.29	-0.58	0.04	0.02	0.13	-0.97	-0.73	-0.16	-0.70	-0.22	0.12	0.06	0.18	0.22	-0.11	0.07	0.01
$\langle \log age[HLR] \rangle_L$	(yr)	9.70	9.09	9.80	9.12	9.40 9.86	9.80	9.70	9.33	9.27	8.55	9.63	9.04	9.40	9.05	9.34	9.63	9.41	8.49 0.05	0.9.0 8.08	0.70	8.92	9.08	9.14	8.44	9.50	8.79	9.28	9.49	9.07	8.94	8.99	9.04	0.70	9.38	9.53	8.82	8.39	8.70	0.72	9.59	9.20	9.18	9.40	9.49 8 87	9.60	9.10	9.83
$\langle \log age[0] \rangle_L$	(yr)	10.08	9.83	9.92	9.52	86.9 10.07	96.6	66.6	9.85	9.19	9.72	9.98	c0.01	9.94 9.71	9.76	9.68	10.02	9.80	8.42	0.01 0.71	9.81	9.33	9.32	9.76	8.62	9.79	9.48	9.65 0.00	9.91 9.91	9.77	9.58	8.91	8.59	00.0 80 0	9.59	9.87	8.49	8.38	51.6 2001	0.67	09.6	9.81	9.68	9.58	9.81 8.00	10.07	9.49	10.04
$A_V$ [HLR]	mag	0.24	0.24	0.08	0.15	4C.U	0.01	0.08	0.08	0.42	0.41	0.12	0.00	10.0	0.40	0.21	0.06	0.03	0770	0.24	CC-0	0.29	0.36	0.27	0.29	0.29	0.04	0.53	0.30	0.35	0.15	0.50	0.13	0.00 0.00	0.43	0.22	0.31	0.10	0.00	0.00	0.33	0.21	0.05	0.17	0.00	0.08	0.35	0.02
$A_V[0]$	mag	0.00	0.42	0.14	95.0 10.0	0.17	0.31	0.14	0.16	2.21	0.30	0.62	07.0	0.31	0.79	0.81	0.21	0.57	0.12	90.0	0.40	0.76	1.27	0.30	0.31	0.61	0.32	0.88	0.41 0.41	0.86	0.56	1.15	0.28	0.07	1.14	0.05	0.31	0.25	20.0	0.57	0.78	0.61	0.10	1.06	0.00	0.09	0.50	0.19
$\log \mu_{\star}$ [HLR]	$M_{\odot}/\mathrm{pc}^{-2}$	3.03	2.15	2.93	2.34	3.14 3.38	2.98	2.61	2.53	2.62	2:04	2.94	7.91	2.02 2.80	2.41	2.53	2.94	2.89	1.48	10.2 11 C	2 53	2.57	2.30	2.84	1.92	2.85	2.00	2.57		2.32	2.05	2.19	5.00	7.07 3.04	2.57	3.32	1.56	1.38	2.20 2.20	2.20 2.38	2.76	2.80	2.57	2.68	2.78	2.33	2.23	2.82
$\log \mu \star [0]$	M <sub>☉</sub> /pc <sup>2</sup>	4.26	3.25	4.29	3.60 2.51	4.24 4.65	4.43	3.86	3.79	4.25	3.32	4.33	4.47	3.86	3.75	3.68	4.20	4.06	2.10	20.0 2 30	3.86	4.00	3.37	4.09	2.73	4.19	3.19	3.50	4.09	3.56	3.26	3.04	3.01	4.00 4 30	3.95	4.34	2.16	2.00	5.06 07.7	4.70 3.45	3.63	4.14	3.83	4.04 40.8	3.99 2.38	3.48	3.25	4.27
$\log M_{\star}$	$M_{\odot}$	10.60	10.98	11.17	10.69	11 79	10.93	11.19	10.87	10.81	10.69	11.04	11.44	10.67	10.99	10.97	11.07	11.03	86.8	10.47	10.79	10.82	10.11	11.08	9.55	11.17	10.21	10.97	11.17	10.57	9.64	10.45	9.71	11.10	10.72	11.25	9.11	8.84	01.53 10.63	10.67	10.14	10.72	10.96	11.23	0 57	11.05	10.65	11.45
type	morph.	$1 \mathrm{A}$	4 B	0 A	3 AB	1 A -1 A	0 AB	0 A	3 B	2 B	3 A	0 A	0 A	-1 A 1 AB	1 A	2 A	0 B	1 AB	4 AB	4 AD 4 AR	ч Ч С	3 B C	4 AB	3 AB	5 A	2 AB	3 AB	2 A	2 р 1 АВ	4 AB	4 A	4 AB	5 A	5 AB -1 A	1 A	1 A	5 A	5 A	4 B 1 A B	4 AR	1 AB	3 A	3 A	2 B	-1 A 5 B	2 B	3 AB	1 A
Name	NED	NGC0825	UGC01659	NGC0932	UGC01938	NGC1050	UGC02222	UGC02229	NGC1093	UGC02403	UGC02405	UGC02465	NGC116/	NGC1542	UGC03038	UGC03107	NGC1645	UGC03151	NCC1677		11GC03253	NGC2253	UGC03539	NGC2347	UGC03899	NGC2410	UGC03944	UGC03969	NGC2449	UGC04029	UGC04054	IC0480	NGC2480	NGC04132	IC2247	NGC2639	UGC04659	UGC04722	NGC2/30	IC7487	IC0540	NGC2906	NGC2916	UGC05108	NGC2918	UGC05359	UGC05396	NGC3106
CALIFA	ID#	077	081	087	088	101	103	104	108	115	116	118	611	12/	132	133	134	135	141	14.5 14.4	146	147	148	149	150	151	152	153	156	157	158	159	161	171	186	219	226	231	232	212 273	274	275	277	278	279 306	307	309	311

Table C.2. continued.

C		1.9	3.1	3.1	2.7	2.5	1.7	4. C	0 i c	9.4 4.0	2.9	3.0	3.3	2.2	2.2	2.1	2.6	1.8	2.7	2 0 1 0	- c - i c	0,7 C	9 C	0.4	1.9	2.0	2.0	2.8	2.0	2.9	3.2	2.7	0.7	0.0 2 C	1 C	3.3	2.2	2.3	2.4	2.3	3.0	2.5	2.4	0.0 2 e		2 I C	28	2.4	2.5	2.4	2.3
HMR	pc	2011	3505	5447	4282	3516	2430 2761	2046	1283	4483	3618	3509	3481	2899	2090	2330	3458	5230	1318	4032	2014	2019	0400 9716	5733	2990	3019	2460	2896	4861	5842	4254	6771	557 C	1001	7396	3398	4242	5107	4611	2019	6033	3467	1447	1801	C077	2884	5305	2227	5011	2769	4457
HLR	bc	2209	4434	5293	5313	4990	2939	4005 0407	1764	4847	4925	4454	4131	3456	2809	3827	3764	3613	2091	£07C	7004	1000F	3768	0070	3642	3582	2797	3530	4641	6222	5003	7071	3076	0705	3114	3939	5940	5609	5862	2680	6866	6011	1814	1077	0000 9190	3345	6635	2850	7114	3334	5563
$\log Z[HLR]_M$	(Z <sub>0</sub> )	-0.37	-0.15	0.21	0.04	-0.24	0.0	-0.02	-0.10	0.11	-0.04	-0.20	0.10	-0.27	-0.12	-0.33	-0.16	-0.25	-0.18	0.17	-0.10	-0.18	-0.12	-0.03	-0.05	-0.42	-0.22	-0.07	-0.21	0.16	0.12	0.13	-0.U- 21 0	CT-0	-0.42	0.01	-0.12	-0.48	-0.05	-0.26	0.01	-0.07	-0.14	0.00	CD.U-	-0.74	0.03	-0.07	0.01	0.07	0.07
$\langle \log Z[0] \rangle_M$	(Z <sub>0</sub> )	-0.61	-0.03	0.19	0.02	-0.15	-0.03	-0.08	-0.00	0,10	0.01	-0.04	0.13	-0.27	-0.10	-0.07	-0.14	0.14	0.12	0.14	0.05	c0.0	17.0-	-0.12 -0.13	-0.15	-0.67	0.02	0.12	-0.01	0.10	0.13	0.16	0.04	01.0	-1.17	0.05	0.03	-0.61	0.01	-0.21	0.17	-0.18	-0.10	20.0	-0.20	0.05	0.03	-0.14	0.11	-0.02	0.19
$\langle \log age[HLR] \rangle_L$	(yr)	8.61	9.64	9.77	9.75	8.84	75.6	8.00 8.75	0.37	06.6	9.67	9.61	9.72	9.31	9.20	9.14	9.06	8.25	8.77	9.08	0.4.0 0.00	0.0/	9.14 0.30	0.45	0.6	8.38	8.64	9.30	8.93	9.74	9.70	9.78	27.6 27.6	0+.0 8 50	836	9.43	9.38	9.08	9.28	8.98	9.86	8.80	9.22	9.03	77.6	8.84	9.63	9.39	9.53	9.62	9.30
$\langle \log age[0] \rangle_L$	(yr)	8.91	9.75	96.6	96.6	9.28	10.03	10.04 8 22	0 14	10.02	10.07	9.77	10.10	9.76	9.97	9.37	9.84	7.33	9.51	9./4	0.00	9.40	0.6 110	7.41 10.04	10,00	9.01	8.93	9.83	9.54	10.05	10.04	9.95	9.13	0.0 10.0	8 97	9.50	9.30	8.90	09.6	9.49	10.04	9.79	9.86	10.09 0.45	0.4.7 19.9	8 58	9.87	9.70	10.02	10.04	9.89
$A_V$ [HLR]	mag	0.13	0.28	0.00	0.01	0.42	0.01	0.00	0.34	0.10	0.09	0.33	0.00	0.08	0.04	0.13	0.17	0.12	0.41	0.01	00.0 02.0	0C.U	0.00	00.0	0.09	0.24	0.37	0.23	0.44	0.00	0.00	0.00	0.00	0.00	0.06	0.01	0.12	0.34	0.59	0.18	0.00	0.20	0.16	0.01	10.0	0.22	0.35	0.21	0.08	0.03	0.18
$A_V[0]$	mag	0.19	0.60	0.01	0.35	1.10	0.20	0.00	07.0	0.07	0.17	0.62	0.00	0.33	0.08	0.54	0.43	0.25	0.94	0.52	0000	00.0 000	CZ-U	77.1 1 0 0	0.15	0.05	0.29	0.02	0.65	0.08	0.04	0.00	0.00	0.00	0.03	0.15	0.90	0.74	1.09	0.44	0.02	0.59	0.17	0.12	C0.1	0.47	0.46	0.55	0.12	0.03	0.25
$\log \mu_{\star}$ [HLR]	$M_{\odot}/\mathrm{pc}^{2}$	1.54	2.75	3.04	2.65	2.19	6/.7	2.02 2.10	2.5.0	3.06	2.74	2.67	2.98	2.22	2.50	2.48	2.43	1.90	3.06	10.7	1.91	2.8U	21.72 2 80	00.7 7 41	2.40	1.35	2.40	2.67	2.32	2.60	2.74	2.77	2.49 00 c	11 0	2.11 1 48	2.93	2.45	2.20	2.63	2.59	2.77	2.22	2.46	2.08	2.00 1 6.1	1.01	2.82	2.60	2.49	2.46	2.69
$\log \mu \star [0]$	$M_{\odot}/\mathrm{pc}^{2}$	2.49	3.75	4.30	3.74	3.50	4.20	40.4 00.6	20.5 203	4.06	4.08	3.89	4.43	3.39	3.93	3.95	3.74	2.74	4.49	66.6 10 5	10.0	0.04 1-0	5.17 1.03	c0.4 040	1. 1. 1. 1. 1. 1. 1. 1. 1. 1. 1. 1. 1. 1	2.13	3.16	3.71	3.52	4.11	4.22	3.90 2.70	3.78 1 22		2.48	4.26	3.88	2.79	3.62	3.63	4.07	3.74	3.65 2.05	90.5 00	0.70 02.0	2 30	4 01	3.63	4.03	3.96	4.17
$\log M_{\star}$	$M_{\odot}$	9.26	10.97	11.77	11.05	10.56	10.84 11 20	9 85 9 85	0.40	11.30	11.26	11.10	11.53	10.37	10.55	10.67	10.78	10.03	10.75	07.11	00.01	10.70	10.58	00.01 10.04	10.50	9.47	10.28	10.74	10.75	11.43	11.43	11.69	96.11 11 14	+1.11 0.06	9.38	11.40	10.99	10.28	11.05	10.53	11.61	10.86	10.06	10.01	010	01.6	11 41	10.35	11.29	10.72	11.28
type	morph.	5 B	1 A	-1 A	1  AB	2 A	0 B	-1 A A B	4 4 7 4	1 A	1 B	$1 \mathrm{A}$	-1 A	3  AB	2 B	3 B	3 A	5 A	3 AB	UB UB	4 AB	0 4 4		4 A R	2 B	5 A	4 A	2 A	3 A	-1 A	-1 A	0 A	1 V	ЧТ-	AB AB	0 A	3 B	4 A	2  AB	3 A	-1 A	4  AB	3 B ? ·	U A	9 < 	ζ Υ Ε	1 A 1	2 A	2 B	2 B	2 B
Name	NED	NGC3057	UGC05498NED01	NGC3158	NGC3160	UGC05598	NGC3300	NGC3381	196620201	UGC06036	IC0674	UGC06312	NGC3615	NGC3614	NGC3687	NGC3811	NGC3815	NGC3991	NGC3994	NGC4005			NGC/1140	NGC4185	NGC4210	IC0776	NGC4470	NGC4644	NGC4711	NGC4816	NGC4841A	NGC4874	NGCU810/	NGC4930	11GC08231	UGC08234	NGC5000	UGC08250	UGC08267	NGC5016	NGC5029	NGC5056	NGC5205	NGC5210	11000210	UUC08002 11GC08733	IC0944	UGC08778	UGC08781	NGC5378	NGC5406
CALIFA	ID#	312	314	318	319	326	339	353	361	364	381	386	387	388	414	436	437	475	476 170	4/4 201	480 100	404	507	515	518	528	548	569	580	588	589	592	560 603	007 603	606	607	608	609	610	611	612	614	630	033 634	450 753	720 729	663	664	665	676	684

C	0 C	0 <del>-</del> 1 c	4.7 4	0.0 1.0	3.2	2.1	2.5	). 1.0	2.4 4.0	2.3	1.8	3.3	2.3	2, c 4, c	7.7	2.4	2.1	2.7	2.8	2, 2 4 7	07	0.0	2.2	3.0	2.3	2.0	с. С. с	3.0 2 2	5.0	20	2.2	2.5	1.9	7.1 7 4	2.4	2.4	3.2	2.5	ю. 4.	2.3	0.7 C	22	2.6	3.1	3.1	) 7 7 7	2.5
HMR	1550	00001	4124 830	2495	1360	1837	3056	2061	5424 5424	2412	3748	4555	4418	2007	404/ 0176	1619	7510	3172	1725	3943	4541 7901	1961	3897	2392	3045	4213	2410	2312	2206	4509	4337	3500	2902	2834 2342	2328	3470	2775	2356	4509	4066 5 420	9040 5087	2158	2380	2280	6044	6407 CYCC	2917
HLR	1014	1914	1580	3119	1498	2214	3530	0000 0350	7115	3362	4273	6566	5811	5020	2000 2663	2437	9098	4099	2436	5413	6166 2000	C072	5242	2737	4507	4808	3473	C0/7	3266	5871	5662	5579	3636	3500	2654	4180	3259	4043	5577	6057	0220 5708	2491	4188	3068	6768	5024	3578
$\langle \log Z[HLR] \rangle_M$	000	0.09	06.0- 06.0-	0.12	-0.05	-0.23	-0.65	-0.12	-0.04	-0.11	-0.40	-0.18	-0.79	0.04	-0.02	-0.35	0.03	-0.10	-0.11	-0.46	-0.34	-0.40	0.06	-0.00	-0.13	-0.07	0.18	0.01	-0.24	-0.38	-0.22	-0.22	-0.32	10.0-	-0.41	-1.23	0.10	-0.00	0.01	0.03	0.00	-0.18	-0.58	-0.09	0.01	10.0- 20.0	co.o- 0.69
$\langle \log Z[0] \rangle_M$	010	0.12	0.13 0.03	0.17	0.16	-0.10	-0.26	-0.14	-1.14	-0.13	-0.20	0.04	-0.39	0.20	02.0	-0.36	0.09	0.14	-0.20	-0- 5 5 5	-0.12	-0.40	-0.05	0.10	-0.05	0.11	0.12	0.08	-0.02	-0.19	0.07	-0.11	-0.14	0.01	-0.68	-0.67	0.18	-0.02	0.08	0.06	-0.10	-0.07	-0.21	0.03	0.11	-0.80	-1.22
$\langle \log age[HLR] \rangle_L$	0.70	9.19 0.12	01.6 08.8	9.55	9.78	8.86	8.50	9.10	9.40 9.40	8.98	8.98	9.49	9.26	10.6	20.6 0.56	9.01	9.48	9.76	9.58	9.07	9.08	40.6 0 74	9.43	9.78	9.07	9.12	9.75	9.82	9.38	9.45	9.21	9.51	9.16	9.10 0.80	9.01	9.26	9.85	8.61	9.80	9.67	08.0	88.8	8.82	9.64	9.94 0.80	8.88 0.40	2.4U 8.58
$\langle \log age[0] \rangle_L$	10.01	0.20	9.59 0.33	9.92	06.6	9.41	8.38	9.44 8.70	8.70 10.06	9.14	9.31	9.79	9.53	8/.6	9./4	9.61	10.00	9.88	9.31	9.24	96.9 20.0	10.04	9.88	9.84	9.66	9.41	10.10	90.9 10.01	9.55	9.55	9.74	9.59	9.64	9.07 9.08	9.32	9.23	10.03	9.55	6.66	10.01	9.80 10.08	9.12	9.40	10.03	10.01	9.UD 0.35	دد.بر 8.46
$A_V$ [HLR]	0.01	10.0	07.U	0.21	0.05	0.44	0.25	10.0 15	0.26	0.14	0.09	0.27	0.32	0.13	0.00	0.0 20	0.17	0.37	0.11	0.31	0.36	71.0	0.29	0.49	0.49	0.25	0.00	0.01	0.61	0.16	0.50	0.25	0.21	0.34 0.16	0.19	0.22	0.00	0.51	0.00	0.06	0.00	0.47	0.90	0.07	0.00	0; 14 05 0	0.28 0.28
$A_V[0]$	0.02	CU.U	0.87	0.48	0.04	0.54	0.41	0.17	0.29	0.59	0.39	0.85	1.03	0.19	0.00	0.95	0.28	0.74	1.36	1.01	CC.U	0.140	0.42	0.52	0.74	0.65	0.18	0.00	1.13	0.80	0.71	1.50	0.25	0.03	0.53	0.60	0.00	0.50	0.21	0.40	7/.0	0.73	1.60	0.27	0.22	0.84 0.86	0.00 0.44
$\log \mu_{\star}$ [HLR]	2 1/	9.14 0.22	2.32 2.58	3.15	3.18	2.87	2.08	7.00	2.40	2.07	2.16	2.53	2.20	2.94 2.50	02.7 08 C	2.56	2.63	3.11	2.77	1.89	CZ 77	(+.) 00 c	2.56	3.20	2.81	2.42	3.03	2.97	2.75	2.27	2.73	2.56	2.26	2. /4 2 04	2.23	2.13	3.06	2.16	2.96	2.42	10.7	2.46	2.68	2.62	2.97	2.18 77	2.12 1.57
$\log \mu_{\star}[0]$	1 36	0C.4 C2 C	2.02 A 10	4.63	4.58	3.74	2.77	4.02 747	2.79 3.79	3.33	3.24	4.07	3.38	4.38	9.24 2.87	3.70	3.92	4.28	4.28	3.20	3.41 7.07	17.0 4 16	3.94	4.54	3.87	3.82	4.63	3.92 A 56	3.86	3.72	4.09	4.08	3.16	5.84 4.47	2.96	3.02	4.43	3.47	4.37	4.02	2.02 2.05	3.52	4.01	4.00	4.31	5.1U 1.10	2.71
$\log M_{\star}$	10 86	11.00	10.15	11.40	10.76	10.50	9.86	00.01	00e 11.24	10.24	10.42	11.38	10.58	11.32	C/.01	10.20	11.55	11.25	10.75	10.28	10.52	10.01	11.12	11.13	10.98	10.88	11.49	11.08	10.65	10.63	11.15	11.24	10.29	56.01 11 22	9.58	10.23	11.41	10.46	11.73	11.19	21.11 11 48	10.32	10.63	10.71	11.86	9.88 10.75	0.47 c
type	1 1	-1 A 2 AD	3 AB	1 A	0 A	3 A	SB G	d d d	0 B D	3 A	3 A	2 A	4 A	U A C		2 A	2 B	1 A	1 AB	2 A	3 A	2 AD -1 A	2 B	1 A	3 A	3 B	-1 A	-1 A	4 - 7 - 7	3 B	2 A	0 A	3 A	2 AB	4 A	4 AB	-1 A	3 A	-1 A	1B	2 AB -1 A	4 A	2 A	1 AB	-1 A	4 AB	4 A
Name	NCCEARE	11000067	NGC0300/	NGC5614	NGC5631	NGC5633	NGC5630	1 COCJUN	NGC5720	NGC5732	UGC09476	UGC09537	UGC09542	NGC5/84	NICC5707	UGC09665	NGC5888	NGC5908	NGC5930	UGC09873	UGC09892	NGC29/1	IC4566	NGC5987	NGC5980	NGC6004	UGC10097	NGC6020	11GC10123	NGC6032	NGC6060	UGC10205	NGC6063	ICT199 NGC6081	UGC10297	UGC10331	NGC6125	NGC6132	NGC6146	NGC6154	NGC6150	NGC6155	UGC10384	UGC10388	NGC6173	NGC0108	UGC10650
CALIFA	108	714	715	740	744	748	749	4C/ 82L	764	768	769	774	775	8//	780	783	789	791	795	797	86/	806 806	807	809	810	813	814	۲۱۵ ۲۱۵	818	820	821	822	823	824 876	827	828	829	831	832	833	835 835	836	837	838	840	841 010	042 843

C	3.4	3.3	2.8	2.3	2.0	3.3	2.8	2.4	2.7	2.2	2.1	3.5	3.0	с, с с, с	5.5	0.7 0	- i c	7.7	t. c	2.9	2.2	2.1	3.0	2.4	2.1	2.5	9.9 0.0	6.2.6	0.7	2 i 2 i 2 i	2.4 4.7	2.4	3.3	5.8 0 7.8	5 C	- i c	2.4	3.1	3.1	2.8	1.8	3.1	6.2	1.7	07	- i c	2.9	2.1	3.5 3.1
HMR pc	1491	5659	4807	3313	9716	3807	6039	3673	6024	3805	5471	4385	2925	1386	3/04	1210	4510 1510	AL9C	6779	1359	3735	5207	1949	4111	2449	4081	2621	2043	2106	2010	4369	3216	3412	6319	2005	1000 2430	4331	5296	2132	3199	3338	2525	2822	4522	1439 4081	3974	2866	2965	1969 7439
HLR pc	1868	6271	6736	3861	10836	4807	6892	3325	7769	4814	6792	5489	3196	1682	488/	1164	0000 1002	0225	6216	1581	5738	6592	2442	5325	3470	5518	3166	3089	2/19	17200	5392	4178	4377	7371	4393	3243	6168	5868	3126	4498	4171	3545	5595 5202	00/3	1982	9899	3694	4078	2308 2616
$\log Z[HLR] M$ $(Z_{\odot})$	0.18	0.07	0.05	0.00	-0.06	0.02	0.16	-0.46	-0.15	-0.09	-0.11	-0.04	0.14	0.03	-0.20	-0.21	0.04	0.01	-0.76	-0.03	-0.28	0.08	0.09	-0.01	0.04	0.03	0.08	0.04	-0.07	0.0 0 0-	-0.01	-0.30	0.16	0.08	-0.17	-0.54	-0.06	0.07	0.03	-0.20	-0.16	-0.13	0.0 0.00	90.0 17.0	-0./1	-0.20 -	0.19	-0.10	0.17 0.19
$\log Z[0] M$ (Co)	0.14	0.19	0.07	-0.00	0.14	0.09	0.11	-0.18	-0.10	0.16	-0.12	0.08	0.22	0.19	-0.10 0.10	01.0	0.10	0.17	-0.48	0.07	-0.10	0.12	0.14	-0.12	-0.07	-0.15	0.16	0.04	0.02	0.00 -1.18	-0.21	-0.12	0.07	0.15	-0.60	-0.70	0.12	0.06	0.14	-0.06	-0.37	-0.36	0.14	-0.03	-0.92	-0.06	0.08	-0.05	0.14 0.09
$\langle \log age[HLR] \rangle_L$ (yr)	9.74	69.6	9.70	9.45	9.15	9.40	9.84	8.65	9.41	9.19	9.35	9.80	9.59	9.85	9.21	50.6 17.0	9.41	20.7	01.6	9.65	9.07	9.41	9.60	9.39	9.39	9.41	9.85	C0.6	9.31	9.41 8.83	8.80	9.31	9.75	9.84	8.88	6.65 0.51	9.23	9.77	9.12	9.45	9.04	9.15	9.80	9.13	4C.8 21.0	9.10 8.68	9.58	8.77	9.90 0.70
$\langle \log age[0] \rangle_L$ (yr)	10.01	9.85	10.07	9.93	9.61	9.56	10.01	8.17	9.94	9.33	9.84	9.78	9.56	9.92	16.6	9.60	67.6 100	10.00	0 56	9.68	9.93	9.79	9.79	9.74	9.93	9.90	10.01	10.02	9.88	16.6 8 0.4	9.74	9.44	10.04	10.08	9.30	16.9 080	9.78	10.08	9.56	9.84	9.52	9.67	9.98	60.01	9.25 0.37	9 11 9 11	9.84	9.34	9.98 10.06
$A_V$ [HLR] mag	0.00	0.00	0.01	0.29	0.27	0.37	0.01	0.31	0.30	0.21	0.34	0.28	0.00	0.00	0.12	0.35	0.10	0000	0.00	0.16	0.30	0.24	0.00	0.20	0.11	0.23	0.06	0.14	0.13	0.12	0.41	0.48	0.01	0.03	0.46	0.38 0.77	0.27	0.00	0.28	0.13	0.01	0.45	c0.0	0.03	0.03	0.25	0.00	0.45	0.02
$A_V[0]$ mag	0.07	0.02	0.30	0.46	0.33	0.42	0.36	0.36	0.27	0.72	0.45	0.26	0.00	0.23	CE.0	0.00	0.00	110	0.47	0.00	0.46	0.21	0.52	0.72	0.18	0.59	0.35	0.84	0.13 0.42	0.06	0.33	1.20	0.11	0.22	10.0	00.0 036 0	0.36	0.01	0.16	0.23	0.34	0.93	0.11	CZ.U	0.20	0.86	0.32	0.84	0.38 0.70
$\log \mu_{\star}$ [HLR] $M_{\odot}/\text{pc}^2$	3.07	2.75	2.54	2.78	2.39	2.70	2.87	1.62	2.45	2.41	2.67	2.92	2.91	3.16	2.35	2.58 0.50	7.00 1.00		1 66	3.00	2.48	2.52	2.94	2.69	2.44	2.70	3.14	11.7	10.2 21 c	2.10 1.60	2.30	2.66	2.93	2.49	2.08	2.07 3.19	2.59	2.79	2.84	2.60	1.89	2.63	2.80	60.7	00.1 2.41	2 09	2.93	2.36	3.09 3.31
$\log \mu_{\star}[0]$ $M_{\odot}/\mathrm{pc}^2$	4.61	4.15	3.96	3.91	3.24	4.09	4.28	2.57	3.71	3.50	3.47	4.19	3.99	4.59	3.52	5.80 TT 2	11.0	195	00. <del>1</del>	3.78	3.85	3.84	4.49	3.98	3.85	3.93	4.62	4.53 8. 6	3.48 2.00	06.0 F0 C	3.03	3.63	4.47	3.92	2.84	3.12 4.61	3.89	4.18	4.11	3.92	3.08	3.79	4.34	5.95 201	2.02	3 53	4.36	3.81	4.47 4.65
$\log M_{\star} M_{\odot}$	10.89	11.57	11.36	10.70	11.35	11.21	11.72	9.55	11.11	10.71	11.14	11.55	11.07	10.84	10.64	01.12 01.11	01.11 02 11	11 17	10.39	10.38	10.92	11.22	10.92	11.15	10.67	11.32	11.38	11.20	10.94 11.06	00.11	10.60	10.56	11.53	11.44	10.01	9.18 11 31	11.28	11.62	10.98	10.91	10.20	10.61	11.68	61.11	9.12 11 05	10.85	11.36	10.78	11.09 11 30
type morph.	0  AB	-1 AB	-1 A	2 A	3 A	1 A	-1 A	4  AB	2 B	2  AB	3 B	0 A	-1 A	0 AB	3 A	4 4 1 D	1 P	a u	4 4 4 4	1 A	2 A	2 B	0 B	2  AB	1 B	2 B	0 V	0 A D	с Б А	A A	3 ¥ 7	3 A	-1 A	0 Y	4 4 • •	4 A 4 A	3 B	-1 A	1 A	2 B	4 A	2 AB	-1 A	I A	4 4 4 4	4 4 7 7	-1 A	3 B	1 B -1 A
Name NED	NGC6278	UGC10693	UGC10695	NGC6310	NGC6301	NGC6314	NGC6338	UGC10796	UGC10811	IC1256	NGC6394	UGC10905	NGC6411	NGC6427	06010972	NGC64/8	NGC6515		11GC11260	NGC6762	MCG-02-51-004	NGC6941	NGC6945	NGC6978	UGC11649	UGC11680NED01	NGC7025	UGC11694	NGC/04/	MCG-01-54-016	UGC11740	UGC11792	NGC7194	UGC11958	UGC11982	UGC12034	NGC7321	UGC12127	NGC7364	UGC12185	UGC12224	VV488NED02	NGC/436B	UGC122/4	NGC12308	NGC7489	NGC7550	NGC7549	NGC7563 NGC7562
CALIFA ID#	844	845	846	848	849	850	851	852	854	856	857	858	859	860	801	802 062	C00	598	866	867	868	869	870	871	872	873	874	C/8	8/0	878	879	880	881	883	884 205	688 688	887	888	889	890	891	892	893	894 805	268 208	808	900	901	902 903

Table C.2. continued.

C	3.0	2.4	2.3	2.3	2.8	3.3	3.4	2.6	2.7	3.2	3.2	3.1	2.0	2.3	3.3	2.7	2.6	2.1	3.0	2.4	2.0	2.4	2.2	3.0	2.6	2.5	2.4	2.6	2.4	2.4	2.4
HMR	2632	2196	2889	3147	1660	2192	1659	2780	2035	1562	1875	2442	4184	3468	1698	1238	2555	4808	2750	4376	5480	2984	4866	4350	2635	1602	3944	4080	1632	3149	2902
HLR pc	3745	3694	3441	4521	2074	2564	2126	3602	3365	2140	2273	3290	4901	4547	2554	1943	3097	5140	6037	5670	8345	4353	6197	5173	4869	2041	5227	4977	1598	5225	3912
$\log Z[HLR] M$ (Z <sub>0</sub> )	-0.75	-0.21	-0.20	-0.19	0.02	0.19	0.05	-0.01	-0.22	0.08	0.07	-0.02	-0.51	-0.16	0.08	-0.20	0.12	-1.37	0.10	0.19	-0.79	-1.00	0.06	0.09	-0.01	-0.29	-0.50	0.02	-0.69	-0.03	0.03
$\log Z[0] M$ (Z $_{\odot}$ )	-0.61	-0.15	-0.42	-0.07	-0.09	0.18	-0.00	-0.11	-0.08	0.17	0.18	0.22	-0.31	-0.25	0.16	0.15	0.12	-1.07	-0.10	0.02	-0.29	-0.50	0.09	0.22	-0.24	0.07	-0.37	-0.08	-0.34	0.18	0.01
$\langle \log age[HLR] \rangle_L$ (vr)	9.10	9.06	9.03	8.79	9.64	9.81	9.76	9.33	9.00	9.84	10.00	9.74	8.96	8.57	9.63	9.54	9.63	9.36	9.53	9.20	9.08	8.68	9.65	9.86	9.31	8.99	8.82	9.65	8.61	8.96	9.56
$\langle \log age[0] \rangle_L$ (vr)	9.39	9.28	9.47	9.35	9.93	9.98	96.6	9.84	9.67	10.08	9.67	9.91	9.37	9.53	9.98	9.90	9.78	9.07	8.98	9.98	9.32	9.29	10.09	9.56	9.44	9.17	8.94	9.95	8.12	9.46	9.94
A <sub>V</sub> [HLR] mag	0.70	0.43	0.54	0.38	0.43	0.00	0.01	0.24	0.26	0.04	0.09	0.08	0.04	0.15	0.01	0.07	0.53	0.24	0.08	0.10	0.16	0.26	0.13	0.01	0.27	0.39	0.18	0.20	0.38	0.14	0.19
$A_V[0]$ mag	1.43	0.84	0.60	0.76	0.85	0.05	0.17	0.39	0.37	0.28	0.76	0.38	0.28	0.00	0.33	0.02	0.66	0.71	1.99	0.03	1.25	0.26	0.43	0.00	1.58	0.61	0.44	0.80	0.34	0.45	0.40
$\log \mu_{\star}$ [HLR] $M_{\odot}/\text{pc}^2$	2.76	2.20	2.41	2.28	2.73	3.37	2.90	2.73	2.41	3.17	3.23	2.93	1.98	1.71	3.03	2.72	3.05	2.27	2.49	2.41	2.15	1.69	2.81	3.05	2.29	2.33	1.86	2.67	1.99	2.10	2.80
$\log \mu_{\star}[0]$ $M_{\odot}/\mathrm{pc}^2$	4.04	3.61	3.25	3.43	3.78	4.69	4.24	3.88	3.97	4.73	4.58	4.39	3.00	2.81	4.49	4.25	4.32	2.67	4.38	3.82	3.72	3.02	4.17	3.87	3.83	3.14	3.21	3.67	2.64	3.77	3.98
$\log M_{\star}$ $M_{\odot}$	11.03	10.46	10.24	10.40	10.23	11.43	10.84	10.71	10.75	11.10	11.15	11.02	10.37	9.89	10.98	10.52	11.19	10.07	11.34	11.04	11.00	10.12	11.42	11.47	10.85	9.78	10.22	10.88	9.31	10.81	11.11
type morph.	3 B	4  AB	3 A	4  AB	2 A	-1 A	0 A	2 A	2 A	0 A	0 A	0 A	3 B	4 A	-1 A	2 A	1 A	4 A	2 B	2 B	3 B	4 A	2 A	1 A	1 AB	3 A	4 B	1  AB	5 AB	3 B	1 B
Name NED	NGC7591	IC5309	NGC7608	UGC12519	UGC12518	NGC7619	NGC7623	NGC7631	NGC7653	NGC7671	NGC7683	NGC7684	NGC7691	UGC12653	NGC7711	NGC7716	NGC7722	UGC12723	NGC7738	UGC12767	UGC12810	UGC12816	NGC7782	NGC7783NED01	NGC7787	UGC12857	UGC12864	MCG-01-01-012	NGC7800	NGC5947	NGC4676B
CALIFA ID#	904	906	907	606	910	911	912	914	915	916	917	919	920	921	923	924	925	926	927	928	929	930	931	932	933	934	935	936	937	938	939

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